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Q9) A block of mass 1.6 kg is attacted to a borizontal ageorgician han a forme constant of 1000 bl/m. The spring is compressed 2.6 or and a then re-eased liam rest, as in the figure. The speed (in m/s) of the since as it passes through the equilibrium position $x = 0$ if the surface is frighteniess as:

E) 39 A) () () $D + 20$ 0.2 (H) C_1G_2

Q10) A ball is released from a height H above the floor. If sit resistance is sgreeted, which of the five graphs below correctly gives the total mechanical energy End the Earth-521' system as a function of the altitude (5 (6.2) y of the ball?

Q11) A block of mass m = 2 kg slides on a rough path ABC. If the sphere starts from rest at point A and has a speed of 20 m/s at point C, then the work done (in I) by the force of friction is:

 $A1 - 18S$ $B) - 332$ C) 988 D) 0

Q12) An object of mass $m_i = 4.0$ kg is traveling at 9.0 m/s in the positive x - direction. It undergoes a head-on elastic collision with a stationary object of mass m₂ = 8.0 kg. The velocity (m/s) of the 4.0 kg

 $c) 256$

 $A) 1.0$ $B) - 3.0$ C) 3.0 D) 5.0

Q13) The x and y coordinates (in m) of the center of mass of the threeparticle system shown are:

Q14) At $t = 0$, a wheel rotating about a fixed axis at a constant angular. acceleration has an angular velocity of 2.0 rad/s. Two seconds later it has turned through 5.0 complete revolutions. What is its angular acceleration (in rad/s')?

Q15) Two particles $(m_1 = 0.80$ kg, $m_1 = 1.20$ kg) are positioned at the ends of a 2.5-m long nod of regligible mass, as shown. What is the moment of inertial (in i.g =") of fast rigid body about the y-axis that passes through the middle of $2x - 2x$

 $A10.2$

 $B) = 2$

 $D10.0$

 E) - 5.0

 50_m

 $y(m)$ 54 ž.

c

 \overline{z}

 E) 22.6

 1320

Ž

 C) 3.2

Student's Name:.... \bullet

Student's ID.

Note 1: Following are *simple* 25 multiple-choice questions. Write the symbol of correct answer in the answers' table. Only the answers in the table will be graded. Note 2: Ignore air resistance in all problems and take $|g| = 9.8$ m/s² at the Earth's surface. Note 3: The significant digit notation is not taken into account throughout the given answers.

Q.1: A particle moves along the x-axis. Its position varies with time according to the expression: $X(t) = 3t^3 - 4t^2 + 2t - 5$, where X is in meters and t is in seconds. The magnitude of the particle's acceleration (in m/s^2) at t = 2 sec is: $d.28$ $a.50$ $b.40$ c. 13 e. zero

Q.3: A ball is fired with an initial velocity of 30 m/s that makes an angle of 60° above the horizontal direction. The speed (in m/s) of the ball after 2 sec of its launch is: e. 16.3 $d. 26.3$ b. 9.8 $c. 20.0$ a. Zero $Q.4$: A 2-kg hanging mass (m₁) is connected by a string over a pulley to a 20-kg block (m_2) that is sliding on a 50 $^{\circ}$ fixed inclined plane (see the adjacent figure). If the pulley's mass and the mass of the string are negligible, and all surfaces are frictionless, the magnitude of the acceleration (in $m/s²$) of the moving system is: θ $c. 5.93$ $b.9.80$ a. 8.56 $d. 1.15$ e. 0.48 Q.5: A 50-kg object slides from rest from point A on the rough track shown in the adjacent figure. If the speed of the particle at point B is 10 m/s. The work (in J) done by frictional forces is: 20_m $b. +3700$ $a. -7300$ $c. -3700$ $d. -2567$ $e. -5000$ Q.6: Three forces are acting on the wheel shown in the adjacent 10 N figure. If $a = 10.0$ cm and $b = 25.0$ cm, then the net torque (in N.m) on the wheel about the axle through O is: (Note: we use the convention that torques are positive if the rotation tendency is counterclockwise and are negative if the 12 N rotation tendency is clockwise] 9 N $d.7.00$ $e. -3.55$ $c. -7.00$ $a. +5.53$ $b. -5.53$ Q.7: In a collision, a 1500 kg car initially moving at 30 m/s comes to a stop in 0.1 second. The magnitude of the average force (in N) on the car during the crash is: d. 450000 e. Zero b. 25000 c. 15000 a. 30000 O.8: True or False: "The work done by a non-conservative force on a particle moving through any closed path is zero" b. False a. True

Q.9: An object of mass 3 kg, moving with an initial velocity of 5i m/s, collides with and sticks to an object of mass 2 kg moving with an initial velocity of $-3\hat{j}$ m/s. The velocity of the composite object (measured in m/s) is: c. $(\hat{i} + 2\hat{j})$ d. $(5\hat{i} - 7\hat{j})$ e. $(-8\hat{i} + 2\hat{j})$ b. $(3\hat{i} - 1.2\hat{j})$ $a.(3i - 3.2j)$ Q.10: A ball of mass 2 kg is fired straight up with an initial speed of 20 m/s. It rises to its maximum height, and then falls down to its starting point. Neglecting air resistance, the work (in J) done on the ball by gravitational force through the entire trip is: $d.40.8$ $c. -40.8$ a. Zero $b.20.4$ $c. -20.4$ O.11: The adjacent figure shows a box of mass 2 kg moving on a horizontal, frictionless surface with a speed of 4 m/s towards an unstretched spring of negligible mass that is attached horizontally to a rigid wall. The box collides with the spring and stops momentarily before reversing direction. If the spring constant is 1000 N/m, the maximum compression (in m) of the spring is: $c. 0.357$ $b. 0.653$ a. 0.250 $c. 0.742$ $d. 0.179$ O.12: A box slides without friction around a loop-the-loop (see adjacent figure). The box is released from a height $h = 7$ m. If point A is 4 m above the ground, the speed of the box (in m/s) at point A is: $c. 7.67$ $d. 2.31$ $e.9.80$ $b.4.90$ a. Zero O.13: A block of mass M rests on an inclined rough surface. The inclination angle of the surface is increased to θ_c at which point the block becomes on the verge of slipping. The coefficient of static friction of the surface is: c. $sin(2\theta_c)$ b. $cos(\theta_C)$ a. $sin(\theta_C)$ d. $\cos^2(\theta_C)$ e. $tan(\theta_C)$

Q.14: A potential energy function for a two-dimensional force is of the form: $U(x, y) = (3x²y - 7x)$ J. The magnitude of the force (in N) that acts at the point (1, 2) m is: e. 25.41 d. 12.65 $b. 5.83$ $c.9.80$ a. 3.77

Q.15: True or false: "The total linear momentum of an isolated system is *always* conserved" [Hint: an isolated system is a system that has no net external force acting upon it.] b. False a. True Q.16: Two blocks $M_1 = 3$ kg and $M_2 = 5$ kg are in contact with each other on a frictionless, horizontal surface, as shown in the adjacent figure. If a horizontal force $F = 16$ N is applied to M₁, the magnitude (in N) of the contact force between the two blocks is: a. 2 $b.4$ c. 10 $d.9.8$ e. Zero Q.17: Earth exerts a gravitational force on the moon, which causes the moon to rotate around Earth. Assuming that the orbit of the moon around Earth is circular with radius R, the work the Earth's gravitational force does on the moon as is makes one revolution is: $b. 2\pi R^2$ e. Zero a. 0.5R $c. 2\pi R$ $d.7R$ Q.18: A 2 kg particle is moving with a velocity $\vec{v} = (6\hat{i} - 2\hat{j} + 4\hat{k})$ m/s. The angular momentum (measured in $kg.m²/s$) of this particle about the origin when the particle passes the point (1, 2, -2) m is: b. $(12\hat{i} - 3\hat{j} - 4\hat{k})$ c. $(8\hat{i} + 14\hat{j} - 13\hat{k})$ a. $(24i - 6j - 8k)$ d. $(8\hat{i} - 32\hat{j} - 28\hat{k})$ e. $(4\hat{i} - 13\hat{j} - 11.5\hat{k})$ Q.19: A cylindrical disk with moment of inertia I₁ rotates about a vertical, frictionless axle with angular speed ω_i . A second cylindrical disk of moment of inertia I₂ and initially not rotating drops onto the first disk as shown in the adjacent figure where they eventually have the same angular speed ω_f . The ratio (ω_f/ω_i) is: Wf b. $I_1/(I_1+I_2)$ c. $I_1/2(I_1+I_2)$ a. $(l_1+l_2)/2l_1$ d. $5I_2/(I_1+I_2)$ e. 1 Before After Q.20: An engine exerts a constant torque of magnitude 600 N.m in turning a wheel 100 revolutions. The amount of work (in J) done by the engine is: e. $3.77 \times 10^{+5}$ c. 1.15×10^{46} d. 9.04×10^{-5} b. $0.77 \times 10^{+5}$ a. $7.23 \times 10^{+7}$

 $Q.21$: At $t = 0$, a wheel rotating about a fixed axis at a constant angular acceleration has an angular velocity of 2 rad/s. Two seconds later it has turned through 5 complete revolutions. The magnitude of the angular acceleration (in $rad/s²$) of this wheel is:

e. Zero $d. 5.0$ a. 13.7 $b.9.8$ $c. 2.65$

Q.22: The angular position of a swinging rigid body is given by: $\theta(t) = (5 + 100t + 2t^2 - 4t^3)$ rad. The magnitude of the angular velocity (in rad/s) of this body at $t = 2$ sec is: e. 100 $d.80$ $c.60$ a. 20 $b.40$

Q.23: The disk in the adjacent figure rotates with an angular speed ω about an axle passing through point O and perpendicular to the plane of the disk. If ω , α and V represent the angular speed, angular acceleration and linear speed, respectively, then which of the following statements is entirely correct:

B

e. 312 ·

e. 9.80

 $d.100$ a. 250 b. 144 c. 177

b. 37.21

a. 53.76

a. $V_A = V_B = V_C$ and $\omega_A > \omega_B > \omega_C$ b. $V_A > V_B > V_C$ and $\omega_A = \omega_B = \omega_C$ c. $\alpha_A > \alpha_B > \alpha_C$ and $V_A = V_B = V_C$ $\omega_A = \omega_B = \omega_C$ and $V_C > V_B > V_A$ e. $\omega_A = \omega_B = \omega_C$ and $V_A = V_B = V_C$

Q.25: In the adjacent figure, a very light rope is wrapped around a wheel of radius $R = 2$ m. The wheel is mounted with frictionless bearings on an axle through its center. A block of mass 14 kg is suspended from the end of the rope. When the system is released from rest it is observed that the block descends with constant acceleration of magnitude 5 m/s^2 . The moment of inertia (measured in kg.m²) of the wheel relative to the rotation axle is:

c. 12.98

 $d.23.27$

17 A particle of unknown mass has a momentum of 26 kg.m/s. After 7.3 seconds, the momentum of the particle is 67 kg.m/s. Assuming straight line motion, the magnitude of the force (in Newton) acting on the particle during the interval is:

Q7
\nF =
$$
\frac{T}{T}
$$
 = $\frac{P_{2}-P_{1}}{T}$
\n120 $\frac{15m}{3600}$
\n= $\frac{120000}{3600}$ m/s
\n= $\frac{120000}{3600} \times 1650$
\n= 1.3 + 10⁵
\nQ10
\nM9h, = m9h₂ + 15.5
\nG*7.81 + 80 = 6 *7.81 * 20 + 15_E
\n= 352.8 J
\nQ I L
\nU₃ = $\frac{1}{2} \times 15^{2}$
\nQ20 = $\frac{1}{2} \times 15^{2}$
\n $\frac{15^{2}}{2} \times 3 \times \frac{15^{2}}{2} \times \frac{$

Q. 4
\n
$$
m_1
$$

\n m_2
\n 4
\n m_3
\n $\Sigma F = 0 \Rightarrow F_1 = F_2$
\n $\sqrt{4}$
\n $m_1 + \frac{1}{2}M$
\n $\frac{450}{1^2} = \frac{330}{(4-x)^2}$
\n $\frac{450}{1^2} = \frac{330}{(4-x)^2}$
\n $\frac{450(16-8x+x^2)}{1^2} = 330x^2$
\n $\frac{7200-3600x+450x^2}{2-3600x+7200=0}$
\n $x = 2.15$
\n $x = 2.15$
\nQ. 5
\n $x = 2.15$
\n $m_2 = 5$
\n $\frac{d_2}{d_2} = 1$
\n $m_3 + v_1 + d_1 = \frac{1}{2}m_1v_2 = \frac{1}{2}m_1v_1 = \frac{1}{2}m_2v_2$
\n $\frac{d_2}{d_2} = 1$
\n $m_3 + v_1 + d_1 = \frac{1}{2}m_1v_1 = \frac{1}{2}m_2v_2$
\n $\frac{3}{3} = \frac{d_1}{3} = 2m_1v_1 = 3$
\n $\frac{1}{3} = \frac{2}{3}m_1v_1 = \frac{2}{3}m_2v_2$
\n $\frac{3}{3} = \frac{2}{3}m_1v_1 = \frac{2}{3}m_1v_1$
\n $\frac{2}{3} = \frac{2}{3}m_1v_1 = \frac{2}{3}m_1v_1$
\n $\$

Q,Z
P= m*V
V= V
$$
4^{2}+5^{2}
$$

P= $4*\sqrt{16+25} = 25.6$
Q.8
30
15
20089.81415
= 147150 J
2055 = - 147.150 J

FBD ON Ladder

 $2M_3$ = 04 M_1 + 15 5in 53 + + + 30 + 8 cos53 757660055350 $N_1 = 34 = p$

 $Q.2$

 $\sum_{k=1}^{N}b_{k}\sum_{k=1}^{N}$

 $F = G * m_1 m_2$

$$
6.67 + 10^{1} + \frac{2+2}{0.3^{2}}
$$

= 2.96 + 10³ N

$$
F_{1} = 6.67 + 10^{11} + \frac{2*2}{(0.4242)^{2}}
$$

= 1.48 + 10³ N

So we have
\n
$$
2.96*10^{-3}
$$

\n $2.96*10^{-3}$
\n $2.96*10^{-3}$

the result
$$
math \circ f
$$
 then

$$
1.48*10^{9} + \sqrt{(2.96*10^{-7})^{2} + (2.96*10^{-7})^{2}}
$$

= 5.67*10⁻⁷ N

In the text book, one reads that for the bob in suspended from a string I of the conical pendulum. the magnitude of the angular momentum about the vertical dashed line is, $L = \left(\frac{m^2 l^2 |\sin^2 \theta + \theta \right)^{1/2}}{\sin^2 \theta}$ as shown in the figure beside. Imagine that this pendulum is moved and relocated on the surface of planet X. The radius of the planet X is one-third that of earth and its mass is one-fourth that of earth. The magnitude of the angular momentum calculated on the surface of planet X becomes: $C11$ $B)$ (4/9) L A) $(9/4)$ L $E(2/3) L$ $D(3/2) L$

 $13.$

14.

15.

A bead of mass m = 0.275 kg swings (as Ja) in a vertical circular path on a string L= 0.85 m long as displayed in the figure beside. The tension (in N) in the atritic at this top of the circle when the bead's speed is 5.2 m/s in

西头的 D_10 C 11.44 $A) 6.05$ B) 8.75

Two forces of magnitude 50 N, as shown in the figure. beside, act on a cylinder of radius 4 m and mass 8 25 kg The cylinder sits on a frictionless surface. Knowing that the moment of inertia of the cylinder about the axle through . is (1/2)ML3, the magnitude of the angular acceleration of the cylinder (in rad/s) is:

 $C)4$ $D)0$ $D)40$ $B) 8$ A) 2

The tension in a string from which a 4.0-kg object is emporated (3rd) in set 16. elevator (sales) is equal to 44 N. The acceleration (in m/s) of fraction also with a

1114166 5 元向 B) -1.21 C) +1.2) $A) + 11j$

An object of mass m undergoes a 17. uniform circular motion of radius R with velocity v as displayed in the figure beside. The work done in moving m from point Q to point P by the force causing (said) this motion is.

D) $2mgR$ E) $mv^2/2 + 2mqR$

This particle is located at the vector position r . The term $(\frac{d^2}{dt} \times \beta)$ gives **ELL** A) F Bi v $m f$ eva

IS Showing with linear month

 $a = 15.0$ m/s²

center²

land

30.0

 9.50 m

This particle gains (suite) kinetic energy K. If the momentum is reduced by half, the kinetical energy K. If the momentum is reduced by $2.$ half, the kinetic energy for the same particle will be: $E/K/4$ A) K D $4K$ **B) 2K** $C1K/2$

The total acceleration of a particle moving in a circle at a certain moment is shown in the figure beside. The speed (in m/n) of the particle at this snapshot (4kb) is:

 $A)0$

1.

3.

4.

- $B) 4.3$
- C) 6.1
- $D)$ 32.5

 $E) 5.7$

The figure beside shows two identical uniform rods of length L and mass m each. Both rods are rotating with an angular speed ω about an axis perpendicular to them; one passing through its center of mass (I center), and the other one through its end (I end). The work needed to set the two rods into rotation with the same @ is:

A) $W_{end} = W_{center}$ B) $W_{end} = 4*W_{center}$ $C)$ Wend = $3*$ Weenter D) $W_{end} = (1/3)^* W_{center}$

E) $W_{end} = (1/4)^* W_{center}$

A merry-go-round of radius $R = 2.0$ m has a moment of inertia $I = 100$ I and is rotating at 10 rev/min (revolutions per minute) about a frictionle vertical axle (مغور). A 25 kg child jumps out (نفور) from the edge of the pl toward the ground.

9,

The figure beside shows a uniform, horizontal beam (length = 10 m; mass = 25 kg) that is pivoted (<a>
(<a>
at the wall, with its far end supported by a cable that makes an angle of 51° with the horizontal. As a "101 PHY" freshman $(mass = 60 kg)$ stands $3.0 m$ from the

pivot, the tension (in N) in the cable is: A) 3000

- $B) 420$
- C 300
- D) 380
- E) 830

10&11

The position vector of a particle of mass 2 kg as a function of time is given by $\vec{r} = 3\hat{i} + 2t\hat{j}$, where \vec{r} is in meters and t is in seconds.

- The angular momentum (in Kg.m²/s) of the particle about the origin is: **E** 8tk C +12 \overline{k} 10. $B)0$ (A) +8t k
- The net torque (in N.m) on the particle about the origin is: 日峰 $D)$ 4 \hat{k} 11. C -8t \hat{k} **B) 0** $A) + 8k$

A ball of mass 0.2 kg with a velocity of 1.5i m/s meets a second ball of mass $12.$ 0.3 kg with a velocity of -0.4i m/s in a head-on elastic collision. The relative velocity (in m/s) of the two balls after the collision, $(v_{2f} - v_{2f})$ is: E) -9.7% $D) -1.1i$ C +1.1i $B) - 1.9i$ $A) + 1.9i$

7.

University of Jordan Faculty of Science Department of Physics

Date: 16/8/2009 **Summer Semester** $Time: 15:00 - 17:00$

General Physics I-PHYS. 0302101 Final Exam

Name (In Arabic): **Student's Number:**

Instructor: **Section:**

Constants : $g = 9.8$ m/s²

Choose the correct answer and fill the Answer Table

Q1) A wheel rotating about a fixed axis has an angular position given by $\theta = 3.0 - 2.0t^3$, where θ is measured in radians and t in seconds. The angular acceleration (in rad/s²) of the wheel at $t = 2.0$ s is:

(a) -1.0 ; (b) -24 ; $(c) -2.0$ $(d) -4.0$: $(e) -3.6$

Q2) A wheel rotates about a fixed axis with an initial angular velocity of 20 rad/s. During a 5.0-s interval the angular velocity decreases to 10 rad/s. Assume that the angular acceleration is constant during the 5.0-s interval. How many radians does the wheel turn through during the 5.0-s interval?

 $(a) 95:$

 $(c) 65$;

 dD 75

Q3) A mass $(M_1 = 5.0 \text{ kg})$ is connected by a light cord to a mass $(M_2 = 4.0 \text{ kg})$ which slides on a smooth surface, as shown in the figure. The pulley (radius = 0.20 m) rotates about a frictionless axle. The acceleration of M_2 is 3.5 m/s². The moment of inertia (in $kg.m^2$) of the pulley is:

(b) $85:$

 μ Q4) A 2000-kg truck traveling at a speed of 6.0 m/s makes a 90° turn in a time of 4.0 s and emerges from this turn with a speed of 4.0 m/s, where i and j are unit vectors along x and y, respectively. The magnitude of the average resultant force (in kN) on the truck during this turn is:

(c) 0.67 ; (d) 6.4 ; $(a) 4.0$; (b) 5.0 ; $(e) 3.6$

Q5) A 3.0-kg ball with an initial velocity of $(4i + 3j)$ m/s collides with a wall and rebounds with a velocity of $(-4i + 3j)$ m/s. The impulse vector (in N.s.) exerted on the ball by the wall is:

 $(a) + 24i$: $(c) - 18j;$ (b) $-24i$; $(d) + 18j$: $(e) + 8 i$; Q6) A 2.0-kg object moving 5.0 m/s collides with and sticks to an 8.0-kg object initially at rest. The kinetic energy (in J) lost by the system as a result of this collision is:

Q7) A car moving along a straight track changes its velocity from 40 m/s to 80 m/s in a distance of 200 m. The (constant) acceleration (in m/s^2) of the car during this time is:

Q8) If the only forces acting on a 2.0-kg mass are $F_1 = (3i - 8j)$ N and $F_2 = (5i + 3j)$ N, what is the magnitude of the acceleration (in m/s^2) of the particle is:

 \bullet 4.7; (c) 6.5; (d) 9.4; (e) 7.2 ; $(a) 1.5$;

 $Q9$) A wheel (radius R = 12 cm) is mounted on a frictionless, horizontal axle that is perpendicular to the wheel and passes through the center of mass of the wheel. A light cord wrapped around the wheel supports a mass $m = 0.40$ kg, as shown in the next figure. If released from rest, the object is observed to fall with a downward linear acceleration of 3.0 $m/s²$. The moment of inertia (of the wheel in kg.m²) about the given axle $is:$ (b) 0.020; $\frac{1}{2}$ (c) 0.013;

 (d) 0.016;

S. Joseph

(a)
$$
0.023
$$
;

Q10) The tension in a string from which a 4.0-kg object is suspended in an elevator is equal to 44 N. The acceleration (in m/s2) of the elevator is:

 $(d) 10 up;$ (e) 2.4 down; (b) 11 up; (c) 1.2 down; $(a) 1.2 up;$

Q11) A pendulum is made by letting a 2.0-kg object swing at the end of a string that has a length of 1.5 m. The maximum angle the string makes vith the vertical as the pendulum swings is 30°. The speed (in m/s) of the object at the lowest point in its trajectory is:

Q12) A 12-kg projectile is launched with an initial vertical speed of 20 m/s. It rises to a maximum height of 18 m above the launch point. The work (in kJ) done by the dissipative (air) resistive force on the projectile during this ascent is:

Q13) A 2.0-kg block is projected down a plane that makes an angle of 20° with the horizontal with an initial kinetic energy of 2.0 J. If the coefficient of kinetic friction between the block and plane is 0.40, how far will the bleck slide down the plane before coming to rest?

(a) 3.0 m ; (b) 1.8 m ; (c) 0.3 m ; (d) 1.0 m ; $(0) 1.3 m$;

Q14) If the resultant force acting on a 2.0-kg object is equal to $(3\hat{i}+4\hat{j})$ N, what is the change in kinetic energy as the object moves from $(7\hat{i} - 8\hat{j})$ m to $(11\hat{i} - 5\hat{j})$ m?

 $(a) +36 J;$ (b) +28 J; (c) +32 J; (d) +24 J; $(e) + 60$ J:

Q15) The only force acting on a 2.0 -kg body moving along the x axis is given by $F_x = (2.0x) N$, where x is in m. If the velocity of the object at $x = 0$ is +3.0 m/s, the velocity of the object (in m/s) at $x = 2.0$ m is:

(a) 4.2 (b) 3.6; (c) 5.0; (d) 5.8;

Q16) Two vectors \vec{A} and \vec{B} are given by $\vec{A} = 5\hat{i} + 6\hat{j} + 7\hat{k}$ and $\vec{B} = 3\hat{i} - 8\hat{j} + 2\hat{k}$. If these two

 $Q2.8$:

vectors are drawn starting at the same point, what is the angle between them?

 $(a) 106^{\circ}$; $(b) 97°$; (c) 110° ; (d) 113° : (e) 102° ;

 $Q17$) \triangle 4.0-kg mass on the end of a string rotates in a circular motion on a horizontal frictionless table. The mass has a constant speed of 2.0 m/s and the radius of the circle is 0.80 m. The magnitude of the resultant force (in N) acting on the mass is:

 $QCD20$: $(b) 44$; $(a) 39$: $(d) 0$: $(e) 30$;

Answer Table

Fill the appropriate square of the correct answer.

