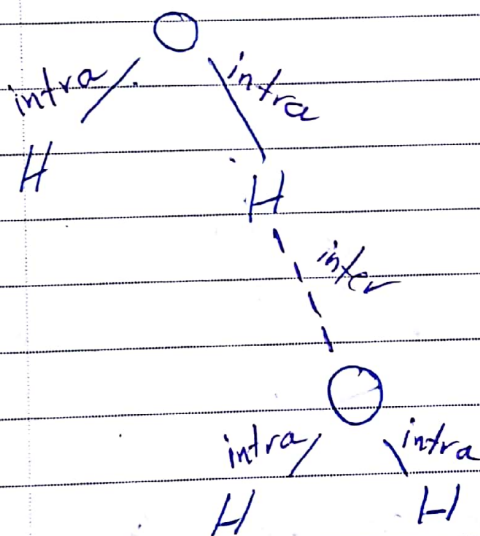


## Intermolecular Forces (inter molecular)

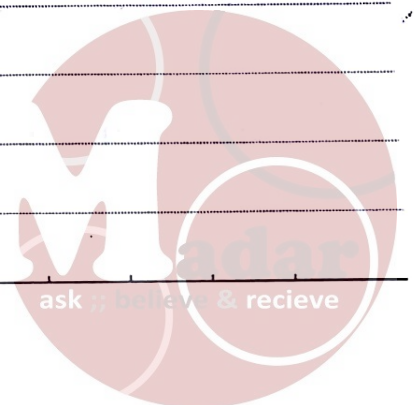
\* inter molecular force  $\Rightarrow$  forces between different molecules

\* intra " "  $\Rightarrow$  Forces between atoms within a molecule (chemical bonds)

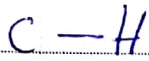
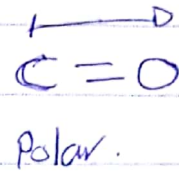
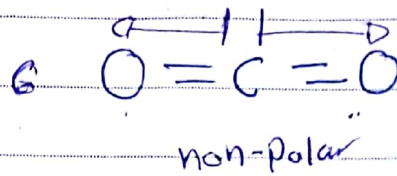
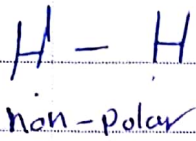
what determine the physical state of a matter in the intermolecular interaction



930 kJ/mol to break all intra  
41 kJ/mol to " " inter



## dipole moment (polarity)



non-polar

\* لتحدد اذا كان المركب قطبي او لا نجد الفرق بين كهرسلبية الذرات المتفاعلة

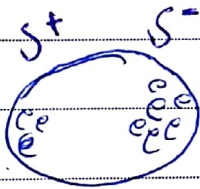
$$(4 - 2) \Rightarrow \text{ionic}$$

$$(2 - 0.3) \Rightarrow \text{polar}$$

$$\text{less } 0.3 \Rightarrow \text{non-polar}$$

x

الجزيء القطبي يطي بوجوده بجهة الكبر من احدى



polar molecule

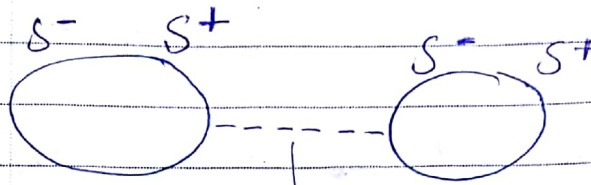


non-polar molecule.

## Types of intermolecular interaction.

### ① Dipole - Dipole force.

interaction between two polar compound.

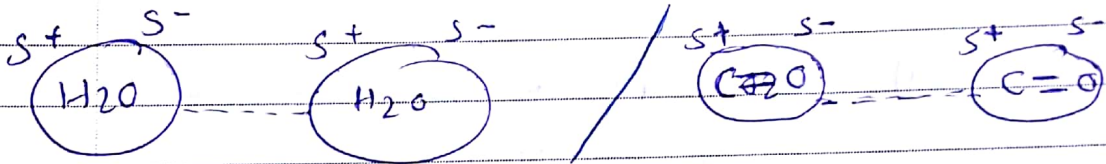


important

\* intermolecular force

\* electrostatic force.

قوة \* dipole - dipole.

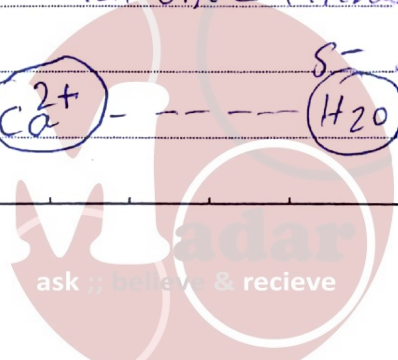
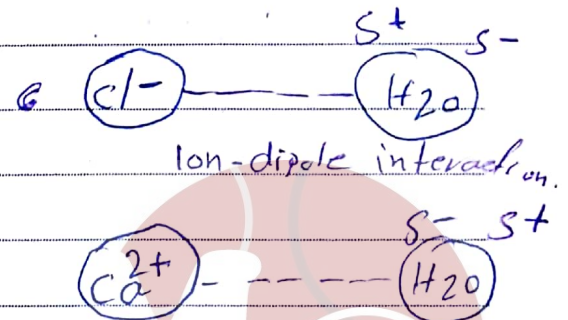
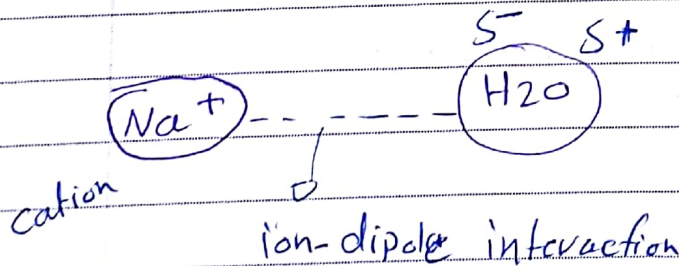


\* Strength of the intermolecular force depends on  $\Rightarrow$  the polarity of the interacting molecules

قوة  $[H_2O]$  أكبر من قوة  $[CO_2]$  بدرجة أعلى من الجهد أو اللزوجة ترتيباً تنازلياً  
بينما الضغط البخاري بشكل عكسي.

② Ion - ~~dipole~~ dipole force

interaction between ion and polar compound.



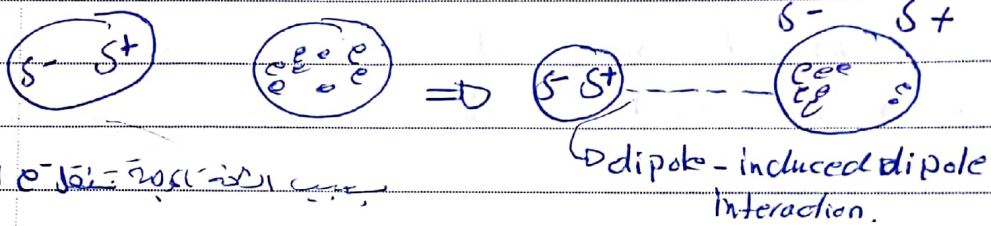
## Factors affecting ion-dipole interaction

- 1- Size of ion (radius)
  - 2- charge on the ion
  - 3- polarity of other molecule.
- $\text{charge density} = \frac{\text{charge}}{\text{volume}}$

### ③ Dispersion Forces

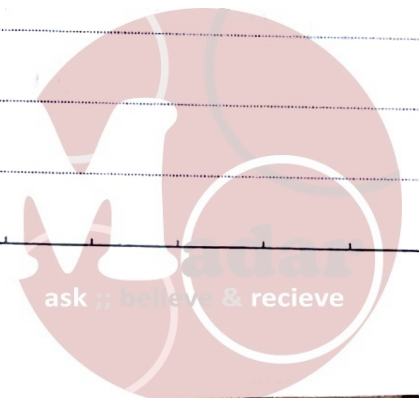
a) dipole-induced dipole interaction.

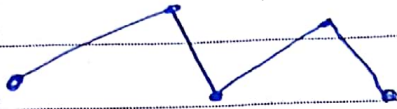
$\underbrace{\hspace{2cm}}_{\text{Polar compound}} \quad \underbrace{\hspace{2cm}}_{\text{non-polar compound}}$



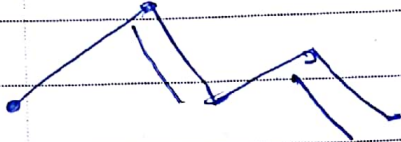
Factors affecting interaction :-

- ① Polarity of the polar compound
- ② number of  $e^-$  in the non-polar compound.
- ③ ease of movement of the  $e^-$





H<sub>2</sub>O



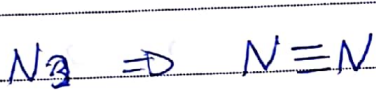
H<sub>2</sub>O

الرابطة اقوى لان  
الرابطة التساهمية اقوى

من الاقوية فتتفك بسهولة وبالكى فتتقلص بسهولة اكثر

b) London forces  $\Rightarrow$  interaction between two non-polar compound.

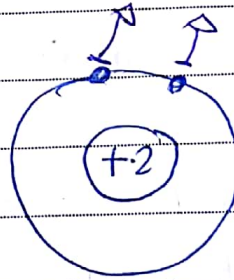
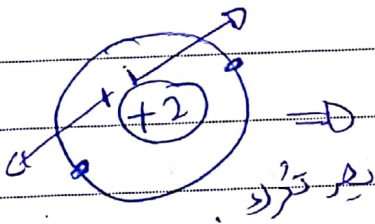
درجة انصهار



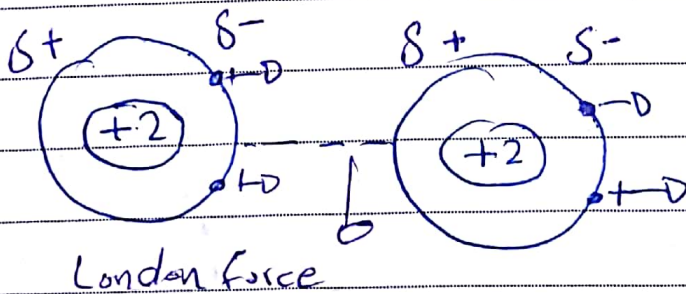
liquid  $\Rightarrow$  -196°C

He

liquid  $\Rightarrow$  -269°C



ذرة He لها اثنان زوجان من الالكترونات في كل ذرة  
ولكن جزيئاته تكون في سكون تام



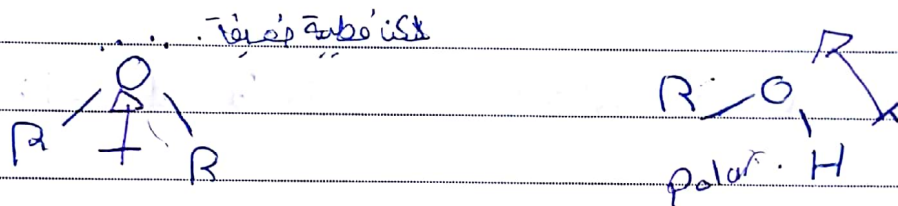
عند تصادم عدد الكثرات الجزيئات أو تصادمي الحجم يكون قوة London. dipole-dipole الجزيئات

Factors affecting the London forces

- ① number of e<sup>-</sup> (mass the compound)
- ② polarizability (القطبية)

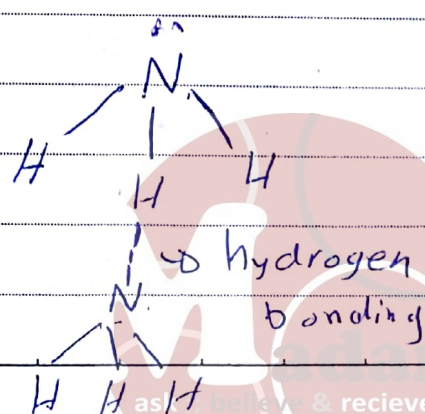
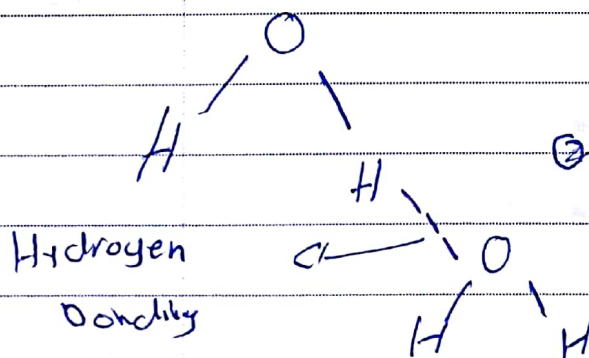
$\text{CH}_3\text{CH}_2\text{OH}$  (Polar) ① dipole-dipole.  
 (OH group) ② London. (780 v.w.c)

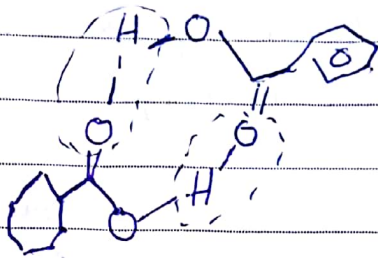
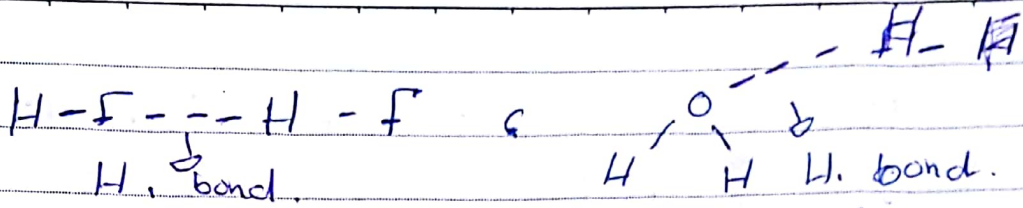
$\text{CH}_3\text{OCH}_3$  (Non-polar) London (34 c°)



## Hydrogen bonding

is a special case of dipole-dipole interaction where [H] atom comes between two atom of [N, O, F]





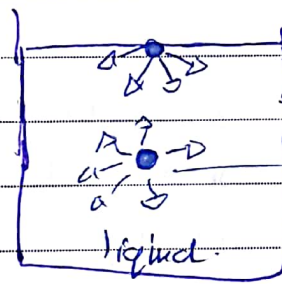
تعمل الجزيئات  
شبه جزيئات

من الممكن أن تكون جزيئات H متورطة بالزمن، الجزيئات متورطة.

## Properties of liquids

### ① Surface tension      التوتر السطحي

يؤدي إلى أن الجزيئات تتحرك في جميع اتجاهات  
لها أقل طاقة سطحية

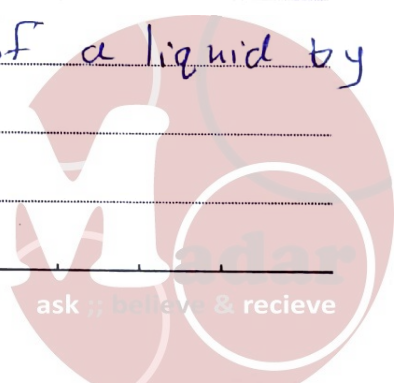


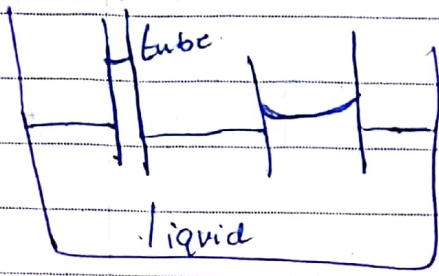
النتيجة السطحية التوتر السطحي

no net force.

\* magnitude of surface tension: a amount of energy

required to stretch the surface of a liquid by unit area. unit  $\Rightarrow \frac{J}{area} = \frac{J}{m^2}$





Two types of interaction

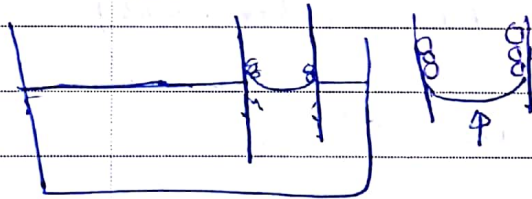
1. Between liquid particles (cohesion)

2. " " " and the wall of the tube. (adhesion)

\* if adhesion = cohesion then the liquid level will not change.

\* if  $coh > adh$  the level will lower

\* if  $adh > coh$  the " " rise.



\* قوة التماسك وتفعدرات الأليل

والتمسك السطحي لرفع لإقية الأليل

بصية تبقرة الحالة أقل طابوكن

ومن ثم قوة التماسك ترفع الزرات وتبقرة العلية وكذا فتر تتساوى

الجازبية مع التماسك السطحي

inter <sup>الداخلي</sup> surface

inter <sup>الداخلي</sup> surface





## Viscosity (اللزوجة)

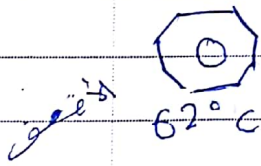
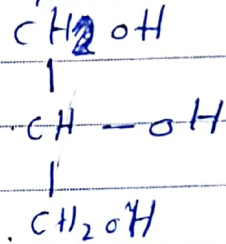
\* is a measure of fluid's resistance to flow

\* as intermolecular interaction increases viscosity will increase.

\* The viscosity of liquid usually decreases as temp increases.



الكافور (الزوجة) من الروابط، الألفة، ص. ص. أقوى في الكافور  
ص. ص. يوجد في سبائك (H) في الكافور.



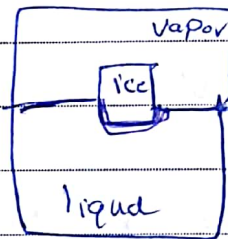
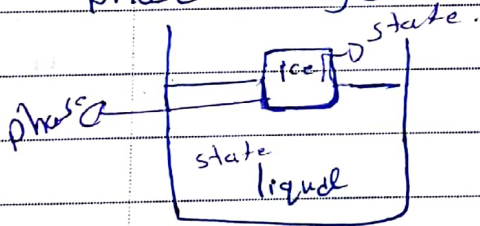
وجود ليزن كقوة فقط

الروابط أقوى

200°C

وجود H روابط غير رابطة، الألفة التي قوة ليزن ص. ص. يوجد عدد الروابط  $CH_2OH$  في الكافور.

## Phase change.

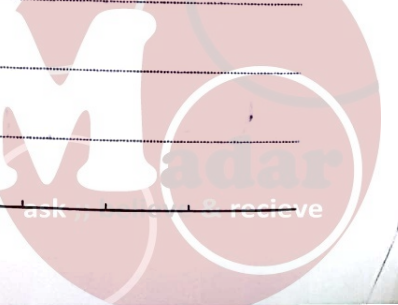


3 state.

2 phase.

phase  $\Rightarrow$  part of a system in contact with other parts with well defined boundary (حدود)

phase change: transformation from one state into another through a phase.



Liquid  $\rightarrow$  Vapor      vaporization

V  $\rightarrow$  L      condensation

S  $\rightarrow$  L      melting / fusion

L  $\rightarrow$  S      freezing

S  $\rightarrow$  V      sublimation

V  $\rightarrow$  S      deposition

تغير الحالة من السائل إلى الغاز	L $\xrightarrow{+}$ V	endothermic	} السجاسات الحاله الحرارة	$\Delta H_v$
تغير الحالة من الغاز إلى السائل	S $\xrightarrow{+}$ L	"		$\Delta H_f$
تغير الحالة من السائل إلى الصلب	S $\rightarrow$ V	"		$\Delta H_s$

$$\Delta H_s > \Delta H_v > \Delta H_f$$

$$\Delta H_s = \Delta H_v + \Delta H_f$$

الخواص المكثفة  
intensive properties

enthalpy of vaporization  $\Delta H_v$  ( $\frac{kJ}{mol}$ )  
 $\rightarrow$  energy required to completely vaporize one mol of liquid to gas

$$P = \frac{-\Delta H_v}{RT} + C \quad \approx \text{Clausius-Clayron equation}$$

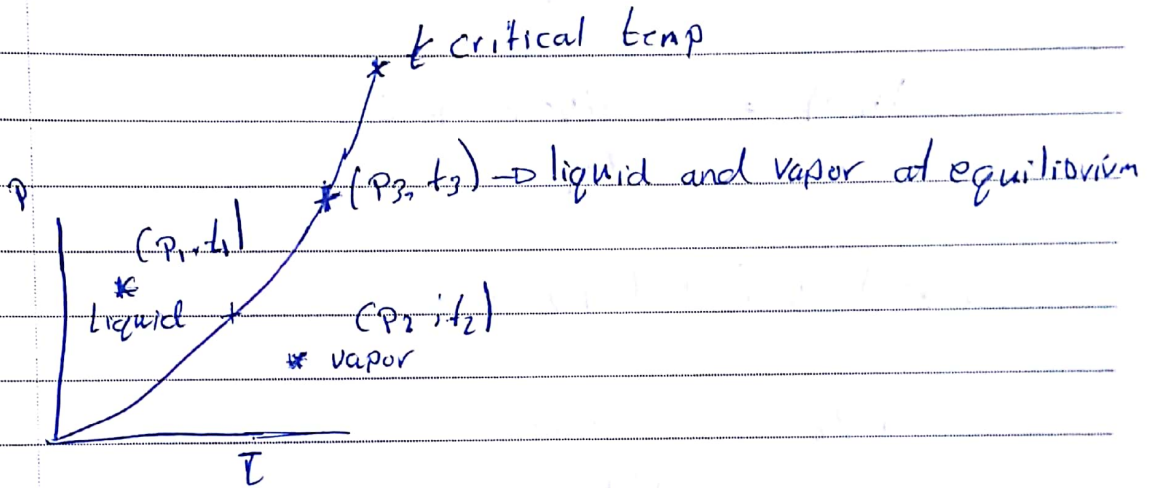
No. \_\_\_\_\_

$P$  = vapor pressure

$B$  = gas constant

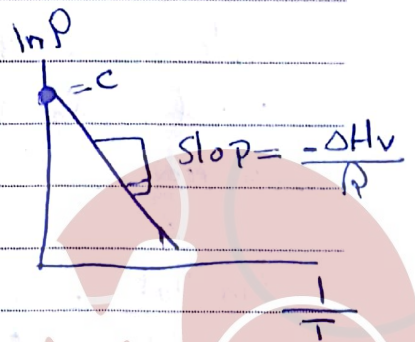
$T$  = Temp (K)

المعادلة (1) هي معادلة كلاپيرون  
 $V.P$  = intermolecular interaction

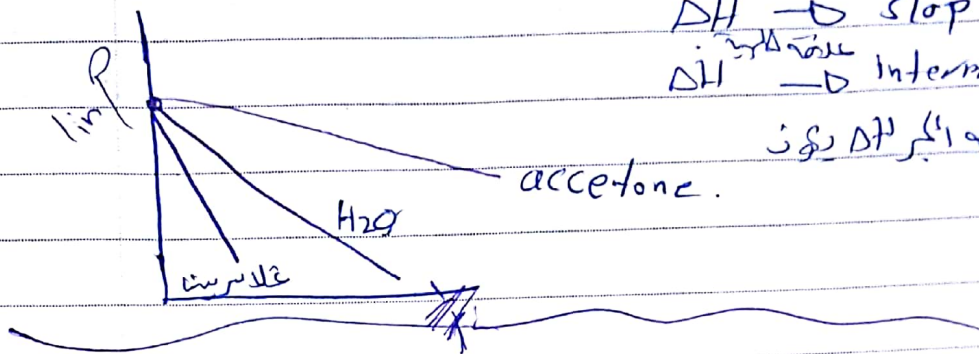


Critical temp = is the temp where the gas cannot be liquified by compression (at critical temp or above the state of the matter is gas)

$$\ln p = \underbrace{\frac{-\Delta H_v}{R}}_{\text{slop}} \underbrace{\frac{1}{T}}_X + \underbrace{C}_{\text{intercept}}$$



تعبير دالة

 $\Delta H \rightarrow$  slope $\Delta H \rightarrow$  Intermolecular

اعرفوا ان الـ ln P يكون

له انكسار

Case 1 :  $T_1$  and  $P_1$ 

$$\ln P_1 = \frac{-\Delta H_{vap}}{RT_1} + C$$

Case 2 :  $T_2$  and  $P_2$ 

$$\ln P_2 = \frac{-\Delta H_{vap}}{RT_2}$$

$$\boxed{1-2} \Rightarrow \ln P_1 - \ln P_2 = \frac{-\Delta H_v}{R} \left( \frac{1}{T_1} - \frac{1}{T_2} \right)$$

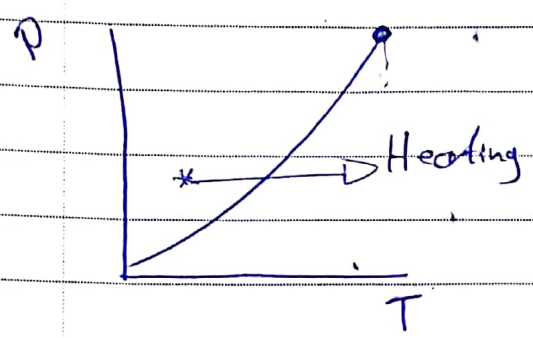
$$= \frac{\ln \frac{P_1}{P_2}}{P_2} = \frac{-\Delta H_v}{R} \left( \frac{1}{T_1} - \frac{1}{T_2} \right)$$

example.  $\Rightarrow$  CH3CH2OH has v.p = 401 Torr at  $18^\circ\text{C}$   
 what is the v.p at  $29^\circ\text{C}$ . given that  $\Delta H_v = 26 \text{ kJ/mol}$

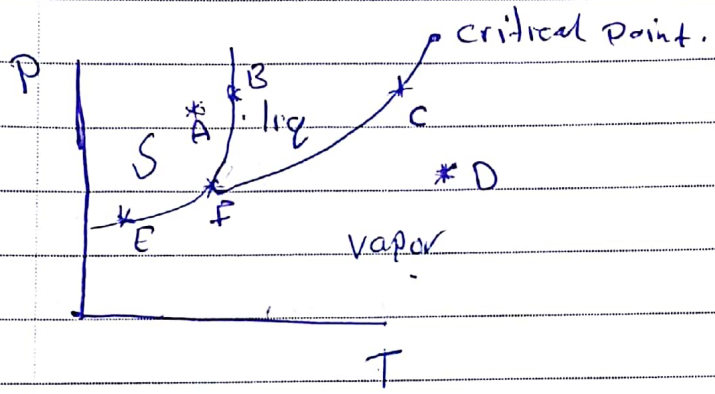
Solution:

$$\ln \frac{401}{P_2} = \frac{26 \times 10^3}{8.314} \left( \frac{1}{273+18} - \frac{1}{273+29} \right)$$

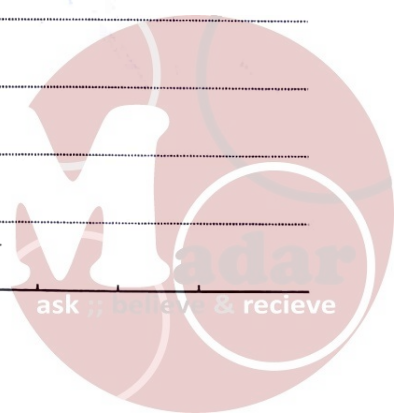
$P_2 = 593 \text{ torr}$



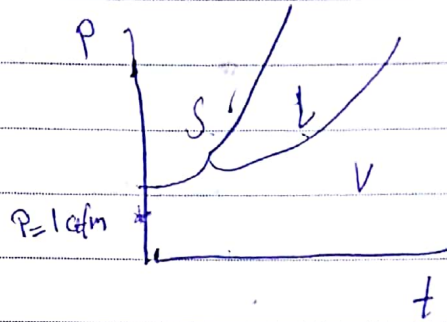
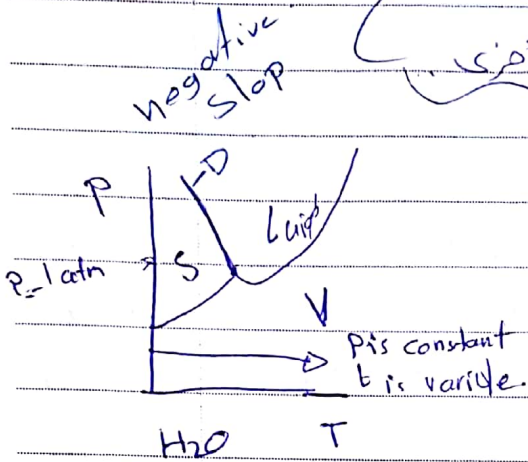
phase diagram  
Summarize the conditions under which a substance exists as solid, liquid and gas.



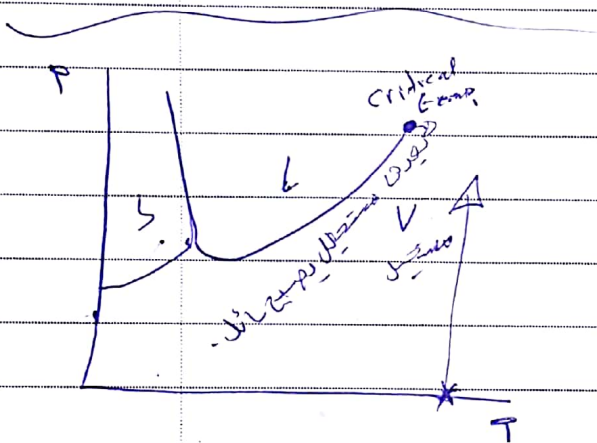
- B :  $S \rightleftharpoons L$  equilib
- C :  $L \rightleftharpoons V$  "
- D : vapor
- E :  $S \rightleftharpoons V$
- F :  $S \rightleftharpoons L \rightleftharpoons V$  triple point.



كتابة الملاح اول من انزل عن كبر، او اول انقضى



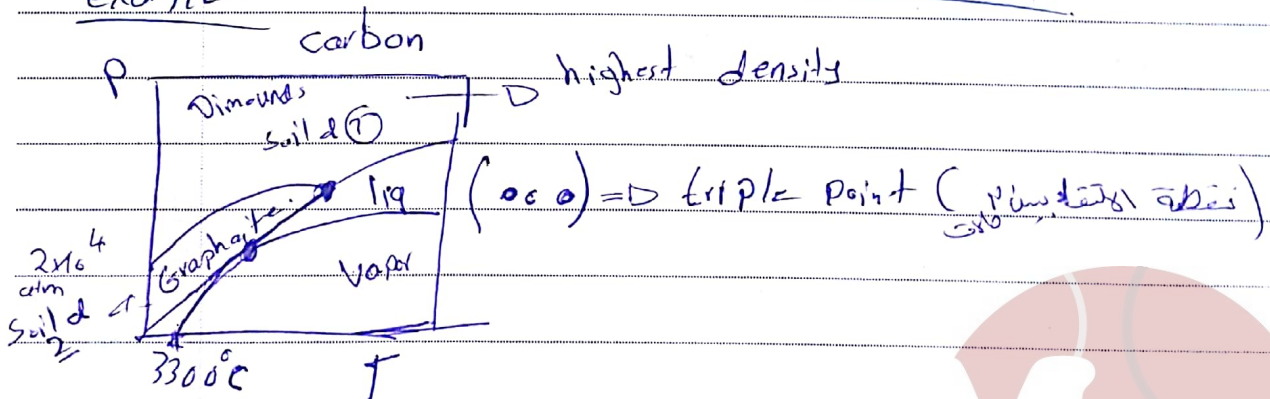
المادة التي يصل اليها عند انقراض الثلج  
انخفاض الحرارة انقراض الثلج



$$\text{density} = \frac{\text{mass}}{\text{Volume}}$$

\* density of water  
 $V > S > \text{liquid}$   
 phase changes by increasing the pressure  
 $V$  then  $S$  then liquid.

example.



## Chapter 13

Solution  $\Rightarrow$  Homogeneous of solvent and solute(s)  
 substance exist in larger quantities  $\rightarrow$

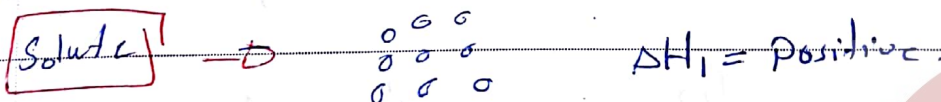
Solvent	Solute	example.
Solid	Solid	alloys.
Liquid	Liquid	Spirits (السكرت)
Liquid	gas	Soda
gas	gas	air
Solid	gas	Hydrogen on Palladium.

amount of solute in solvent

- 1- unsaturated (small amount of solute)  $K_{SP} > [C] [C]$
- 2- Saturated solution (contain max capacity of solute)  $K_{SP} = [C] [C]$
- 3- Super saturated (contains solute more than its capacity)  
 (special case)  $K_{SP} < [C] [C]$

How solutes dissolve in solvent?

- 1- Solute bulk disperses into individual molecules



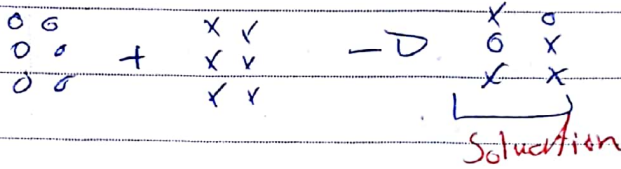
- 2- Solvent particles separate from each other



### 3- mixing

$$\Delta H_3 = \Delta - \Delta$$

يعتمد على المواد المتفاعلة.



يصلون في نفس الوقت

التغير فيزيائي

$\Delta H = \text{positive}$  intermolecular تكبير روابط

$$\Delta H_{\text{solution}} = \Delta H_1 + \Delta H_2 + \Delta H_3$$

\* what determines the sign of  $\Delta H_{\text{sol}}$  \* is only  $\Delta H_3$

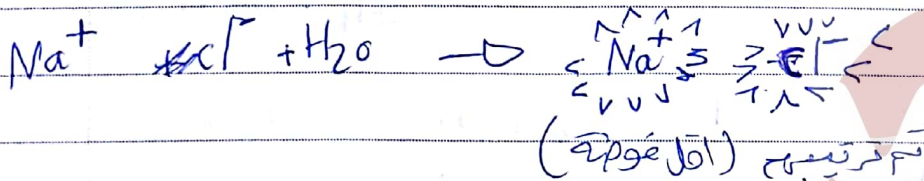
\* if  $\Delta H_{\text{sol}}$  is negative, it is most likely the solute will, in the solvent dissolve

\* if  $\Delta H_{\text{sol}}$  is positive the solute will most likely will not dissolve.

\* two factors affecting the solubility.

1- energy ( $\Delta H_{\text{solution}}$ )

2- tendency toward disorder (entropy) <sup>القوضى</sup>





معادلة الجيبس الحرة

$$\Delta G = \Delta H - T \Delta S$$

$\Delta G$  Gibbs energy  
 $\Delta H$  enthalpy of solution  
 $T$  temperature  
 $\Delta S$  entropy

$\Delta S$  (+) - موجب  
 $\Delta S$  (-) - سالب

(-) - ذائب  
(+) - لا ذائب

✓	-	-	+
*	+	+	-
✓	+	-	-
✓	+	+	+

NaCl dissolves in water  
 AgCl doesn't dissolve → because of entropy.

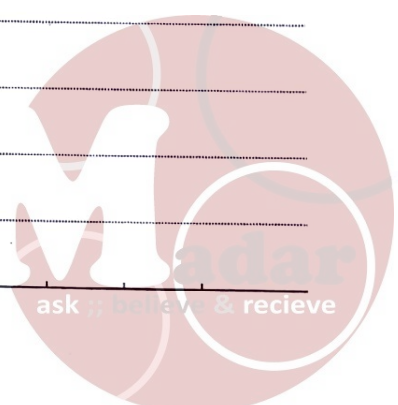
Solubility Rule: like dissolve like.

- \* ionic and polar compound dissolve in polar solvent.
  - \* non polar solute dissolve in non-polar solvents.
- الشيء يذوب في الشيء  
 كل الأفعال صحيحة ولكن يوجد استثناءات

examples

ionic in polar NaCl in water  
 polar in polar glucose in water.  
 non-polar in non-polar CCl<sub>4</sub> in ben zene.

CCl<sub>4</sub> in water لا يذوب  
 non-polar Polar



3 - no effect by temp changes by temp no effect by temp

Example. Find the molality of a 2.45 M Solution (methanol in water) ( $d_{\text{soln}} = 0.976 \text{ g/mL}$ )

aqueous solution

Solution:-

$$? \quad M = \frac{\text{mole}}{\text{Kg of solvent}} \quad \& \quad \checkmark \quad M = \frac{\text{mole}}{\text{Litter of Solution}}$$

assum that you have. 1 L Solution.

$$\text{moles of Solute} = 2.45 \frac{\text{mol}}{\text{L}} \times \text{L} = 2.45 \text{ mol}$$

$$\text{mass of Solute} = 2.45 \text{ mole} \times 32.02 \frac{\text{g}}{\text{mole}} = 78.4 \text{ g}$$

$$\text{mass of Solution} = 1000 \text{ mL} \times 0.976 \frac{\text{g}}{\text{mL}} = 976 \text{ g}$$

$$\text{mass of Solvent} = 0.976 \text{ kg} - 0.0784 \text{ kg} = 0.8976 \text{ kg}$$

$$m = \frac{2.45}{0.8976} = 2.73 \text{ m}$$

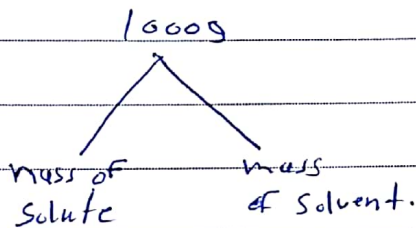


Example. Convert 35.4% to molality  $H_3PO_4$   
 Solution (m.m =  $\frac{97.99 \text{ g}}{\text{mole}}$ )

Solution.

$$\text{mass \%} = \frac{\text{mass of Solute}}{\text{mass of solution}} \quad \text{and} \quad m = \frac{\text{mole of solute}}{\text{mass of solvent}}$$

Assume you have 1 kg of solution.

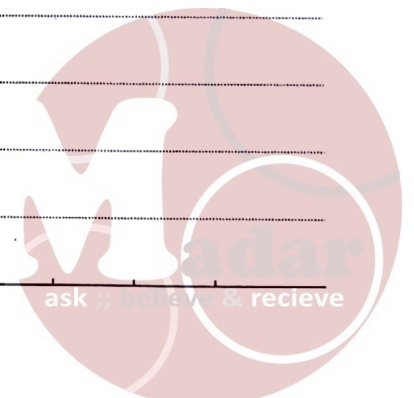


$$\text{mass of Solute} = \frac{35.4}{100} \times 1000 = 354 \text{ g}$$

$$\text{mass of Solvent} = 1000 - 354 = 646 \text{ g} = 0.646 \text{ kg}$$

$$\text{moles of Solute} = \frac{354}{97.99} = 3.61 \text{ mole}$$

$$m = \frac{3.61}{0.646} = 5.59 \text{ m}$$



## Effect of temp on Solubility.

\* Solubility  $\Rightarrow$  max amount of solute that can be dissolved in certain amount of solvent to reach saturation at specific temp

\* If the Solute is solid  $\Rightarrow$  most of solids solute, Solubility increases by temp. يوجد مواد

example. NaCl Solubility increase by temp.

$Ca_2(SO_4)_2$  = decreases by temp.  $\Rightarrow$  لا يوجد من المواد

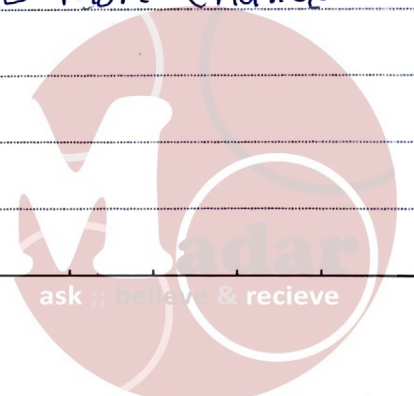
Note  $\Rightarrow$  No relation between  $\Delta H_{\text{solution}}$  with temp. to change the solubility.

$\Delta H_{\text{sol}}(CaCl_2) = \ominus$  } For both Salts Solubility  
 $\Delta H_{\text{sol}}(NH_4NO_3) = \oplus$  } increases by temp.

\* If the Solute is gas

For all gases (as Solute), Solubility decreases by temp  
 تزداد ذرة (الطاقة الحركية) بزيادة الحرارة فتزيد سرعة جزيئاتها فتهرب من المحلول بسهولة.

by increasing the temp. KE of the gas particles increase  $\rightarrow$  faster the particles  $\rightarrow$  more chance to escape from the solution.



## Effect of Pressure on Solubility.

\* If the Solid. is the solute, changing the pressure.  
and liquid.

does not affect the solubility.

\* If the Solute is gas, then solubility increasing  
by increasing the pressure.

- according to the KMT

increasing the pressure:  $\rightarrow$  more collisions of  
the gas with the surface of the liquid.  $\rightarrow$  increase  
on the probability of capturing the gas particles

$$C \propto P$$

$$C = kP$$

(Henry's law)

$C \Rightarrow$  Concentration of  
gas in the solution.

$P \Rightarrow$  pressure of  
the gas

$k \Rightarrow$  Proportionality  
constant.

(Henry's constant)

كل غاز له ثابت مختلف

يتغير مع درجة الحرارة ويتغير كالمثل

تغيرا لانه

example.  $\Rightarrow$  If the Solubility of pure  $N_2$  (g) in water at  $25^\circ C$  and  $1 \text{ atm}$  is  $6.8 \times 10^{-4} \text{ mole/L}$  what will be the conc of atmospheric  $N_2$  in water at the same conditions.

$$P_{\text{air}} = 1 \text{ atm} \begin{cases} \rightarrow P_{N_2} = 1 \text{ atm} \times 0.76 \\ \rightarrow P_{O_2} = 1 \text{ atm} \times 0.21 \end{cases}$$

$$C = p k$$

$$C = 6.8 \times 10^{-4} \times 0.76$$

$$C = 5.3 \times 10^{-4} \text{ M}$$

$$k = \frac{C}{P}$$

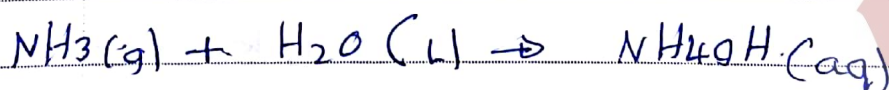
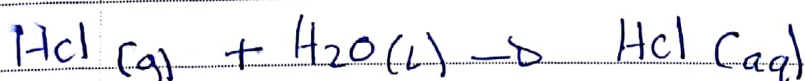
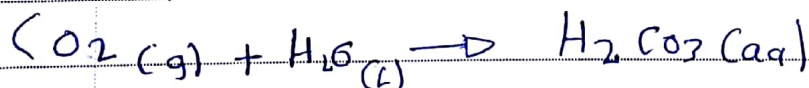
$$= \frac{6.8 \times 10^{-4}}{1}$$

\* Note.

\* Solubility of gases increases by increasing the Pressure.

\* Solubility of gas decreases by increasing temp

\* Solubility of gas increases if there is a reaction between the gas and the solvent.



O<sub>2</sub> in water

O<sub>2</sub> in blood →  $\frac{\text{الذائبة أكبر في الماء الحار}}{\text{تقلد مع هبوطه}} \rightarrow$

Colligative properties of solution.

↳ properties that depends only on the amount of solute in the solution.

- 1- Vapor pressure lowering
- 2- boiling point elevation.
- 3- freezing point depression.
- 4- osmotic pressure.

We compare properties of pure solvent with solution.

① If the solute is non-volatile ⇒ the V.P of its solution is always less than that of the pure solvent.

Raoult's law

$$P_1 = X_1 \cdot P_1^{\circ} \Rightarrow P_1 : \text{V.P of the Solution}$$

$$P_1^{\circ} : \text{V.P of pure solvent}$$

$X_1 =$  mole fraction

$$\Rightarrow X_1 = \frac{\text{moles of solvent}}{\text{moles of solute} + \text{moles of solvent}}$$

$X_1$  takes the values from 0 to 1

$x_2$  = mole fraction of the solute

$$x_1 + x_2 = 1$$

$$x_1 = 1 - x_2$$

$$P_1 = (1 - x_2) P_1^0$$

$$P_1 = P_1^0 - P_1^0 x_2$$

$$P_1^0 - P_1 = x_2 P_1^0$$

$$\Delta P = x_2 P_1^0$$

\*  $\Delta P$  is directly proportional to the concentration (measured in mole fraction) of the solute present.

$$P_1^0 = 0.78 \text{ atm}$$

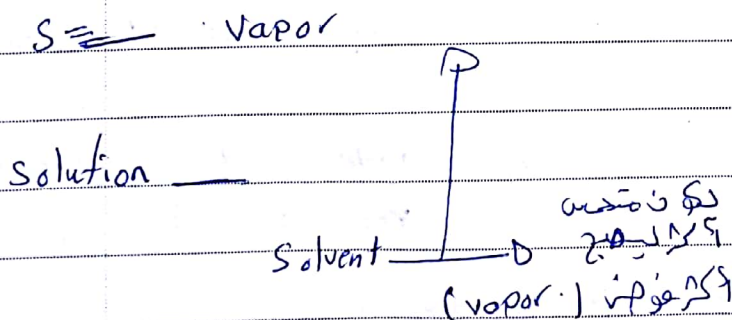
$$\Delta P = +0.12 \text{ atm}$$

$$P_1 = ???$$

$$0.78 - 0.12 = 0.66 \text{ atm}$$

lowering.  $\Delta P$

entropy (solution) larger than (pure solvent) کلیں سے بڑھ کر  
ہیجے آئے ہوگی





7. (b) If the Solute is Volatile. (ethanol in water)

-  $V.P_{\text{solute}} = X_{\text{solute}} P_{\text{solute}}^{\text{pure}}$

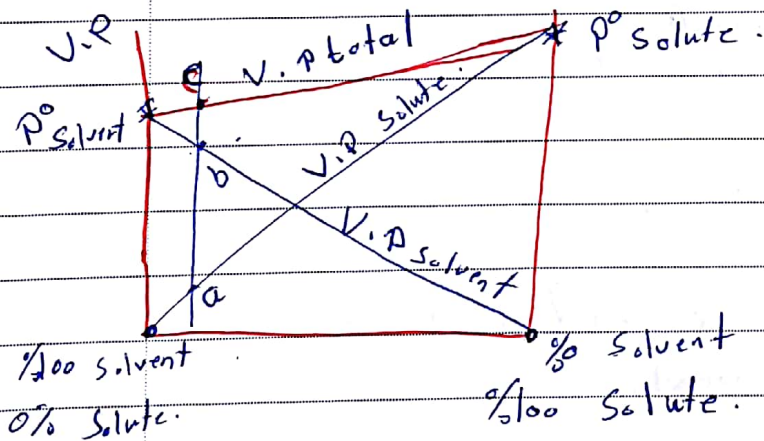
-  $V.P_{\text{solvent}} = X_{\text{solvent}} P_{\text{solvent}}^{\circ}$

$V.P_{\text{total}} = V.P_{\text{solute}} + V.P_{\text{solvent}}$

$V.P_{\text{total}} = X_{\text{solute}} P_{\text{solute}}^{\circ} + X_{\text{solvent}} P_{\text{solvent}}^{\circ}$

$= X_{\text{solute}} P_{\text{solute}}^{\circ} + (1 - X_{\text{solute}}) P_{\text{solvent}}^{\circ}$

Remember  $\Rightarrow X_{\text{solute}} + X_{\text{solvent}} = 1$



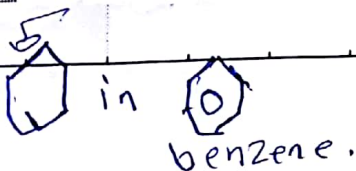
you can do it

$c = a + b$

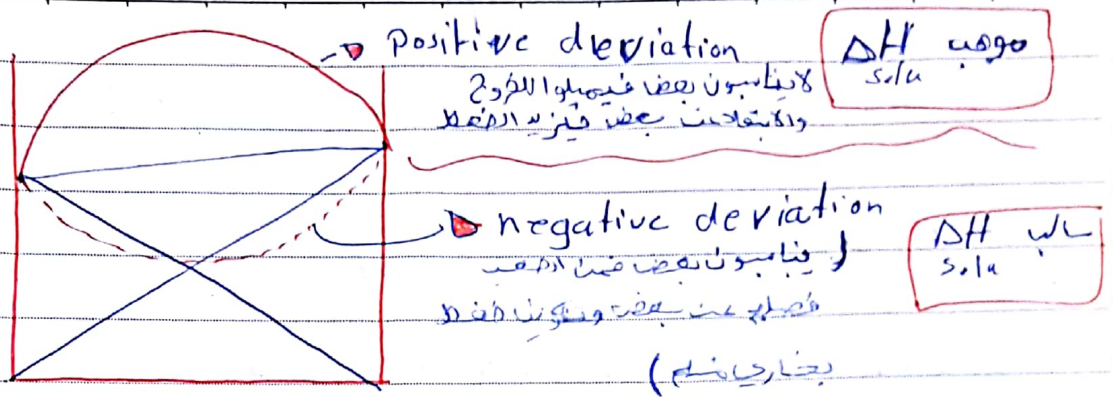
- ① Solute is Volatile.
- ② the solution is ideal (which obeys Raoult's law)

cyclohexane

properties ( $\Delta H_{\text{sol}} = \text{Zero}$ )  
(Solute and Solvent particles are similar)



The intermolecular forces between solute and solvent molecules are equal to those between solute molecules and between solvent molecules



② Boiling Point elevation

- Boiling Point of Solution is higher than that of of the pure solvent.

$$\Delta T_b = K_b \cdot m$$

↑
increase in the B.P
↓
constant depends on the solvent.
↓
molality.

③ Freezing Point depression

- Freezing Point of a Solution is lower than that of Pure Solvent.

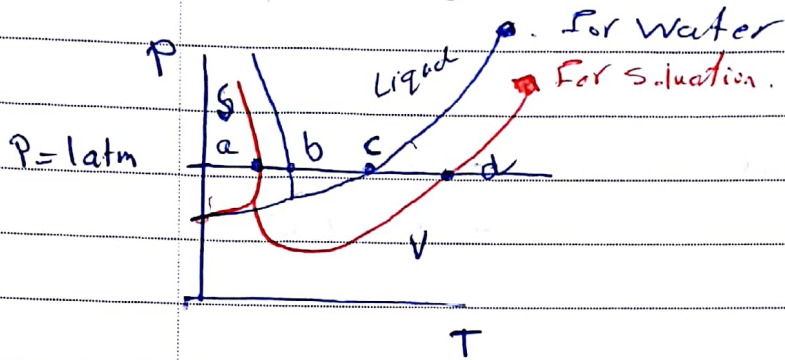
$$\Delta T_f = K_f \cdot m$$

freezing point depression

\*  $K_f \neq K_b$

لكننا في الحالات التي لا يوجد بالذات في التجميد والطاقة في المحلول

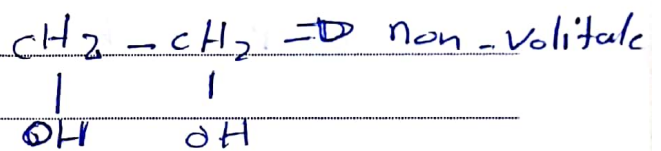
## \* phase diagram



a = D Fusion the Solution  
 b = D " " Solvent  
 c = D vaporization of Solvent  
 d = D " " Solution.

example.

ethylene glycol



651g E.G dissolved in 2505g water. what is the freezing point of the solution given that  $M.M = 62.0 \text{ g/mol}$

$$K_f(\text{H}_2\text{O}) = 1.86 \text{ } ^\circ\text{C/m}, \quad K_b = 0.52 \text{ } ^\circ\text{C/m}$$

$$\text{Br } P(\text{EG}) = 127^\circ\text{C}$$

Solution

$$\Delta T_f = K_f m$$

$$m = \frac{\text{moles of Solute}}{\text{mass Solvent}}$$

$$\text{moles} = \frac{651}{62.0} = 10.5 \quad \left/ \quad \frac{\text{moles}}{\text{mass in kg}} = \frac{10.5}{2.505} = 4.19 \right.$$

$$\Delta T_f = k_f m \quad \Rightarrow \text{تغير، التجمد، في الدرجة}$$

$$= 7.79 \text{ } ^\circ\text{C}$$

$$\text{F.P. of the Solution} = 0 - 7.79 \text{ } ^\circ\text{C}$$

$$= -7.79 \text{ } ^\circ\text{C}$$

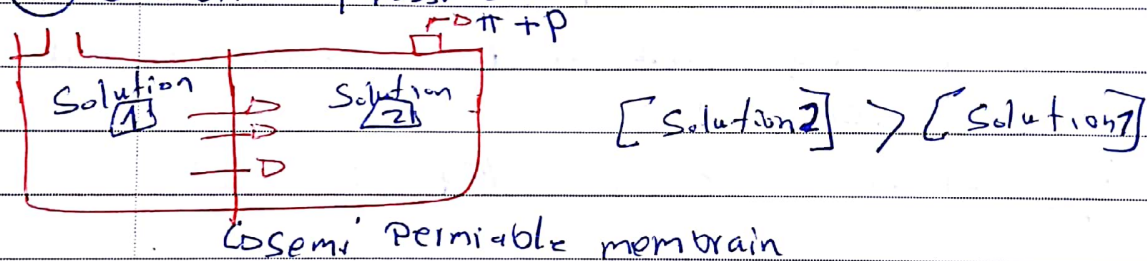
$$\Delta T_b = k_b m$$

$$= 0.52 \times 4.29 = 2.2$$

$$\text{B.P. of the Solution} = 100 + 2.2 = 102.2 \text{ } ^\circ\text{C}$$

درجة غليان (العل)

#### ④ Osmotic pressure.



$$\text{if } [\text{Solution 2}] = [\text{Solution 1}] \Rightarrow \Delta G = \text{zero.}$$

$$\pi = MRT$$

- units of  $\pi = \frac{\text{mole}}{\text{L}} \times \frac{\text{L} \cdot \text{atm}}{\text{mole} \cdot \text{K}} \cdot \text{K} = \text{atm}$

0.0821

If the two solution have the same molarity  
 $\rightarrow$  isotonic solution

No. \_\_\_\_\_

For different conc. solutions with higher conc.

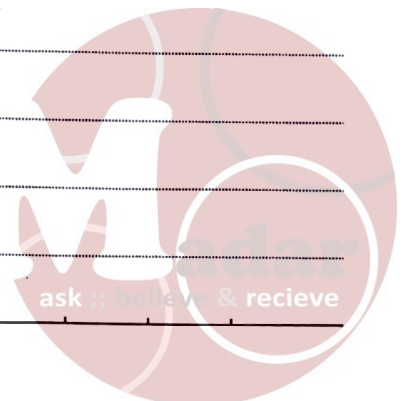
" = with lower ~~to~~ hypertonic.

Solution with higher conc hypertonic

455

458

456



For different conc. solutions with higher conc.  
 // // with lower ~~to~~ hypertonic hypotonic  
 Solution with higher conc hypertonic

\* ~~osmosis~~ osmosis  $\Rightarrow$  The net movement of solvent molecules  
 through a semipermeable membrane From a pure solvent  
 or dilute solution to a more concentrated solution.

\* osmotic pressure  $\Rightarrow$  the pressure required to stop osmosis

example.

7.85 g of a compound was dissolved in 30 g of benzene, the freezing decreased by  $1.05^\circ$ , what is the M.M of the compound. ( $K_f(\text{benzene}) = 5.21 \text{ g/mol}$ )

Solution:-

$$\Delta T_f = K_f m$$

$$1.05 = 5.21 \times \frac{7.85}{0.301 \cdot M.M}$$

$$M.M = 127 \text{ g/mol}$$

35 g of Hb were dissolved in water to make 1.00 L solution, the measured O.P was 10. torr (mm Hg) at  $25^\circ\text{C}$ . cal the M.M of Hb

~~$$\Pi = KRT$$~~

$$\Pi = RT.M$$

$$\pi = MRT$$

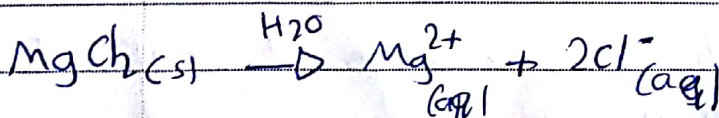
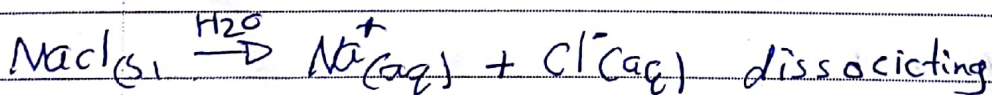
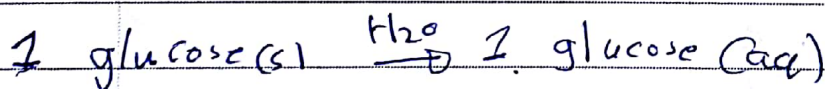
$$10 \frac{\text{torr}}{\text{mmHg}} \times \frac{1 \text{ atm}}{760 \text{ mmHg}} = 0.013 \text{ atm}$$

$$0.013 = \frac{350}{1 \text{ L.M.M}} \times 0.0821 \times 298 = 65079 \text{ g/mol} \\ = 6.5 \times 10^4$$

∴ 500 →

- \* If M.M > 500 g/mol ⇒ use osmotic pressure
- \* If M.M < 500 g/mol ⇒ use F.P depression

So for the solute is assumed as a non-associating non-dissociating solute in the solution



No.

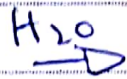
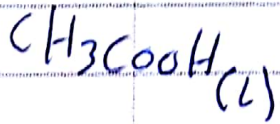
-  $\Delta T = K_f m$   $m, M$  for particles not for solute  
-  $\Pi = MRT$  molecule.

$$\Delta T_f = i K_f m$$

$$\Delta T_b = i K_b m$$

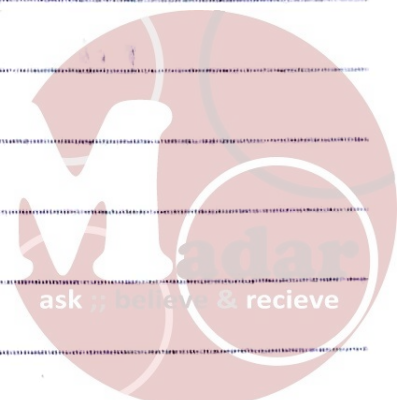
$$\Pi = i MRT$$

$i =$  van Hoff factor



$$i = 1.2$$

تملكه مزرى لانهم ضعيف

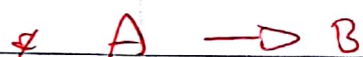




## chapter 14 chemical kinetics

↳ rate of chemical rxn / rxn rate.

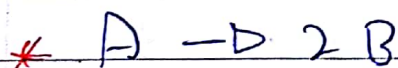
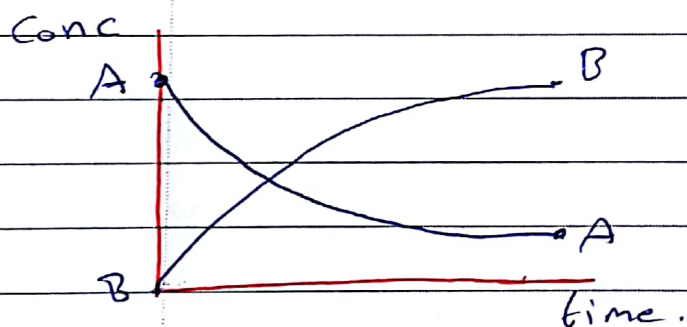
rate  $\Rightarrow$  change in concn by time  $\Rightarrow \frac{M}{S}$



rate of rxn  $\equiv$  rate disappearance of A

" appearance of B

$$= \frac{-[A]}{\Delta t} = \frac{[B]}{\Delta t}$$



$$\text{rate} = -\frac{2d[A]}{dt} = \frac{d[B]}{dt}$$

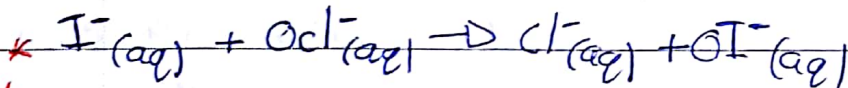
$$= \frac{-d[A]}{dt} =$$



$$\text{rate} = -\frac{1}{a} \frac{d[A]}{dt} = -\frac{1}{b} \frac{d[B]}{dt} = \frac{1}{c} \frac{d[C]}{dt} = \frac{1}{d} \frac{d[D]}{dt}$$

\* rate expression

example. write the rate expression

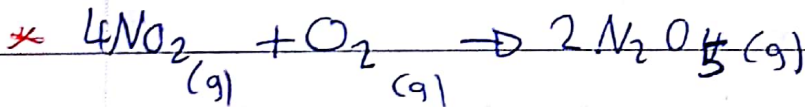


Solution  $\rightarrow$

$$\frac{-d[I^{-}]}{dt} = \frac{-d[OCl^{-}]}{dt} = \frac{d[OI^{-}]}{dt}$$



$$\frac{-\frac{1}{3} \frac{d[O_2]}{dt}}{dt} = \frac{\frac{1}{2} \frac{d[O_3]}{dt}}{dt}$$



$$\frac{1}{4} \frac{-d[NO_2]}{dt} = \frac{-d[O_2]}{dt} = \frac{1}{2} \frac{d[N_2O_5]}{dt}$$

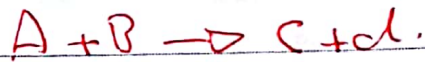
- If the rate of disappearance of  $O_2 = 0.024 \text{ M/s}$   
what is the rate of disappearance of  $NO_2$

$$\frac{-d[O_2]}{dt} = \frac{-d[NO_2]}{4 dt} \Rightarrow 4 \cdot 0.024 = 0.096 \text{ M/s}$$

rate of disappearance

## Rate laws.

experimentally the rate of rxn depends on the conc. of reactants only.



$$\text{rate} \propto [A][B]$$

$$\text{rate} = k[A]^a[B]^b \rightarrow \text{rate law}$$

k: rate constant.

a: order with respect A

b: " " " B

a+b: overall order.

a, b: integer

$\Rightarrow$  No relation between orders the stoichiometric amounts of the reactants.

$$\text{units} \Rightarrow \frac{M}{s} : k M^a M^b$$

$$\frac{M}{s} : k M^{a+b}$$

$$\frac{M}{s} : k M^{\text{overall order}}$$

$\Rightarrow$  units of k depends on the overall order.

0th order rxn

1st order rxn

2nd order rxn

Zeroth order rxn.  $A + B \rightarrow C + D$

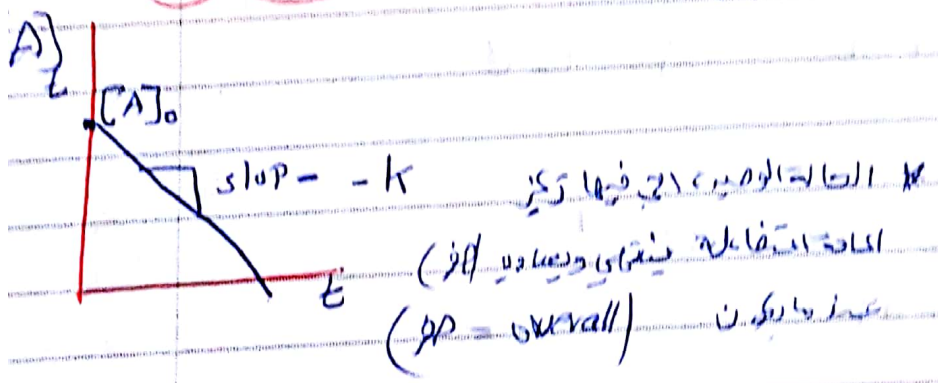
rate =  $k[A]^0[B]^0$       over order =  $0 + 0 = 0$   
rate =  $k$       1st rxn

$-\frac{d[A]}{dt} = k$

$\int_{[A]_0}^{[A]_t} d[A] = \int_0^t -k dt$

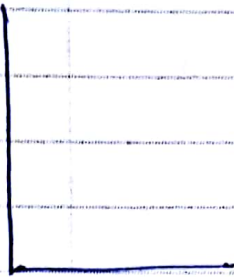
$[A]_t - [A]_0 = -k(t - 0)$

$[A]_t = [A]_0 - kt$  integrated rate law for the zeroth order rxn.



example. For 0th order rxn at what time the reactants will be completely consumed.





$$* [A]_t = [A]_0 - kt$$

$$0 = [A]_0 - kt$$

$$t = \frac{[A]_0}{k}$$

\*

half life time

time required to reach half the initial conc.

$$\frac{[A]_0}{2} = [A]_0 - kt$$

$$t_{\frac{1}{2}} = \frac{[A]_0}{2k}$$

half life time

1st order rxn  $A \rightarrow B$

rate law

$$\Rightarrow \text{rate} = k[A]^1$$

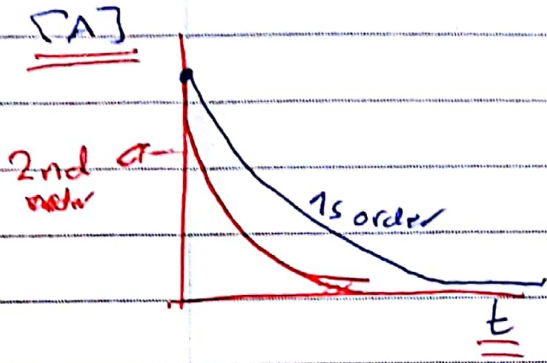
$$\frac{-d[A]}{dt} = k[A]$$

$$\int_{[A]_0}^{[A]_t} \frac{d[A]}{[A]} = -k \int_0^t dt$$

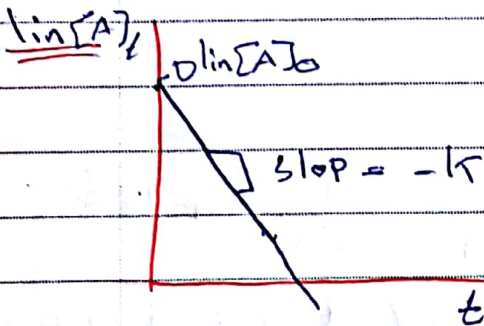
$$\ln[A]_t - \ln[A]_0 = -kt$$

$$\ln[A]_t = \ln[A]_0 - kt$$

integrated rate law for the 1st order rxn.



فان كان تركيز المتفاعل  
وكننا نريد ان نرى  
دالة وقت التفاعل  
الا لنتبينه



half life time

$$t = \frac{\ln[A]_0 - \ln 2}{-k} = \frac{\ln[A]_0 - \ln 2}{k}$$

$$\ln[A]_0 - \ln 2 = \ln[A]_0 - kt$$

$$t_{1/2} = \frac{\ln 2}{k}$$

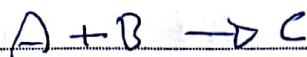
unit for k

$$\text{rate} = k[A]$$

$$\frac{M}{s} = k M$$

$$k = \frac{1}{s}, s^{-1} \text{ or } Hz$$

2nd order rxns



$$\text{rate} = k[A]^2[B]^0$$

$$\text{rate} = k[A]^1[B]^1 \quad \times \quad \text{"unknown"}$$

$$\frac{-d[A]}{dt} = k[A]^2$$

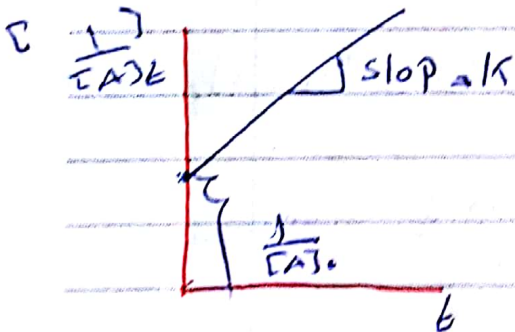
$$\int_{[A]_0}^{[A]_t} \frac{d[A]}{[A]^2} = -k \int_0^t dt$$

$$2 \frac{1}{x^2} dx = -\frac{1}{x}$$

$$\left[ \frac{1}{[A]_0} - \frac{1}{[A]_t} \right] = -kt \Rightarrow$$

$$\boxed{\frac{1}{[A]_t} = \frac{1}{[A]_0} + kt}$$

integrated rate law for  
2nd order rxn.



half life time.

$$\frac{\frac{1}{[A]_0} + kt}{2} = \frac{1}{[A]_0} + kt$$

$$\frac{2}{[A]_0} = \frac{1}{[A]_0} + kt \Rightarrow t_{1/2} = \frac{1}{[A]_0 k}$$

unit for  $k = \frac{M}{\text{sec}} = k M^2$

$$k = \frac{1}{\text{sec} \cdot M}$$

0th

$$\text{rate} = k$$

1st

$$\text{rate} = k[A]$$

2nd

$$\text{rate} = [A]^2 k$$

$$[A]_t = [A]_0 - kt$$

$$\ln[A]_t = \ln[A]_0 - kt \left/ \frac{1}{[A]_t} = \frac{1}{[A]_0} + kt \right.$$

$$\frac{M}{s}$$

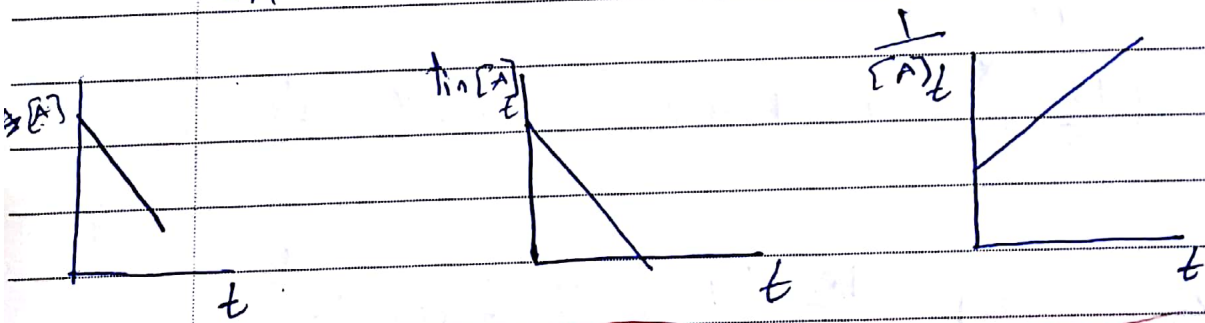
$$\frac{1}{s}$$

$$\frac{1}{M \cdot s}$$

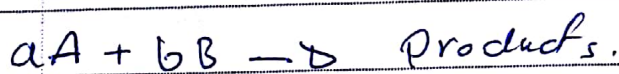
$$\frac{t}{2} = \frac{[A]_0}{2k}$$

$$t_{1/2} = \frac{\ln 2}{k}$$

$$t_{1/2} = \frac{1}{[A]_0 k}$$

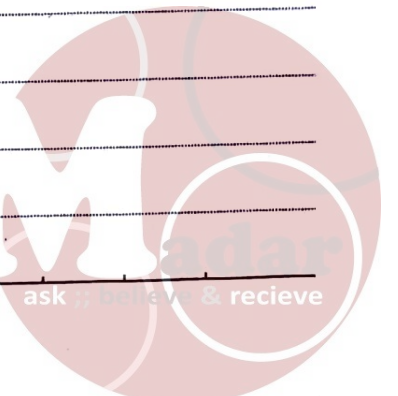


\* How to determine the order.



$$\text{rate} = k[A]^x[B]^y$$

to find (x) and (y) do experiment.





Example.



$$\text{rate} = k [\text{NO}]^x [\text{H}_2]^y$$

Exp	$[\text{NO}]$	$[\text{H}_2]$	Initial rate
1	$5 \times 10^{-3} \text{ M}$	$2.0 \times 10^{-2} \text{ M}$	$1.3 \times 10^{-5} \text{ M/s}$
2	$10 \times 10^{-3} \text{ M}$	$2.0 \times 10^{-2} \text{ M}$	$5 \times 10^{-5}$
3	$10 \times 10^{-3}$	$4.0 \times 10^{-2}$	$10.0 \times 10^{-5}$

}  $x=2$   
}  $y=1$

$$\frac{\text{rate}_1 = 1.3 \times 10^{-5}}{\text{rate}_2 = 5 \times 10^{-5}} = \frac{k (5.0 \times 10^{-3})^x (2.0 \times 10^{-2})^y}{k (10.0 \times 10^{-3})^x (2.0 \times 10^{-2})^y}$$

$$\frac{1.3}{5} = \left(\frac{5}{10}\right)^x$$

$$\frac{5}{1.3} = \left(\frac{10}{5}\right)^x \Rightarrow 4 = (2)^x \quad \therefore \boxed{x=2}$$

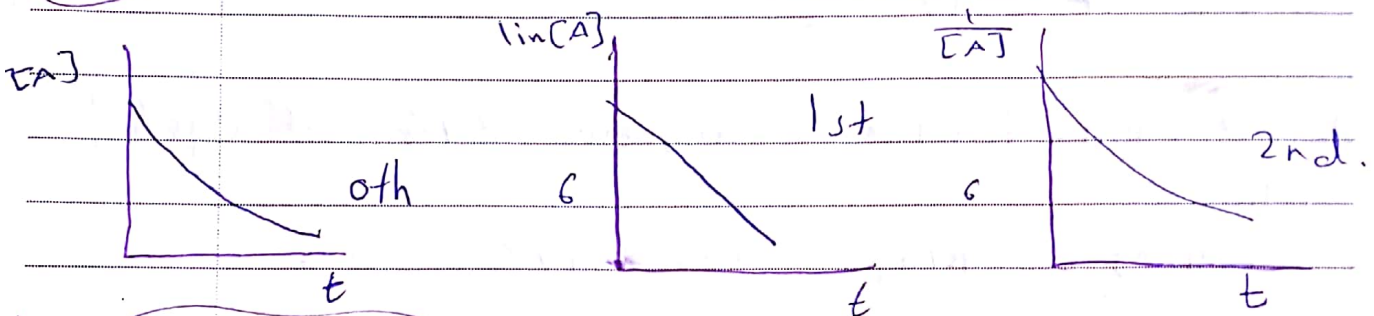
$$\frac{\text{rate}_2}{\text{rate}_3} = \left(\frac{10}{5}\right)^x = \frac{k (10 \times 10^{-3})^x (4 \times 10^{-2})^y}{k (10 \times 10^{-3})^x (2 \times 10^{-2})^y}$$

$$2 = (2)^y$$

$$\boxed{y=1}$$

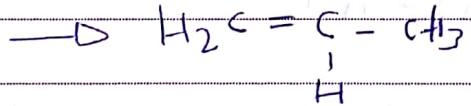
$A + B \rightarrow \text{Product}$

time	Conc	$\ln[A]$	$\frac{1}{[A]}$
0	$[A]_0$		



example.

cyclopropane  $\rightarrow$  1-propene.



1st order rxn

$k = 6.7 \times 10^{-4} \text{ s}^{-1}$

a) what is the conc of cyclo after 8.8 min  
if  $[C_{\text{cyclo}}]_0 = 0.25 \text{ M}$

$$\ln[A]_t = \ln[A]_0 - kt$$

$$\ln[A]_t = \ln(0.25) - 6.7 \times 10^{-4} \times (8.8 \cdot 60)$$

$$\ln[A]_t = -1.74$$

$$[A]_t = e^{-1.74} = 0.18 \text{ M}$$

b) How much time it takes to have  $[A]_t = 0.15 \text{ M}$

$$\ln [A]_t = \ln [A]_0 - kt$$

$$\ln [0.15] = \ln [0.25] - 6.7 \times 10^{-4} t$$

$$t = 7.6 \times 10^2 \text{ s}$$

c) How much it takes to consume 74% of cyclo?

Solution:

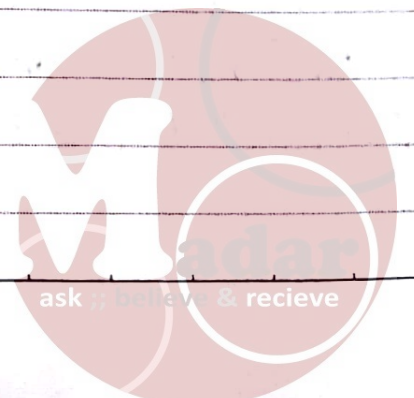
$$\text{remaining of cyclo} = 100\% - 74\% = 26\%$$

$$[\text{cyclo}] = 0.25 \times 0.26 = 0.065 \text{ M} \rightarrow$$

$$\ln [A]_t = \ln [A]_0 - kt$$

$$\ln [0.065] = \ln [0.25] - 6.7 \times 10^{-4} t$$

$$t = 2.0 \times 10^3 \text{ s}$$



# Activation energy and temp dependence.

Chemical reaction: particle collisions.

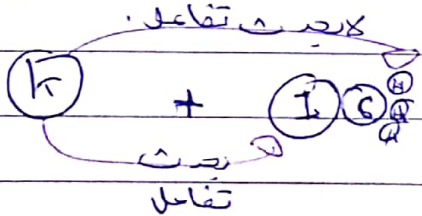
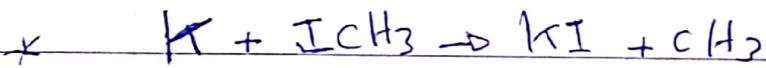
K.E for particles  $\propto$  temp.

as temp increase  $\rightarrow$  K.E increase.  $\rightarrow$  Speed increase.

Faster the rxn  $\leftarrow$  collisions increase.

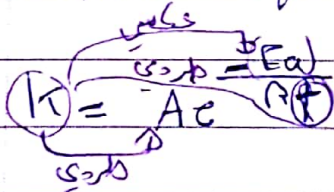
\* Not all collisions lead to products.

\* minimum amount of energy must be overcome  $\Rightarrow$  called activation energy ( $E_a$ )

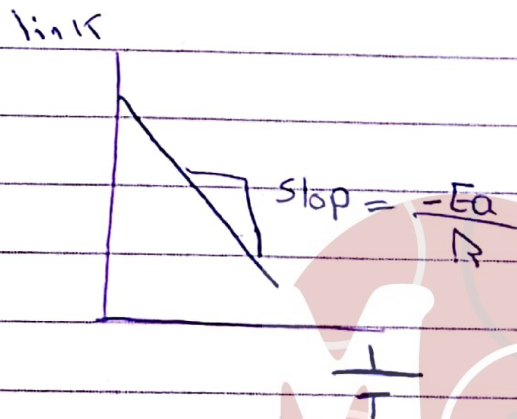


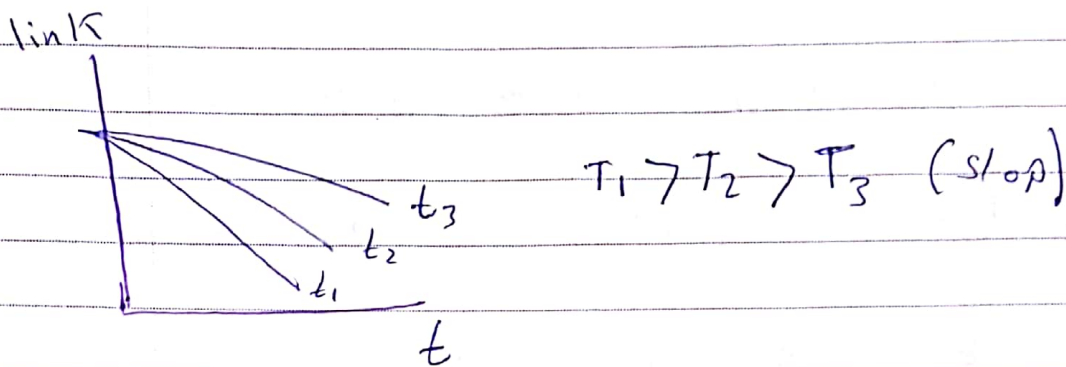
frequency factor (A)

\* Arrhenius equation:



$$\underbrace{\ln k}_y = \underbrace{\ln A}_a - \underbrace{\ln \frac{E_a}{RT}}_b$$





$E_a$  and  $A$  are positive number.

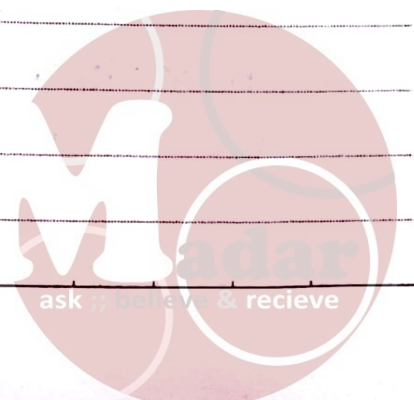
\* at ~~down~~ two different temps.

$$\ln k_1 = \ln A - \frac{E_a}{RT_1} \quad \text{at } t_1$$

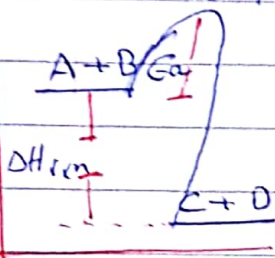
$$\ln k_2 = \ln A - \frac{E_a}{RT_2} \quad \text{at temp } T_2$$

$$\ln k_1 - \ln k_2 = \frac{-E_a}{RT_1} + \frac{E_a}{RT_2}$$

$$\frac{\ln k_1}{k_2} = \frac{-E_a}{R} \left( \frac{1}{T_1} - \frac{1}{T_2} \right)$$



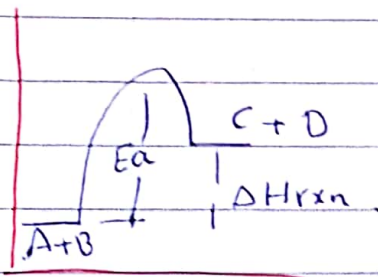
Energy

activation  
complex

rxn coordinates.

\* For backward rxn

$$E_{a \text{ back}} = E_{a \text{ forward}} - \Delta H_{\text{rxn}}$$



Exothermic.

~~Ex~~

... ..

example.

For a first order reaction.  $k_1 = 3.46 \times 10^{-2} \text{ s}^{-1}$  at  $25^\circ \text{C}$ 

$$E_a = 50.2 \text{ kJ/mol}$$

What is the rate constant ( $k_2$ ) at  $77^\circ \text{C}$ ?

Solution:-

$$\ln \frac{3.46 \times 10^{-2}}{k_2} = \frac{-50.2 \times 10^3}{8.314} \left( \frac{1}{298} - \frac{1}{350} \right)$$

$$\frac{3.46 \times 10^{-2}}{k_2} = e^{-3.01} \Rightarrow k_2 = 0.702 \text{ s}^{-1}$$

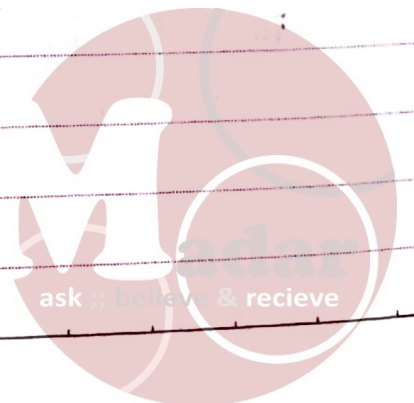
No. \_\_\_\_\_

\* Reaction mechanism.

overall rxn (A  $\rightarrow$  B)

mechanism

A $\rightarrow$ DC	$\rightarrow$	elementary step	1
C $\rightarrow$ DE	$\rightarrow$	" "	2
E $\rightarrow$ M	$\rightarrow$	" "	3
M $\rightarrow$ E $\rightarrow$ B	$\rightarrow$	" "	4



14.5

\* Reaction mechanism.

overall rxn ( $A \rightarrow B$ )mechanism  $A \rightarrow OX \rightarrow$  elementary step 1 $C \rightarrow DE \rightarrow$  " " 2 $E \rightarrow M \rightarrow$  " " 3 $M \rightarrow E \rightarrow B \rightarrow$  " " 4Overall:  $A \rightarrow B$ 

18 g of non-volatile paraffin (molar mass = 282 g/mol) was dissolved in 500 g of benzene (m. mass 78). At  $53^\circ$  (the vapour pressure of benzene is 300.0 mmHg) what is the V.P. lowering (in mmHg) for the solution of this temp?

$$\Delta P = x_2 P_0$$

$$x_2 = \frac{\text{moles of solute}}{\text{total moles}}$$

$$= \frac{18.0 / 282}{(18 / 282) + 500 / 78}$$

A 0.100 M  $K_2SO_4$  aqueous solution has freezing point of  $-0.43^\circ C$ . What is the van't Hoff factor for this solution.

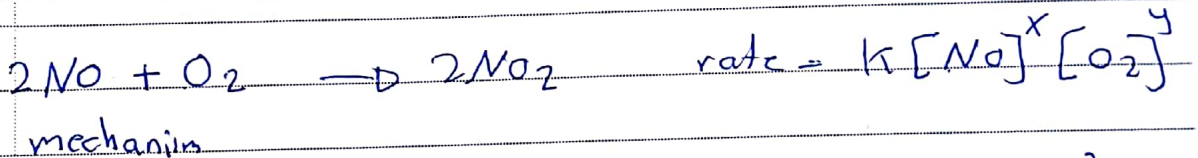


$$\Delta T_f = i k_f m$$

$$0.43 = i (1.8) (0.1)$$

For a correct mechanism :-

- \* The sum of all rxn mechanism steps (elementary step) must give the over all rxn (must give the overall balanced equation)
- \* The rate of over all rxn is controlled by the "rate determining step", which is the slowest step in the mechanism.



$N_2O_2$  intermediate molecules (مركبات وسيطة)

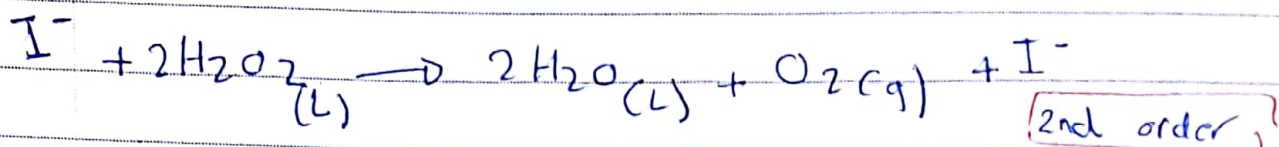
rxn molecularity (elementary step)

(unimolecular elementary step with one reactant)

bimolecular  
تفاعلي الجزيئي

over all rxn  
Termolecular  
extremely rare

is the number of molecules reacting in an elementary step



\* experimentally rate =  $k[H_2O_2][I^-]$   
 \* mechanism



$IO^-$  is intermediate  $I^-$  is catalyst

$$\rightarrow \text{rate} = k_1[H_2O_2][I^-]$$

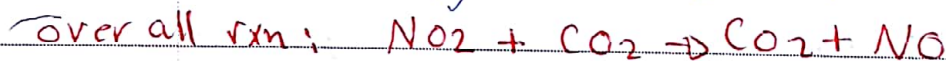
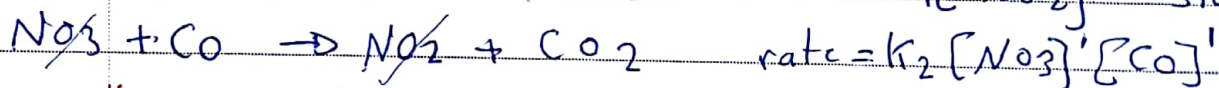
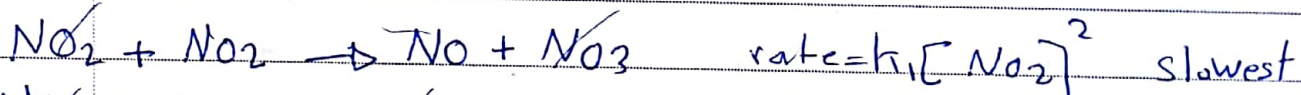
$$\rightarrow \text{rate} = k_2[H_2O_2][IO^-]$$

rate law of the overall order  $\rightarrow$  (elementary step)

for a rxn, the rate law:

$$\text{rate} = k[NO_2]^2$$

mechanism:



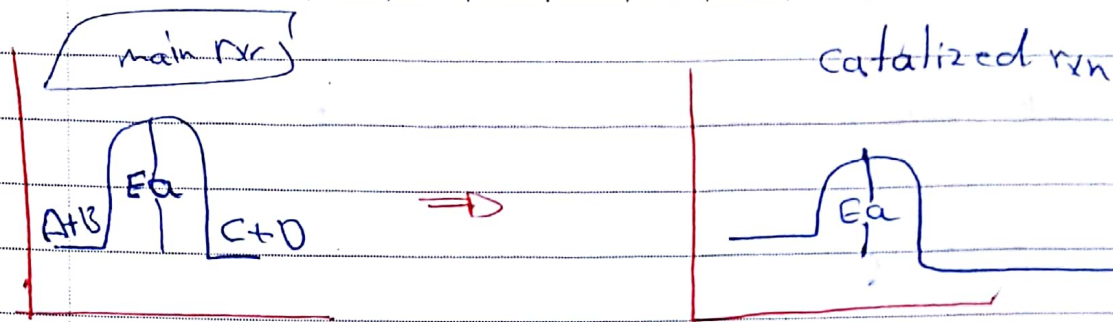
intermediate,  $NO_3$

$NO_2$

(over all rxn)  $\rightarrow$   $NO_2$  intermediate

Catalyst: Substance added to the rxn to increase it's speed by opening another rxn pathway with lower activation energy.

speed,  $E_a$   $\downarrow$   $\rightarrow$   $\text{rate} \uparrow$



rate of catalyzed rxn  $>$  rate uncatalyzed rxn

$k_{\text{catalyzed}} > k_{\text{uncatalyzed}}$

$E_{a \text{ catalyzed}} < E_{a \text{ uncatalyzed}}$

### Types of Catalyst

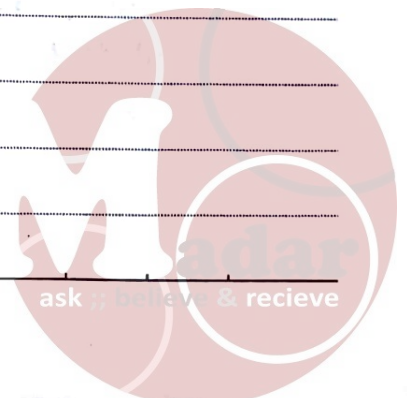
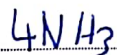
1- Heterogeneous, Catalyst and reactants in different phases

\* Example - Synthesis of  $\text{NH}_3$

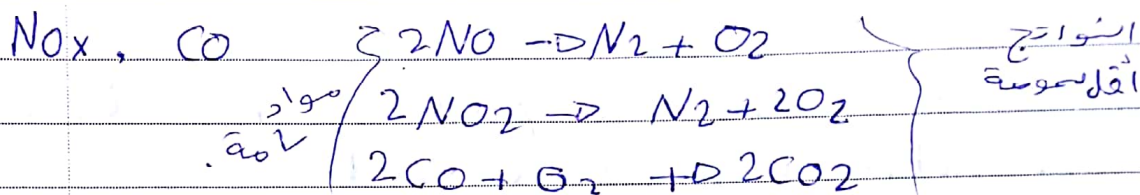


Catalyst ( $\text{Fe} + \text{K}, \text{Al}_2\text{O}_3$ )

- manufacturing of  $\text{HNO}_3$

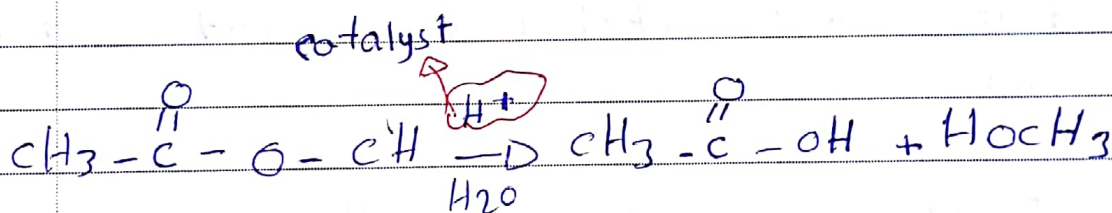


Catalytic converter contains Pt, Pd & CuO  
بلادي بلادي  
, Cr<sub>2</sub>O<sub>3</sub>.



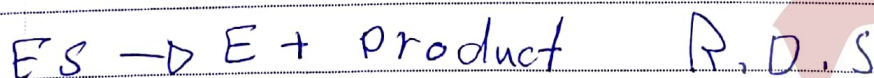
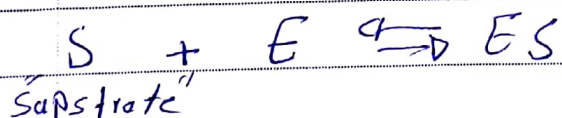
### ② Homogenous catalysis

catalyst is with the same phase of the reactants

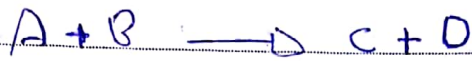


### ③ enzymes

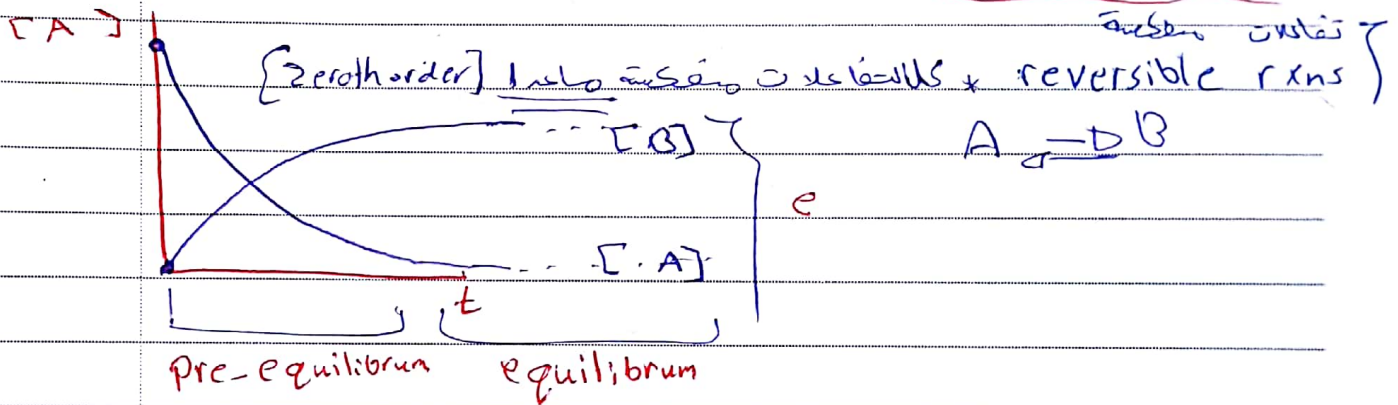
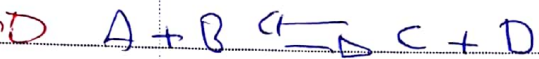
- \* catalyst for biological rxns.
- \* catalyze very specific rxns.
- \* speeds up biological rxns from  $10^6$  to  $10^{18}$  times.



## Chapter 15 "Chemical equilibrium.

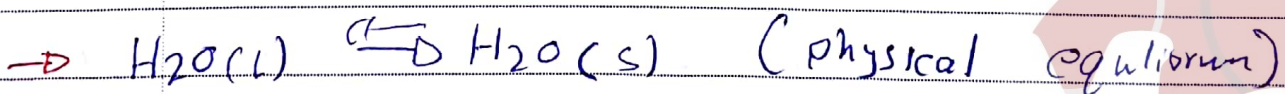
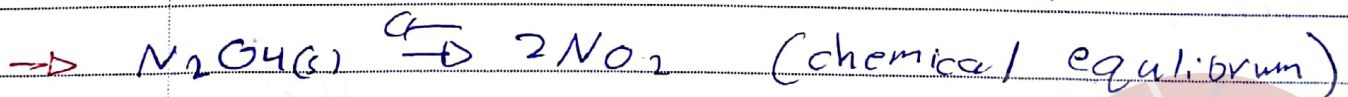


once [C] and [D] exist they react to form A and B  
 $C + D \longrightarrow A + B$



\* When construction of reactant and products don't change  $\rightarrow$  the system is said to be in equilibrium.

\* because rate of production of products equals the rate disappearance of the products.

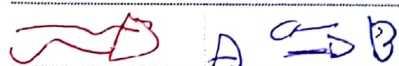


\* Experimentally it was found that

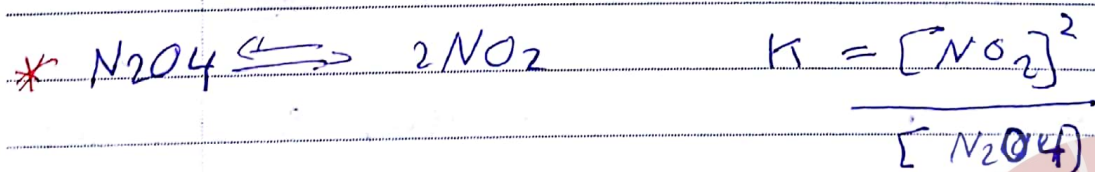
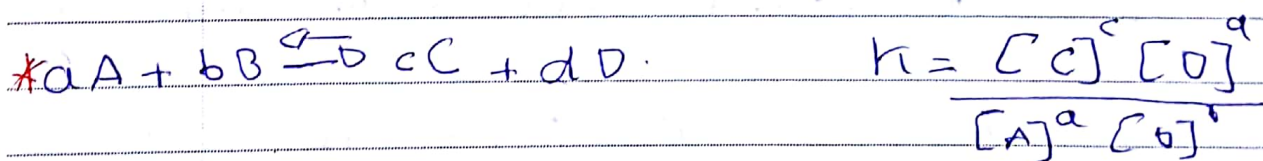
the ratio of product of product conc. to the product of reactants conc. is constant.

$$\Rightarrow \text{constant} = \frac{\prod [\text{product}]^{\text{coeff}}}{\prod [\text{reactants}]^{\text{coeff}}} = K$$

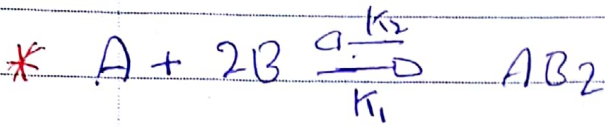
$K \Rightarrow$  equilibrium constant.



$$K = \frac{[B]}{[A]}$$



\* because rate constant are temp. dependent, it follows that the equilibrium constant must also change with temp.



$$- \text{rate } 1 = k_1 [A] [B]^2$$

$$- \text{rate } 2 = k_2 [AB_2]$$

at equilibrium  $\text{rate } 1 = \text{rate } 2$

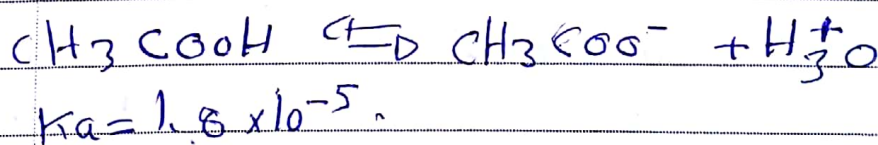
$$k_1 [A] [B]^2 = k_2 [AB_2]$$

$$\frac{k_1}{k_2} = \frac{[AB_2]}{[A] [B]^2}$$

$$\text{rate constant } \frac{k_1}{k_2} = K (\text{equilibrium constant})$$

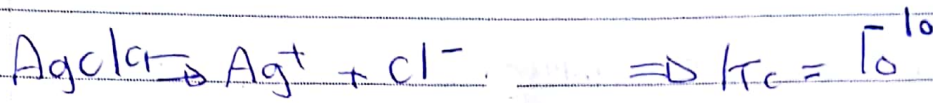
\* if  $k_1 \gg 1$  rxn mixture is mainly made from products.

\* if  $K \ll 1$  rxn mixture is mainly made from reactants.

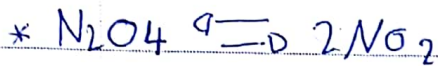


$$K = \frac{[H_3O^+] [CH_3COO^-]}{[CH_3COOH] [H_2O]}$$

units of  $K$   
 is unitless  
 always



~~10<sup>-10</sup>~~



$$K = \frac{[\text{NO}_2]^2}{[\text{N}_2\text{O}_4]}$$



$$K = \frac{[C]^c}{[B]^b [A]^a}$$

$$\text{true } K = \frac{a_c^c}{a_A^a a_B^b}$$

a: activity.

$$a = \frac{[\text{conc.}]}{\text{conc. unite.}}$$

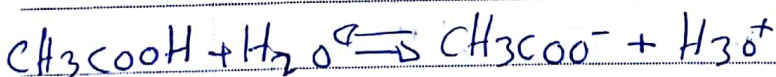
conc. unite.

what is  $[\text{H}_2\text{O}]$

$$M = \frac{\text{mol.}}{\text{volume}}$$

assume that you have 1L water

1000g  
↓



$$\frac{1000\text{g}}{18\text{g/mol}}$$

$$= 55.6\text{ mol}$$

$$K' = \frac{[\text{H}_3\text{O}^+]_{\text{aq}} [\text{CH}_3\text{COO}^-]_{\text{aq}}}{[\text{H}_2\text{O}] [\text{CH}_3\text{COOH}]}$$

$$\frac{[\text{H}_2\text{O}] [\text{CH}_3\text{COOH}]}{\text{constant}}$$

$$\Rightarrow K_a = \frac{[\text{H}_3\text{O}^+] [\text{CH}_3\text{COO}^-]}{[\text{CH}_3\text{COOH}]}$$

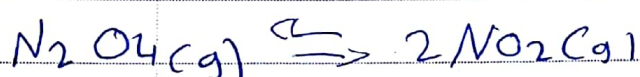
or  $[\text{H}^+]$

ask for review

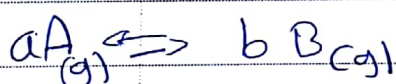


## \* Types of "K"

- $K_c$ : equilib constant in terms of conc.
- $K_p$ : " " of partial pressure.
- $K_a$ : " " = " of concentration of acid.
- $K_b$ : " " = " of basis
- $K_w = K_a \cdot K_b = 10 \times 10^{-14}$  → constant.



$$K_c = \frac{[NO_2]^2}{[N_2O_4]} \quad \text{c} \quad K_p = \frac{(P_{NO_2})^2}{P_{N_2O_4}}$$



$$PV = nRT$$

$$P_A V = n_A RT$$

$$P_B V = n_B RT$$

$$\Rightarrow P_A = \frac{n_A}{V} RT = P_A = [A] RT$$

$$\Rightarrow P_B = \frac{n_B}{V} RT = P_B = [B] RT$$

$$K_p = \frac{P_B^b}{P_A^a} = \frac{([B] RT)^b}{([A] RT)^a} = \frac{[B]^b}{[A]^a} \cdot (RT)^{b-a}$$

$$K_c$$

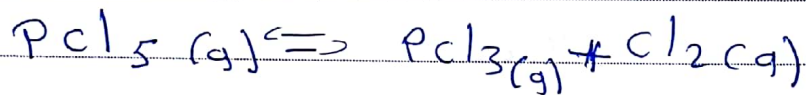
$$K_p = K_c (RT)^{\Delta n}$$

$$\Delta n = b - a$$

$$K_p = K_c (RT)^{\Delta n} \Rightarrow K_p = K_c (RT)^{2-1} \Rightarrow K_p = K_c (RT) \Rightarrow K_p \neq K_c$$

$\Rightarrow K_p = K_c$  only if  $\Delta n = \text{Zero}$   
 moles of gases in the reactants  
 equals moles of gas in  
 the products.

example =



if  $K_p = 1.05$  and  $(P_{PCl_5}) = 0.875 \text{ atm}$

$(P_{PCl_3}) = 0.463 \text{ atm}$

$(P_{Cl_2}) = ??$

Solution -

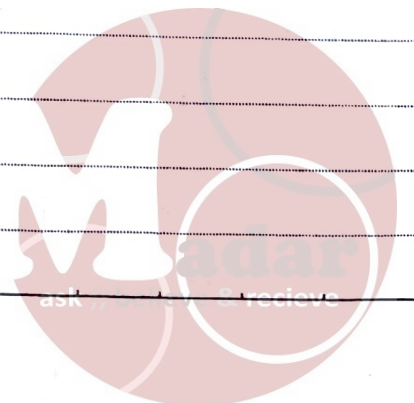
$$K_p = \frac{(P_{Cl_2})(P_{PCl_3})}{P_{PCl_5}}$$

$$1.05 = \frac{P_{Cl_2} \cdot 0.463}{0.875}$$

$$(P_{Cl_2}) = 1.98 \text{ atm}$$

$\Rightarrow$  if  $T = 25^\circ \text{C}$  calc.  $K_c$

$$K_p = K_c (RT)^{\Delta n}$$



$$1.05 = K_c (0.0821 \times 298)^{2-1}$$

$$K_c = 0.0429$$

example.



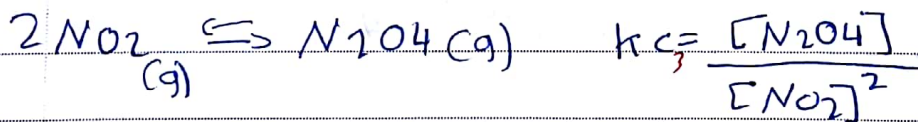
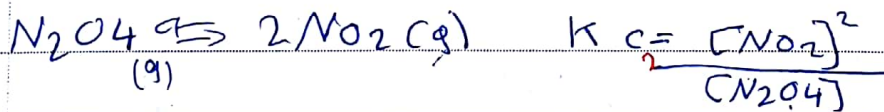
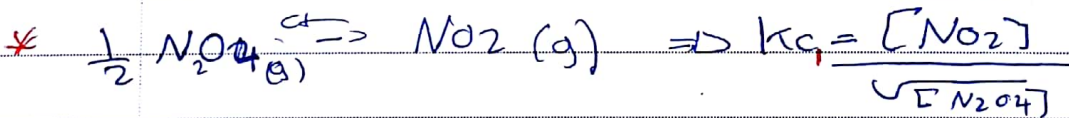
CD heterogeneous equilibrium.

$$K_c = \frac{[\text{CO}_2(g)] [\text{CaO}(s)]}{[\text{CaCO}_3(s)]}$$

constant

تركيز المنتجات والواحد ثابت

$$K_c = [\text{CO}_2(g)]$$



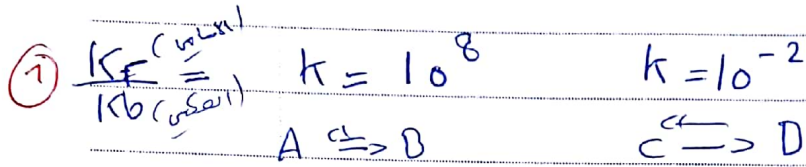
$$* K_{c2} = \frac{1}{K_{c1}}$$

$$* K_{c2} = (K_{c1})^2$$

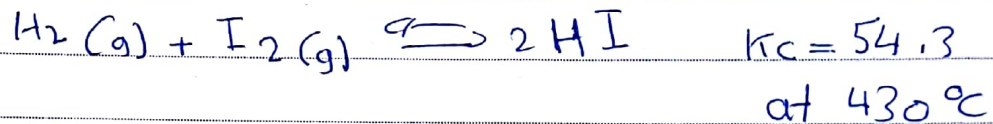
For a numerical value of equilibrium constant. A balanced chemical equation must be given.

(Kc + chemical equation + temp)

What does  $K$  tell us?



② you can predict the direction of the rxn.



If you mixed (0.243) mol of  $H_2(g)$   
 (0.146) mol of  $I_2(g)$   
 (1.98) mol of  $HI$  } mixed in 1L container.

$$K_c = \frac{[HI]_e^2}{[H_2]_e [I_2]_e} = 54.3$$

توازن الأيونات

$$Q_c = \frac{[HI]_0^2}{[H_2]_0 [I_2]_0} = \frac{(1.98)^2}{(0.243)(0.146)} = 111$$

reaction quotient  
 أو

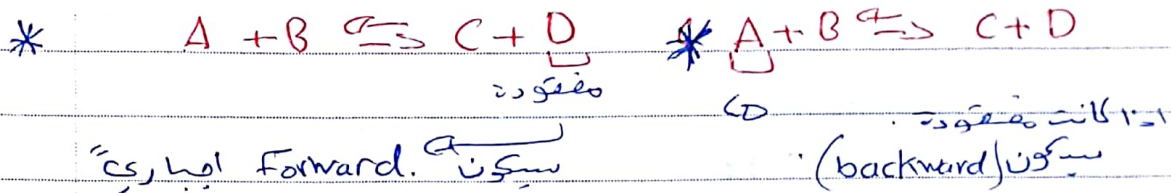
توازن الأيونات

$\Rightarrow$  IF  $Q_c = K_c$  "توازن الأيونات"

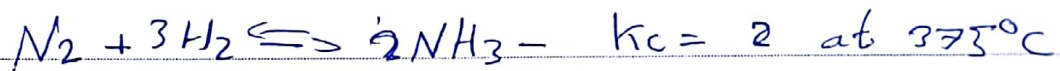
IF  $Q_c > K_c$  rxn proceeds in the backward direction

IF  $Q_c < K_c$  " " " " " forward.

اذا كانت احدى المواد المتفاعلة مفعولة (مزدوجتة) سيكون backward (rxn) يعرفون النقص في فلا تباد.



example.



$N_2 = 0.249 \text{ mol}$   
 $H_2 = 3.2 \times 10^{-2}$   
 $NH_3 = 6.42 \times 10^{-4}$

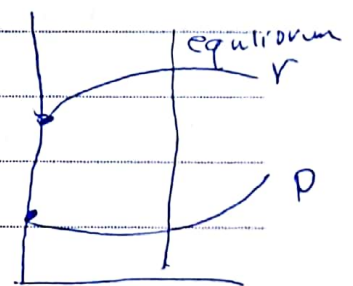
$3.5 \text{ L}$

التركيز  
 مولات  
 جاذبة الموال

$[H_2] = \frac{3.2 \times 10^{-2} \text{ mol}}{3.5 \text{ L}} = 9.17 \times 10^{-3} \text{ M}$

$[N_2] = \frac{0.249}{3.5} = 0.0711 \text{ M}$

$[NH_3] = \frac{6.42 \times 10^{-4}}{3.5} = 1.83 \times 10^{-4} \text{ M}$

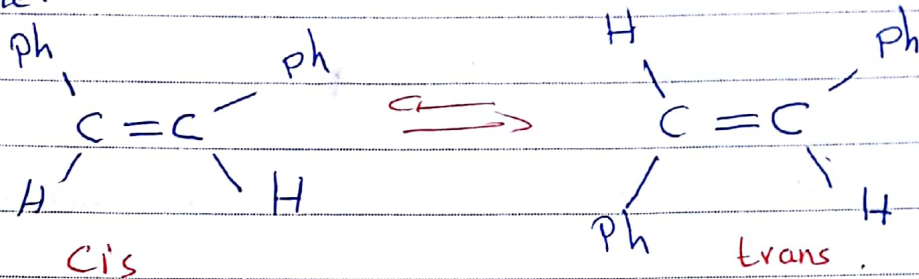


$Q_c = \frac{[NH_3]^2}{[N_2][H_2]^3} = \frac{(1.83 \times 10^{-4})^2}{(0.0711) \times (9.17 \times 10^{-3})^3} = 0.611$

$Q_c < K_c$ , so the rxn is proceed forward.

③ Calc conc. at equilibrium

example.



$$K_c = 24.0 \text{ at } 200^\circ\text{C}$$

$$[\text{cis}]_0 = 0.850 \text{ M}$$

$$[\text{trans}]_0 = \text{Zero}$$



$$\text{initially } 0.850 \quad 0$$

$$\text{equilibrium } (0.850 - x) \quad x$$

$$K_c = 24 = \frac{[\text{trans}]_e}{[\text{cis}]_e}$$

$$24 = \frac{x}{0.850 - x}$$

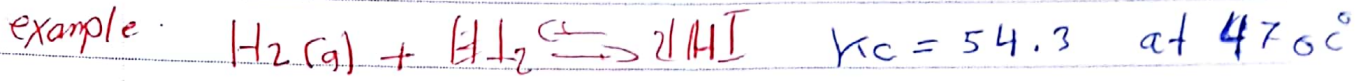
$$24(0.850 - x) = x$$

$$[x = 0.816 \text{ M}]$$

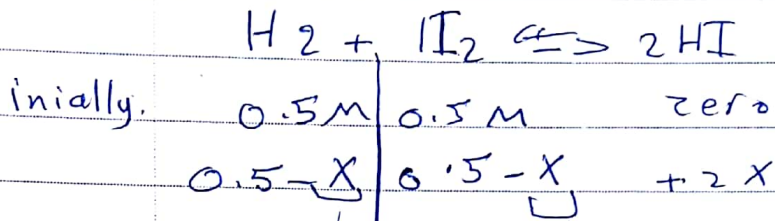
$$[\text{cis}]_e = 0.850 - 0.816 = 0.034 \text{ M}$$

$$[\text{trans}]_e = 0.816 \text{ M}$$

\* لا يجوز أن يكون التركيز سالباً



[If we started with 0.5 M of  $\text{H}_2$  and  $\text{I}_2$



نسبة استهلاك  $(\text{H}_2)$  و  $(\text{I}_2)$  =  
 اعراض - نسبة استهلاك  
 =  
 لا يتغير

$$K_c = 54.3 = \frac{(2x)^2}{(0.50 - x)^2}$$

$$\sqrt{54.3} = \frac{2x}{0.50 - x}$$

$$x = 0.393 \text{ M}$$

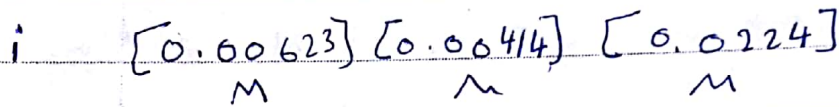
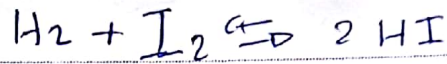
$$[\text{I}_2]_e = 0.5 - 0.393 =$$

$$[\text{H}_2]_e = 0.5 - 0.393$$

$$[\text{HI}]_e = 2 \cdot 0.393 \text{ M}$$



Example.

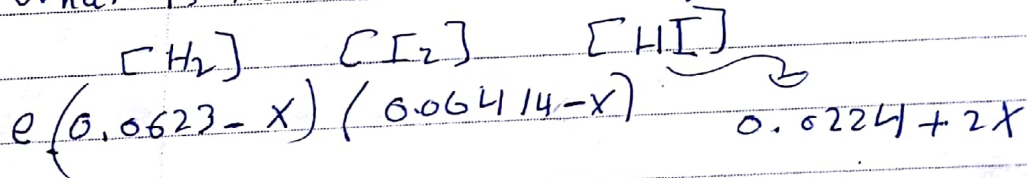


$$K_c = 54.3 \quad T = 470^\circ\text{C}$$

$$Q_c = \frac{[\text{HI}]^2}{[\text{I}_2][\text{H}_2]} = \frac{(0.0224)^2}{(0.00414)(0.00623)} = 19.5$$

The rxn proceed  
in the forward  
direction

\* What is the concn. in the equilibrium P.



$$54.3 = \frac{(0.00623 + 2x)^2}{(0.00623 - x)(0.00414 - x)}$$

$$50.3x^2 - 0.654x + 8.98 \times 10^{-4} = 0$$

Solution

$$x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$$

Wrong  $x = 0.0114 \text{ M}$  ✗

$$x = 0.00158 \text{ M} \quad \checkmark$$



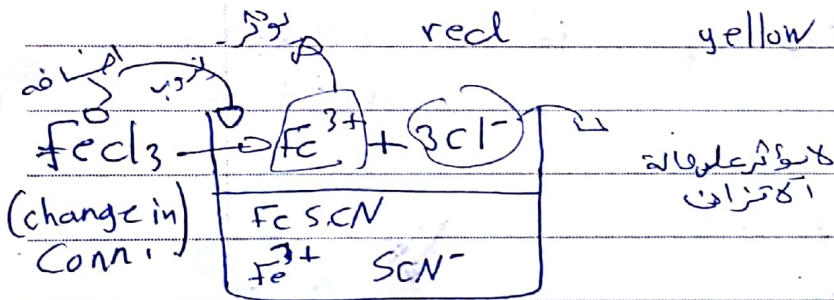
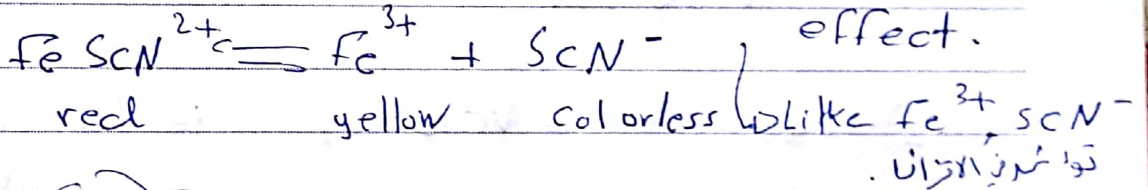
**\* Factors effecting the equilibrium**  
 Le Chateliers Principle.

if an external stress is on a system that is at equilibrium, The System adjusts so that the stress is partially a fest and try to reach equilibrium again.

⇒ **Stress** ⇒ change in concentration or in pressure or in temp.

example ⇒

"Common ion" effect.



موازنة كيميائية

$$Q_c = \frac{[\text{Fe}^{3+}][\text{SCN}^-]}{[\text{Fe SCN}^{2+}]} > K_c$$

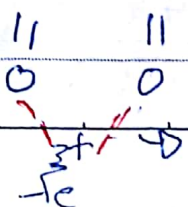
So, \* rxn shifts in the backward direction

Conc

\* of  $\text{Fe SCN}^{2+}$  increases

\* concentration  $\text{SCN}^-$  decrease.

⇒ Oxalic acid



coordinate bond

مركب تناسلي

(تناسلي, تناسلي)

تقل نسبة  $(\text{Fe}^{3+})$  في المحلول  
 في الوعاء فالتفاعل يصبغ المحلول  
 لتعويض نقص  $(\text{Fe}^{3+})$

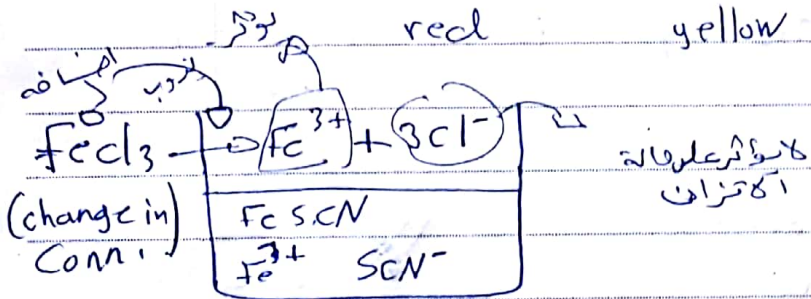
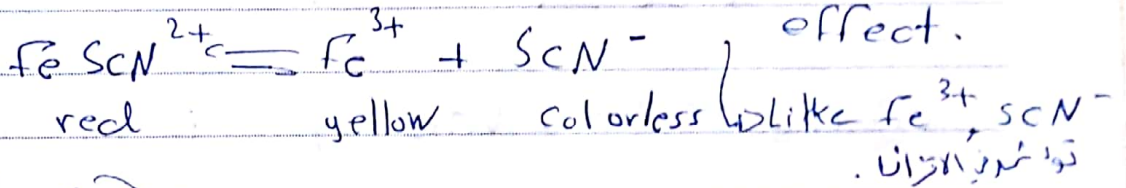
**\* Factors effecting the equilibrium**  
 Le Chatelier's Principle.

if an external stress is on a system that is at equilibrium, The system adjusts so that the stress is partially a fect and try to reach equilibrium again.

⇒ **Stress** ⇒ change in concentration or in pressure or in temp.

example ⇨

"Common ion" effect.



زيادة  $\text{Fe}^{3+}$  concentration

$$Q_c = \frac{[\text{Fe}^{3+}][\text{SCN}^-]}{[\text{Fe SCN}^{2+}]} > K_c$$

So, rxn shifts in the backward direction

Conc

\* of  $\text{Fe SCN}^{2+}$  increases

\* concentration  $\text{SCN}^-$  decrease.

⇨ Oxalic acid



oxalic acid

تفاعل  $\text{Fe}^{3+}$  مع حمض الأكساليك  
 في الوجود فالتفاعل يبرح باتجاه اليمين  
 لتكوين  $\text{Fe}^{3+}$  مع  $\text{C}_2\text{O}_4^{2-}$



coordinate bond

(تفاعل تناسق)

\* في اعادة ارجاع الضغط تغير التوازن لأن المواد ليست غازية - تتأثر بالتغير وتفراته

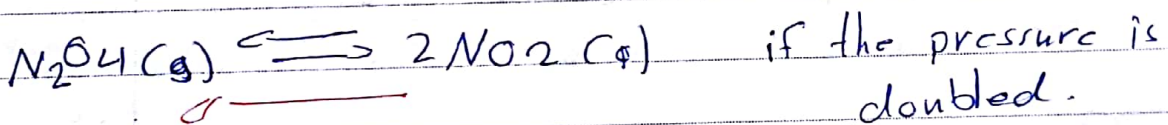
factor affecting the equilibrium.

- 1- change in conc.
- 2- change in pressure affects equilibrium if gases exist.

$$PV = nRT$$

$$P = \frac{nRT}{V}$$

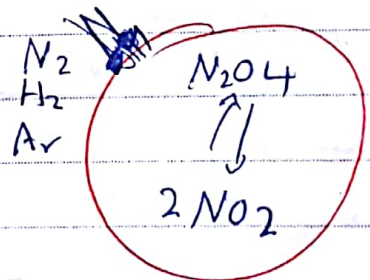
$$P \propto n$$



\* how to increase the pressure.

\* decrease the volume

\* add another gas.

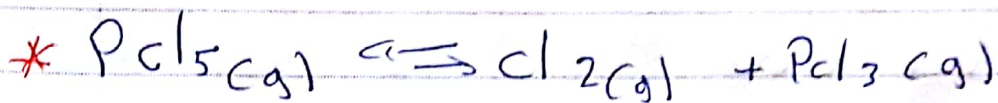


at equilibrium  $[N_2O_4]_e$   $\rightleftharpoons$   $[NO_2]_e$   
 reaction

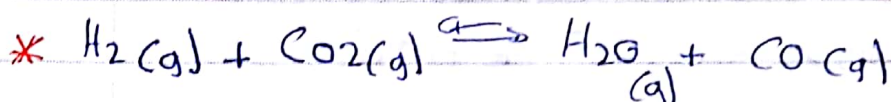
$$[N_2O_4]_0 = 2[N_2O_4]_e \quad \leftarrow$$

$$[NO_2]_0 = 2[NO_2]_e$$

$$Q_c = \frac{[NO_2]_0^2}{[N_2O_4]_0} = \frac{4[NO_2]_e^2}{2[N_2O_4]_e} = 2K_c$$



IF press is increased the rxn shifts in the backward direction.

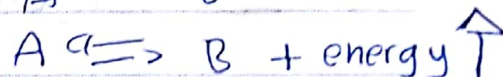


if pressure is increased  $\rightarrow$  No effect because  $\Delta n = \text{zero}$



if the pressure increases the rxn backwards

\* effect of temp

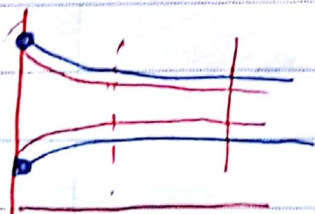


$\Delta H = (-)$

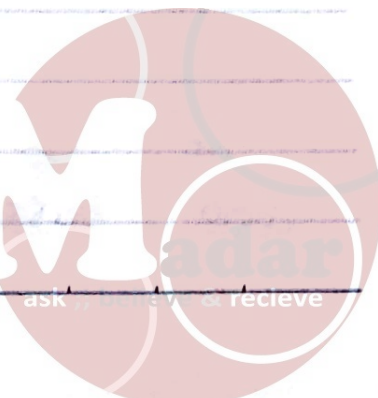
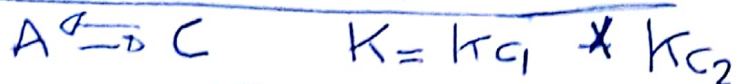
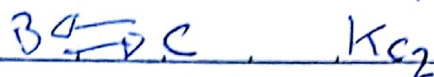
effect of catalyst

\* cat does not effect the equilibrium

\* cat speed up the rxn to reach the equilibrium

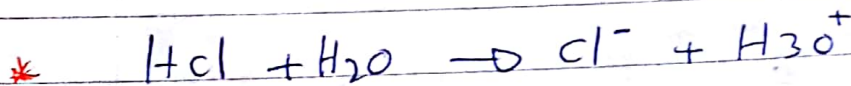


without cat  
with cat

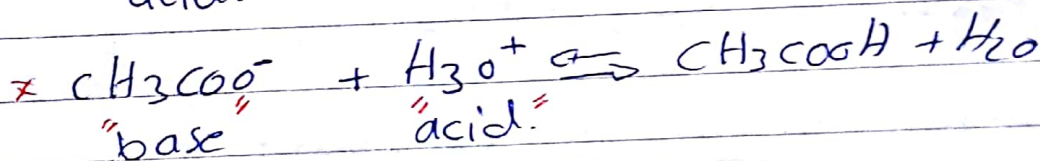
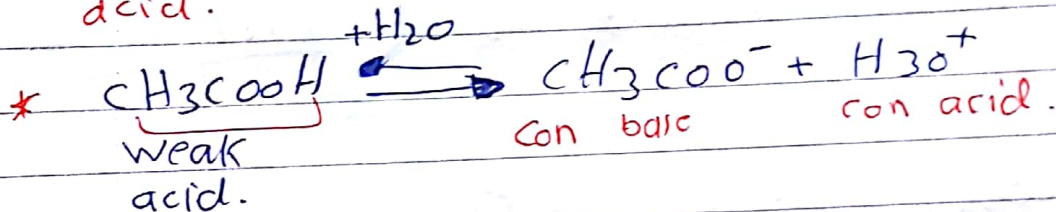


## Acids and bases

- \* Bronsted acids substance donates protons.
- \* " bases " accepts a protons.



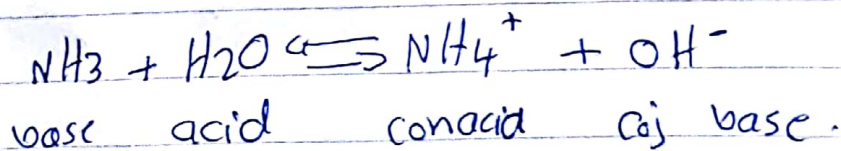
strong acid.



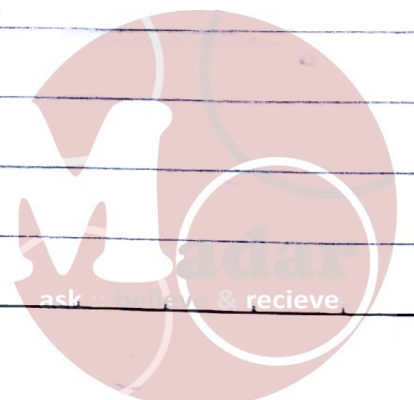
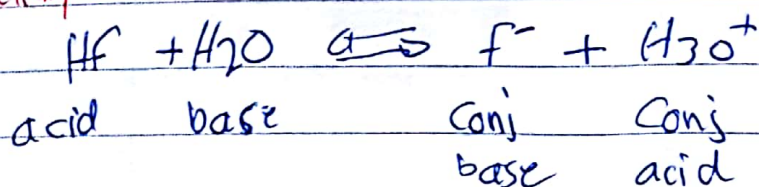
⇒ conjugate pairs :-  $\text{CH}_3\text{COOH}$  /  $\text{CH}_3\text{COO}^-$   
acid                      conj base.

⇒  $\text{H}_2\text{O}$  /  $\text{H}_3\text{O}^+$   
base                      conj acid.

example.

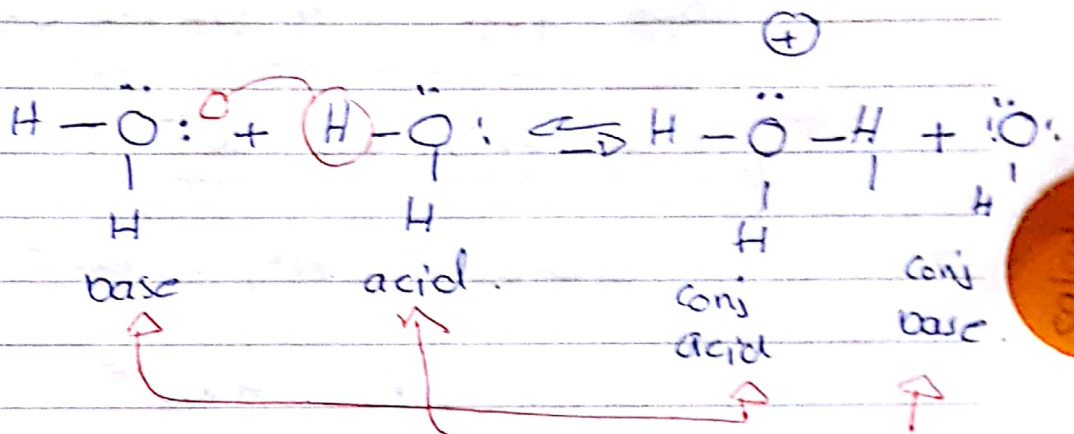
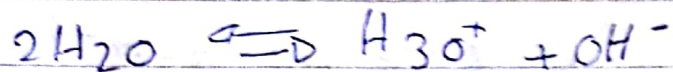


example



**•** acid-base properties of water

$\Rightarrow$  water act as a base and acid.



$\Rightarrow$  Experimentally for pure water at  $25^\circ C$   
 Concentration of  $H_3O^+$  is found.  $= 10^{-7} M$   
 // " " " " " " " "  $= 10^{-7} M$

$$K_c = \frac{[H_3O^+][OH^-]}{[H_2O]^2} \Rightarrow K_w = [H^+][OH^-]$$

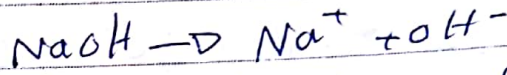
$$K_w = (10^{-7})(10^{-7}) = 10^{-14}$$

$\Rightarrow K_w = 10^{-14}$  at  $25^\circ C$   
 $\hookrightarrow$  ion product constant.

when ever  $[H^+] = [OH^-] \Rightarrow$  neutral solution  
 $[H^+] < [OH^-] \Rightarrow$  basic  
 $[H^+] > [OH^-] \Rightarrow$  acidic

**example**

NaOH Solution with conc. = 0.0025M  
Calculate  $[H^+]$  and  $[OH^-]$

**Solution**

NaOH: Strong electrolyte  $\Rightarrow [OH^-] = 0.0025M$

$$K_w = [OH^-][H^+] = 10^{-14}$$

$$= (0.0025)[H^+] = 10^{-14}$$

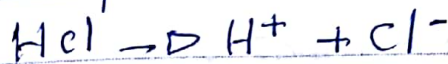
$$[H^+] = 4 \times 10^{-12}$$

$\text{pH} \Rightarrow$  It is a measure of acidity.  
 $-\log a \rightarrow [H^+]$

$$\text{pH} = -\log [H^+]$$

pH scale = (0 - 14)  $\Rightarrow$   $0 \rightarrow 7$  - 14  
 acid basic (0.10M)  
 neutral

what is the pH of HCl solution?



$$\text{pH} = -\log(0.1) = 1$$

$$\textcircled{2} \text{ If } [HCl] = 0.001$$

$$\text{pH} = -\log(0.001) = 3$$

⇒ what is the pH of pure water

$$[\text{OH}^-] = [\text{H}^+] = 10^{-7}$$

$$\text{pH} = -\log(10^{-7}) = 7$$

$\text{pOH} \Rightarrow$  measure of basicity.

$$\text{pOH} = -\log[\text{OH}^-]$$

example. what is the pOH of HCl solution (0.1 M)

Solution

$$[\text{H}^+] = 0.1 \text{ M}$$

$$K_w = [\text{H}^+][\text{OH}^-] = 10^{-14}$$

$$[\text{OH}^-] \cdot 0.1 = 10^{-14}$$

$$[\text{OH}^-] = 10^{-13}$$

$$\text{pOH} = -\log(10^{-13}) = 13$$

$\text{pH} + \text{pOH} = 14$  ! For the same solution

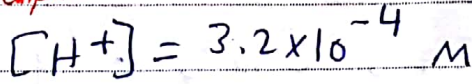
$$[\text{OH}^-][\text{H}^+] = 10^{-14}$$

$$-\log[\text{OH}^-] - \log[\text{H}^+] = -\log 10^{-14}$$

$$\text{pOH} + \text{pH} = 14$$



example

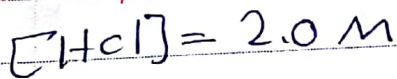
PH  $\leq$  7 POTH  $\geq$  7

$$\begin{aligned} \text{PH} &= -\log(3.2 \times 10^{-4}) \\ &= 3.49 \end{aligned}$$

$$\text{POH} + \text{PH} = 14$$

$$\text{POH} = 10.51$$

another example.



$$\text{PH} = -\log[H^+] = -\log(2.0) = (-0.30)$$

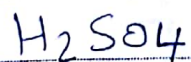
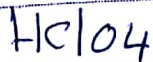
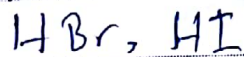
$$\text{PH} + \text{POH} = 14$$

$$\text{POH} = (14.3) \rightarrow \quad (14.30)$$

## Strength of acids and basis

$\Rightarrow$  most of the acids and basis are weak

### Strong acid



### Strong basis



M: A)kali  
metal

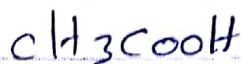


Li

Na

K

weak acid



weak bases

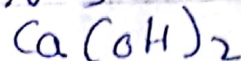
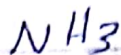
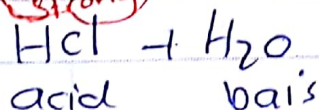


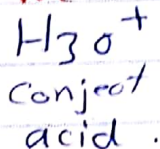
Table 16.2

ب. ١٠

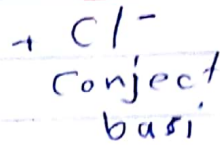
strong



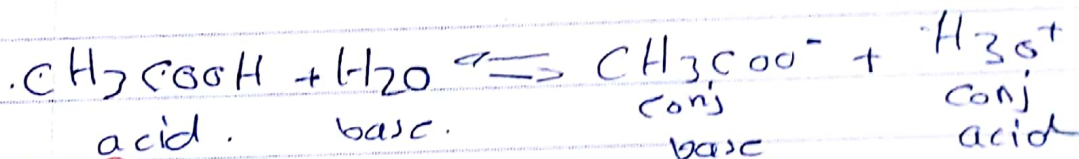
we.



weak



very very weak.



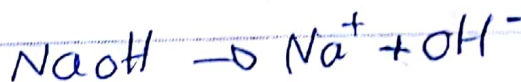
weak

weak

Conjugate Pairs Properties.

⇒ 1- If the acid is strong, then the conjugate base is very weak.

⇒ 2- The strongest acid in aqueous solution is  $H_3O^+$   
- The " base in " " is  $OH^-$



ب. ١١  
يطلق كلد لأن  $(OH^-)$  لا يبعث أن يبق قاعد اقوي منه  
يبعث أن يبق قاعد اقوي منه لولا ما هو اضعف منه.



تبق اقوي منه في الوتر لأنه اضعف  
من  $(OH^-)$

**Example** what is the pH and pOH of  $1 \times 10^{-3} \text{ M}$

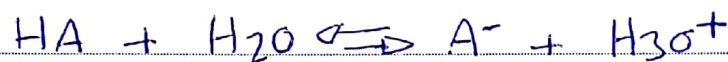


$$[\text{OH}^-] = 2 \times 1 \times 10^{-3} = 2 \times 10^{-3} \text{ M}$$

$$\text{pOH} = -\log [2 \times 10^{-3}] = 2.7$$

$$\text{pOH} + \text{pH} = 14$$

$$\text{pH} = 14 - 2.7 = 11.3$$



$$K_c = \frac{[\text{H}_3\text{O}^+][\text{A}^-]}{[\text{HA}][\text{H}_2\text{O}]}$$

$$K_a = \frac{[\text{A}^-][\text{H}^+]}{[\text{HA}]}$$

$$\Rightarrow [\text{H}^+] = [\text{H}_3\text{O}^+]$$

acid  
(acid) dissociation  
constant

higher the  $K_a$  value, the stronger the acid.

**example** - what is the  $[\text{H}^+]$  of 0.5 M HF solution

$$K_a = 7.1 \times 10^{-4} \rightarrow \text{weak acid} =$$



initially	0.5	constant	0	0
equilib	0.5-x	"	x	x

$$7.1 \times 10^{-4} = \frac{x^2}{(0.5-x)}$$

Solution

assume x is small with respect 0.5  $\Rightarrow 0.5-x \approx 0.5$

$$7.1 \times 10^{-4} = \frac{x^2}{0.5} \Rightarrow x = 0.019 M = [H^+] = [F^-]$$

test the result:  $\frac{0.019}{0.5} \times 100\% = 3.8\%$  نسبة التفكك

If the test  $< 5\% \Rightarrow$  test passed.

" = =  $> 5\% \Rightarrow$  test failed.

يمكن ان تكون النتيجة اقل من 5% اذا كان test passed اذا كانت النتيجة اكبر من 5% فالتجربة باءت بالفشل

اذا كان  $[0.05] = [HF]$  اذا كان

$$0.05 = \frac{x^2}{(0.05-x)} \Rightarrow x = 6.16 \times 10^{-3}$$

test =  $\frac{6.16 \times 10^{-3}}{0.05} \times 100\% = 12\%$  test failed. اذا كانت النتيجة اكبر من 5% فالتجربة باءت بالفشل

$$7.1 \times 10^{-4} = \frac{x^2}{(0.05-x)} \Rightarrow x^2 = 3.5 \times 10^{-5} - 7.1 \times 10^{-4} x$$

$$x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$$

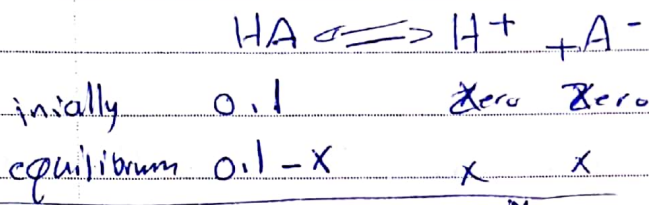
$$x^2 + 7.1 \times 10^{-4} x - 3.5 \times 10^{-5} = 0$$

$$x = -6.7 \times 10^{-3}$$

OR = 0.00557

How to determine the  $K_a$  from the pH?

example pH value of formic acid (0.10M) = 2.39  
what is  $K_a$  for the formic acid?



$$2.38 = -\log [H^+]$$

$$x = 10^{-2.38}$$

$$[H^+] = x = 4.1 \times 10^{-3} M$$

$$K_a = \frac{(4.1 \times 10^{-3})^2}{(0.1 - 4.1 \times 10^{-3})} = 1.8 \times 10^{-4}$$

النسبة

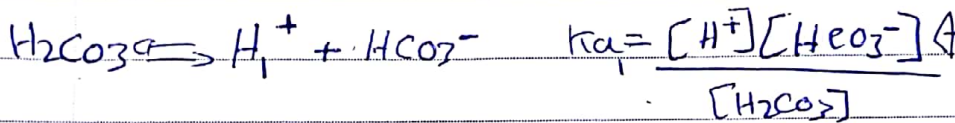
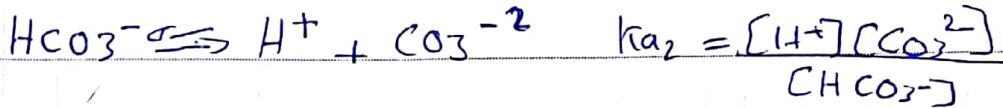
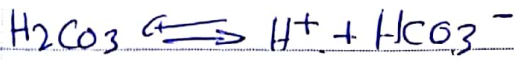
Percentage of ionization (% ionization)

How much the acid will dissociate.

$$\% \text{ ionization} = \frac{\text{ionized acid at equilibrium} \times 100\%}{\text{initial conc. of acid}}$$

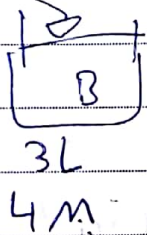
$$\% \text{ ionization} = \frac{x}{\text{initial conc.}} \times 100\%$$

\* di and Poly Protic acid.



$K_{a1} \neq K_{a2}$        $K_{a1} > K_{a2} > K_{a3} \dots$

calculs



after mixing

total volume = 2 + 3 = 5 L

مجموع الحجم الكلي (الكل)

$[A]_{new} = [A]_{old} \times \frac{2}{5}$

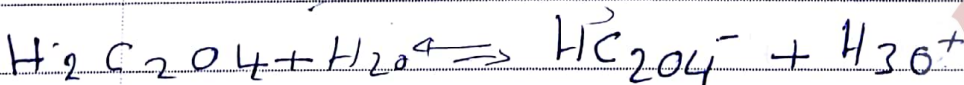
المركب 1

⇒ بعد اذوية في قوت

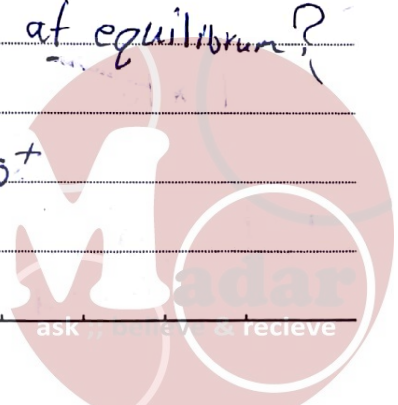
$[B]_{new} = [B]_{old} \times \frac{3}{5}$

بعد " "

example  $H_2C_2O_4$  (0.1 M) a cla connc. of all ions at equilibrium?  
 $K_{a1} = 6.5 \times 10^{-2}$   
 $K_{a2} = 6.1 \times 10^{-5}$



i	0.1	0	0
e	0.1 - x	x	x



$$6.5 \times 10^{-2} = \frac{x^2}{0.1 - x} \quad \therefore \text{assume } 0.1 \text{ M} = 0.10$$

$$6. \quad \Rightarrow x = 8.1 \times 10^{-2} \text{ M}$$

$$\text{test} = \frac{8.1 \times 10^{-2} \times 100\%}{0.1} = 81\% \text{ fail}$$

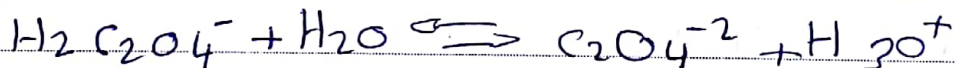
$$6.5 \times 10^{-2} = \frac{x^2}{(0.1 - x)}$$

$$x^2 + 6.5 \times 10^{-2} x - 6.5 \times 10^{-3} = 0$$

$$x = 0.054 \text{ M}$$

الاتزان الثاني

$$e \quad 0.1 \leq 0.054$$



$$i \quad 0.054 \qquad \qquad \qquad 0 \qquad 0.054$$

$$e \quad 0.054 - y \qquad \qquad \qquad y \qquad 0.054 + y$$

$$6.1 \times 10^{-5} = \frac{(y)(0.054 + y)}{(0.054 - y)}$$

$$\text{assume } 0.054 - y \approx 0.054$$

$$0.054 + y \approx 0.054$$

$$6.1 \times 10^{-5} = \frac{0.054(y)}{(0.054)}$$

$$\text{test} = \frac{y}{0.054} = 0.11\% \text{ passed}$$

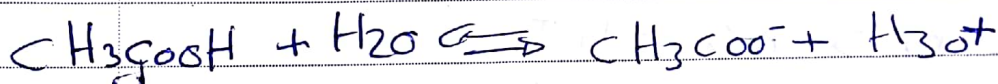
$$y = 6.1 \times 10^{-5} \text{ M}$$

Weak basis



$$K_b = \frac{[\text{OH}^-][\text{NH}_4^+]}{[\text{NH}_3]}$$

↳ base ionization constant.



$$K_a = \frac{[\text{CH}_3\text{COO}^-][\text{H}_3\text{O}^+]}{[\text{CH}_3\text{COOH}]}$$



$$K_b = \frac{[\text{CH}_3\text{COOH}][\text{OH}^-]}{[\text{CH}_3\text{COO}^-]}$$

$$K_a \times K_b = [\text{OH}^-][\text{H}_3\text{O}^+] = K_w$$

calculus



## Factors affecting the acidity :-

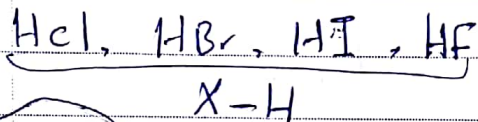
1- Concentration

3- Temp

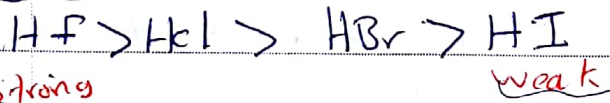
2- Type of the acid //

4- Solvent.

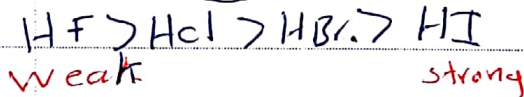
→ Two type of acid :- Hydrohalic acid



polarity



Bond Strength



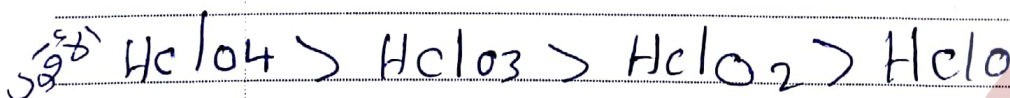
primarily :- hydrohalic acid follow the strength of the bond to determine the strength of the acid.

two factor =>

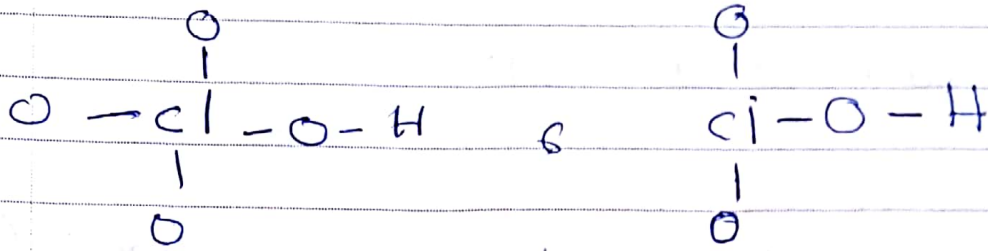
① polarity

② Bond strength  
قوة الرابطة  
Polarity //

② oxoacids.



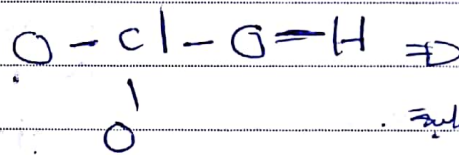
الأكسجين



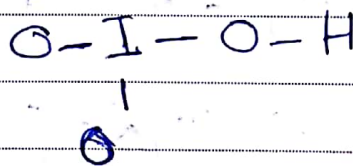
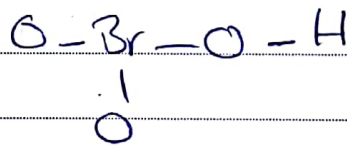
⇒ By increasing number of surrounding oxygens the O-H bond become weaker and so the acid is stronger (assuming the same central atom)

5/3/2025

- HClO<sub>3</sub> ,
- HBrO<sub>3</sub>
- HI O<sub>3</sub>

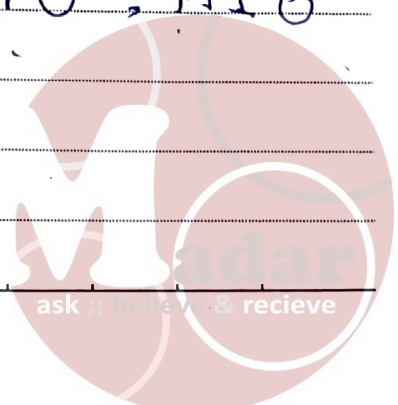


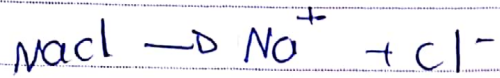
الأقوى لأن  
الرابطة O-H اقوى لأن  
الكل أكثر أكسجينا



HNO<sub>3</sub> > HNO<sub>2</sub>  
اقوى لأن  
عدد ذرات  
الأكسجين

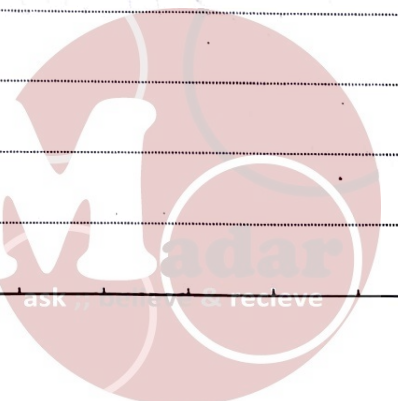
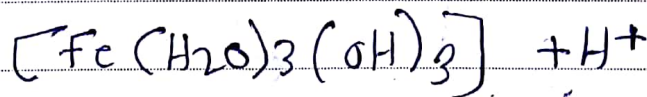
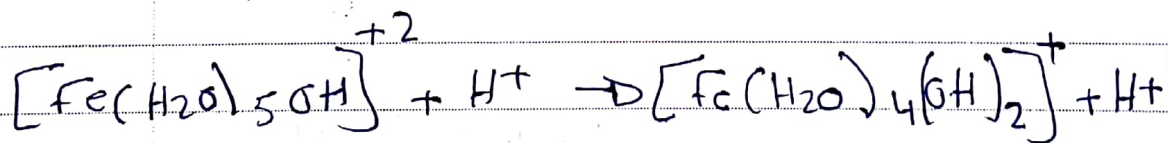
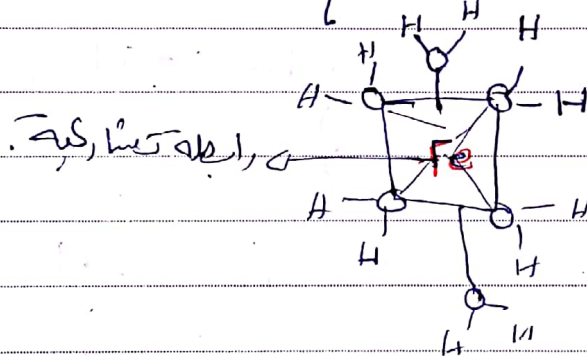
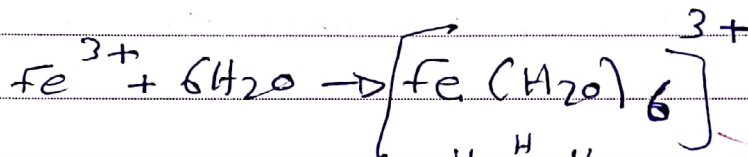
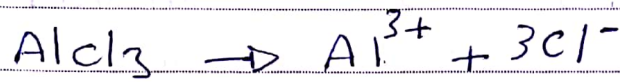
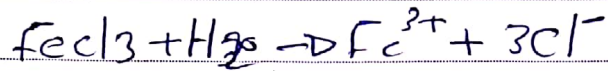
و HClO<sub>4</sub> , HBrO<sub>4</sub> , HIO<sub>4</sub>  
الأقوى لأن كل  
الكل أكثر أكسجينا

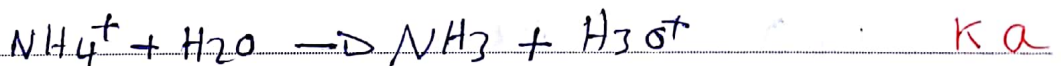
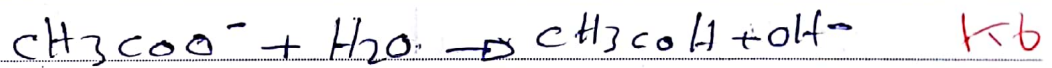
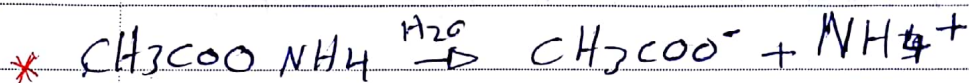
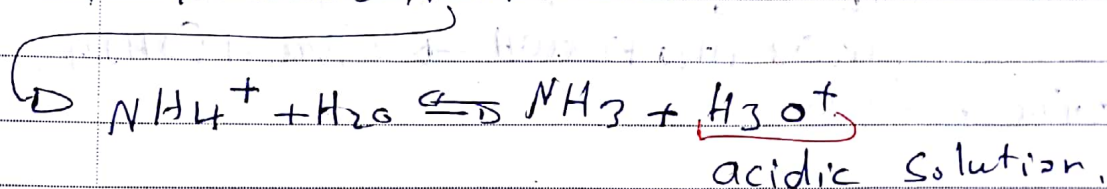
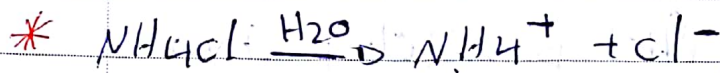
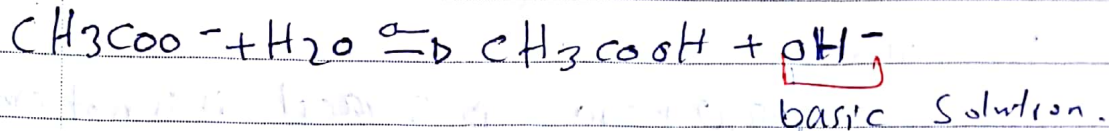
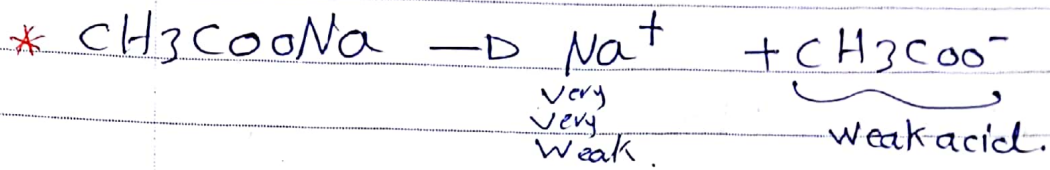




### Metal ions hydrolysis

metal ions with large positive charge ( $>3$ ) reacts with water to make an acid.

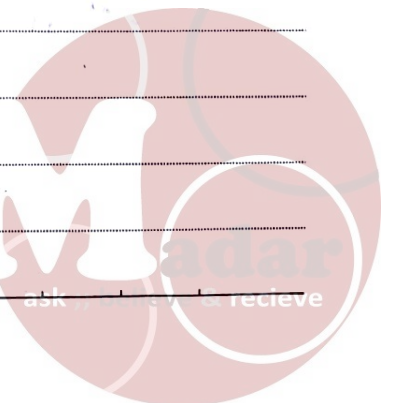




IF  $K_b > K_a$  = the solution is basic

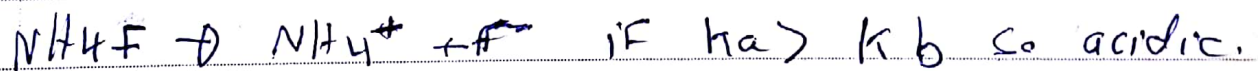
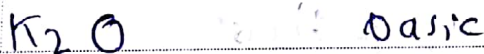
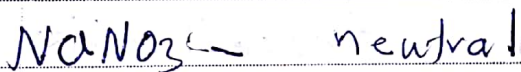
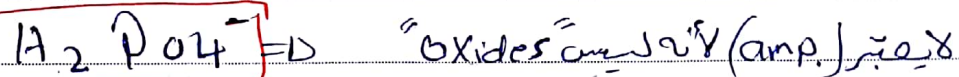
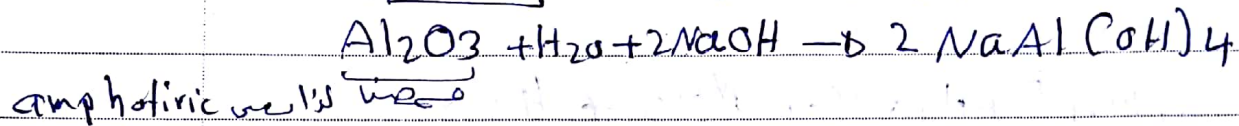
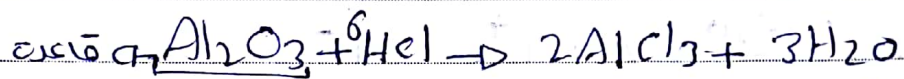
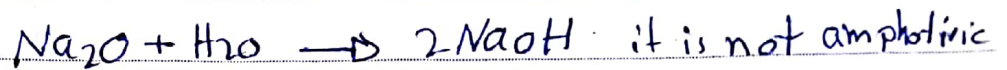
$K_a > K_b$  = = = acidic.

$K_a = K_b$  = = = neutral.



## Amphoteric oxides

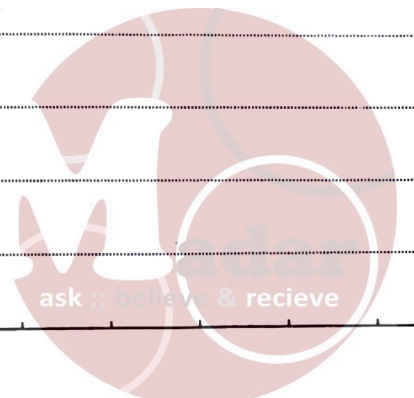
Oxides that react as an acid or a base in water



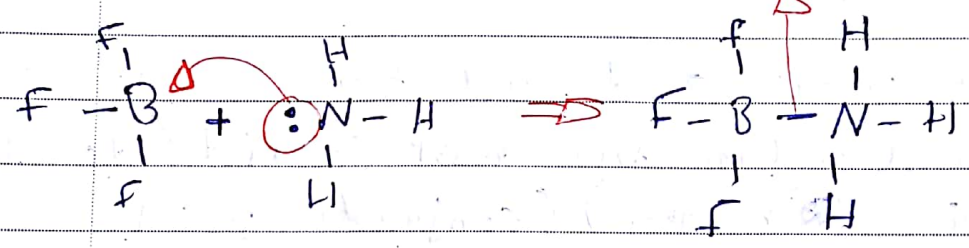
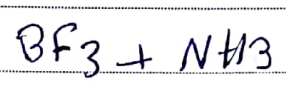
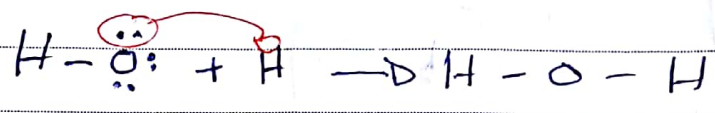
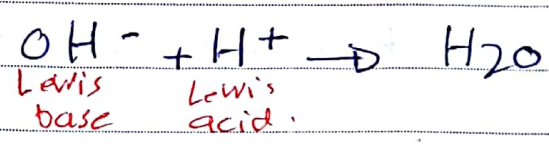
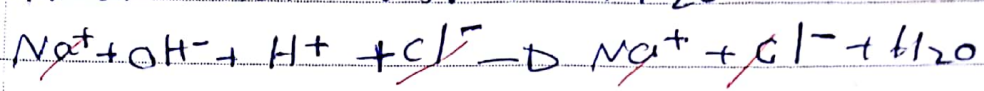
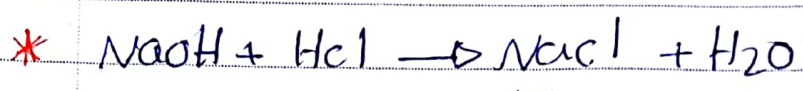
Lewis acids and bases

Lewis acids accept  $e^-$

base donate  $e^-$

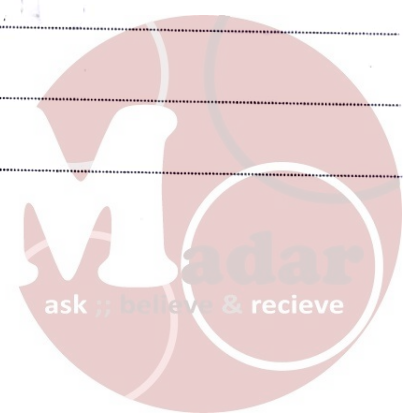


No. \_\_\_\_\_



Lewis

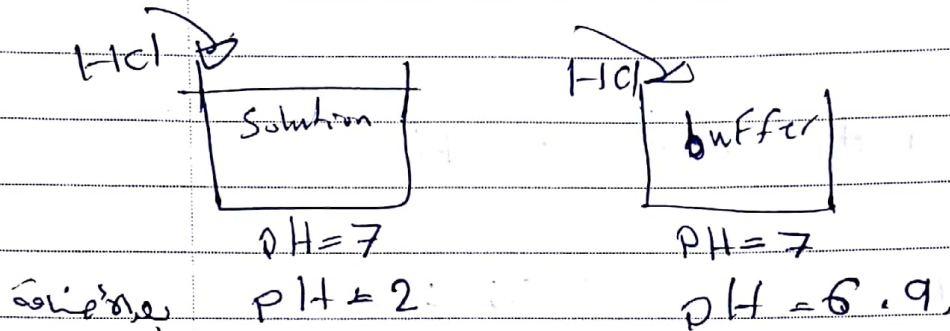
5/10/15



## Chapter 17

Buffer solution:

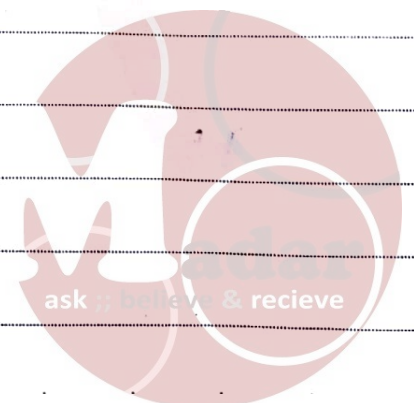
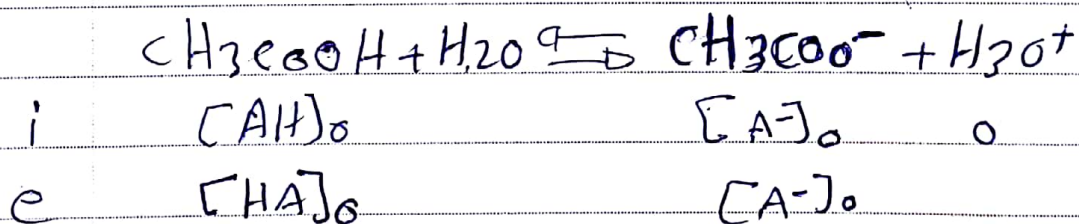
solution that resist changes in pH



\* must contain acid and base.

\* The acid and the base must coexist (do not neutralize each other) (conjugate pair).

\* To make a buffer solution mix  $\text{CH}_3\text{COOH}$  with  $\text{CH}_3\text{COONa}$ .



Buffer capacity:



1M                      0.1M

0.1M                    1M

1M                      1M

0.1M                    0.1M

مقاومة القاعدة القوية

الحمض

مقاومة الرقم الهيدروجيني للقاعدة

... ..

مقاومة  
الرقم  
الهيدروجيني  
للحمض

The effectiveness of the buffer solution

x prepared with high conc.

x " with equal amounts of acid / conj base.

example.

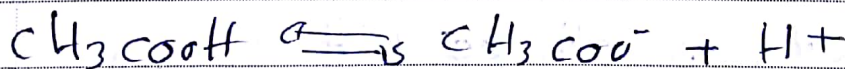
$KH_2PO_4$                        $H_3PO_4$                       ✓

$K_2HPO_4$                        $H_3PO_4$                       ✗

$HClO_4$                        $NaClO_4$                       ✗                      مذبذبة

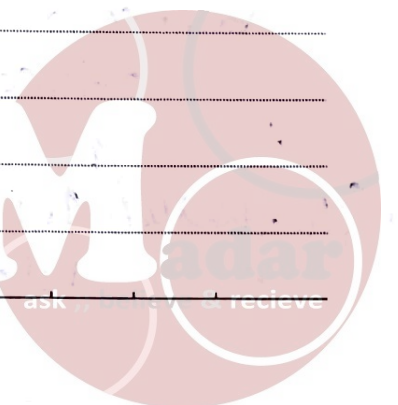
$C_5H_5NH_2$                        $C_5H_5NHCl$                       ✓

what is the pH a solution made from 1M of  $CH_3COOH$  and  $CH_3COONa$  ( $K_a = 1.8 \times 10^{-5}$ )



i                      1M                      1M                      0

e                      1-x                      1+x                      x





$$1.8 \times 10^{-5} = \frac{x(1+x)}{1-x}$$

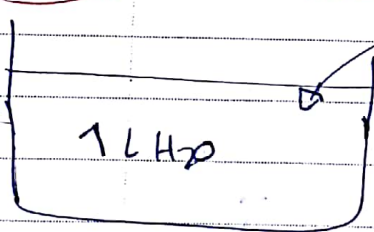
$$1.8 \times 10^{-5} \approx x$$

$$x = 1.8 \times 10^{-5} \text{ M} \quad \text{pH} = -\log(1.8 \times 10^{-5}) = 4.74$$

\* عند تغيير جاز لوسط بغير تغيير تركيز الحمض والقاعد لا يتغير pH لأن نسبة ثابتة

فضو الذي يتغير (buffer capacity)

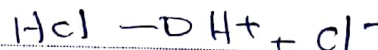
$$\frac{x(1+x)}{1-x}$$



0.1 mole HCl

pH (water) = 7.0

after addition:



$$[\text{H}^+] = 0.1 \text{ M}$$

$$\text{pH} = -\log 0.1 = 1$$

$$\Delta \text{pH} = 6 \text{ unit}$$

without buffer solution.

if the 0.1 mole of HCl is added to the previous buffer solution, calc the  $\Delta \text{pH}$ :



i	1	1	0
e	1.1	0.9	x
	1.1-x	0.9+x	x

تقل بنية (0.1) و [HCl] يتفاعل  
 $\text{HCl} + \text{CH}_3\text{COO}^- \rightarrow \text{CH}_3\text{COOH} + \text{Cl}^-$

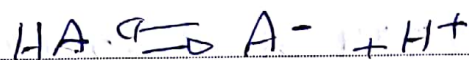
$$1.8 \times 10^{-5} = \frac{x(0.9-x)}{(1.1+x)}$$

$$1.8 \times 10^{-5} \approx \frac{x(0.9)}{1.1}$$

$$x = 2.2 \times 10^{-5} \text{ M} = [\text{H}^+]$$

$$\begin{aligned} \text{pH} &= -\log 2.2 \times 10^{-5} = 4.66, \Delta \text{HP} \\ &= 4.74 - 4.66 \\ &= 0.08 \text{ unit} \end{aligned}$$

Preparing buffer solution with different pH values



$$K_a = \frac{[\text{H}^+][\text{A}^-]}{[\text{HA}]}$$

$$\text{p}K_a = \text{pH} - \log \frac{[\text{A}^-]}{[\text{HA}]}$$

$$\text{pH} = \text{p}K_a + \log \frac{[\text{A}^-]}{[\text{HA}]} \quad \text{Henderson's equation.}$$

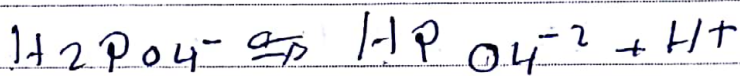
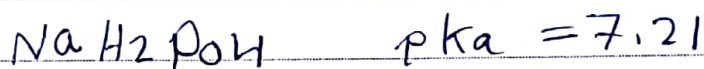
example: prepare buffer solution with pH = 7.4

from acetic acid / acetate.

$$7.4 = \underbrace{4.74}_{-\log 1.8 \times 10^{-5}} + \log \frac{[\text{A}^-]}{[\text{HA}]}$$

$$\frac{[A^-]}{[AH]} = 2.18 \times 10^{-3} \quad \text{Poor buffer capacity.}$$

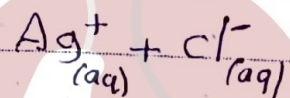
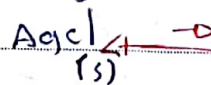
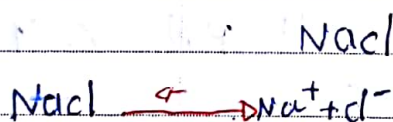
For a buffer solution with high capacity, choose acid / conj base where  $pK_a$  almost equal the target pH



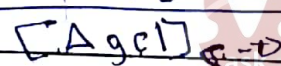
$$7.4 = 7.21 + \log \frac{[A^-]}{[AH]}$$

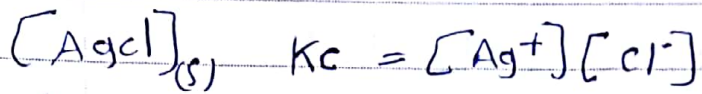
$$\frac{[A^-]}{[AH]} = 1.5$$

### Solubility equilibrium



$$K_c = \frac{[Ag^+][Cl^-]}{[AgCl]}$$



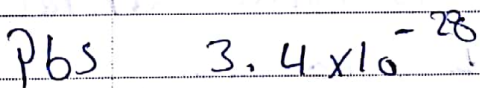
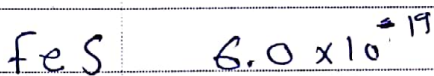
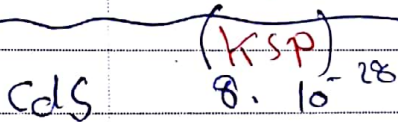


$$K_{sp} = [Ag^+] [Cl^-]$$

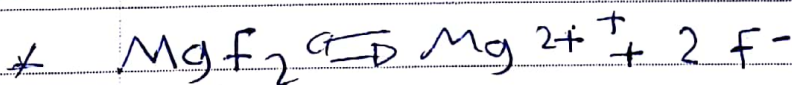
solubility product constant.



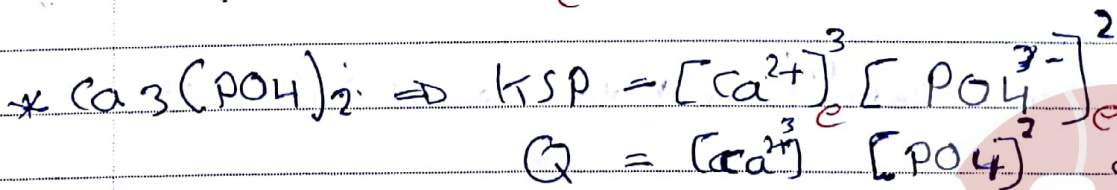
$\Rightarrow$  as  $K_{sp}$  value increases, the solubility increase.



solubility: fes  $\gg$  cds  $>$  pbs.



$$K_{sp} = [Mg^{2+}] [F^-]^2$$



\*

$Q > K_{sp}$  Super Saturated.

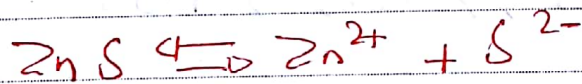
$Q < K_{sp}$  unsaturated.

$Q = K_{sp}$  Saturated.

تكون  $K_{sp}$  (ثابت الذوبان) هي قيمة ثابتة عند درجة الحرارة، وتعتمد على طبيعة المركبات المتكونة.  
 تكون المركبات التي تكونت من الأيونات المشحونة مثل  
 $PbS$   
 $FeS$

### Molar Solubility.

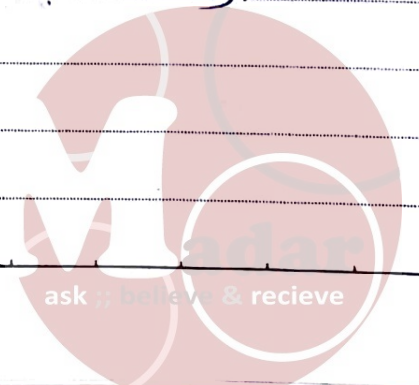
number of moles dissolved to make saturate solution in unit volum 1L, 100 mL.



### Solubility:

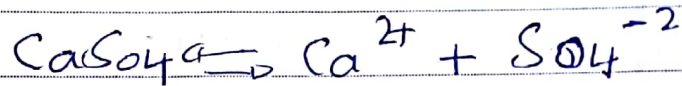
number of grams of solute dissolved to have a saturate solution per unit volume (1L, 100 mL)  
 or

molar solubility  $\times$  molar mass = Solubility.



Example

Solubility of  $\text{CaSO}_4 = 0.67 \text{ g/L}$   
Find  $K_{sp}$ ?

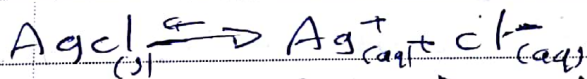


mols of  $\text{CaSO}_4$  dissolved  $\frac{0.67 \text{ g}}{136.2 \text{ L}} = 4.9 \times 10^{-3} \text{ mol/L}$   
molar solubility

$$K_{sp} = (4.9 \times 10^{-3})^2 \text{ unitless}$$

Example:

$K_{sp}$  for  $\text{AgCl} = 1.6 \times 10^{-10}$ , Find its molar solubility.



$$K_{sp} = [\text{Ag}^+][\text{Cl}^-] = 1.6 \times 10^{-10} = [x][x] =$$

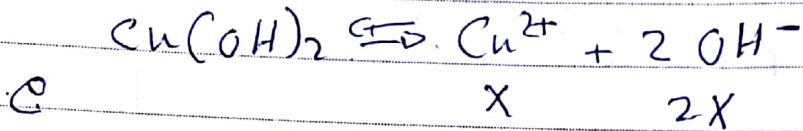
i	1/1	0	0
e		x	x

$$x^2 = 1.6 \times 10^{-10} \Rightarrow x = \sqrt{1.6 \times 10^{-10}} = 1.3 \times 10^{-5} \text{ M}$$

amount of  $\text{AgCl}$  dissolved to make 1L saturated solution  
 $= 1.3 \times 10^{-5} \text{ mole}$

Molar solubility  $= 1.3 \times 10^{-5} \text{ mol/L}$

Example.  $K_{sp}$  of  $\text{Cu}(\text{OH})_2 = 2.2 \times 10^{-20}$   
 Calc molar solubility.



$$K_{sp} = [\text{Cu}^{2+}] [\text{OH}^-]^2$$

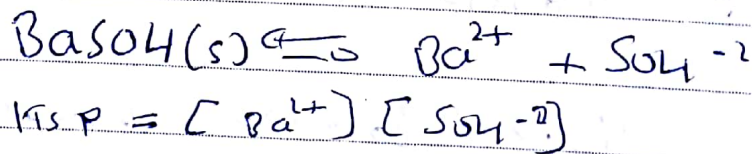
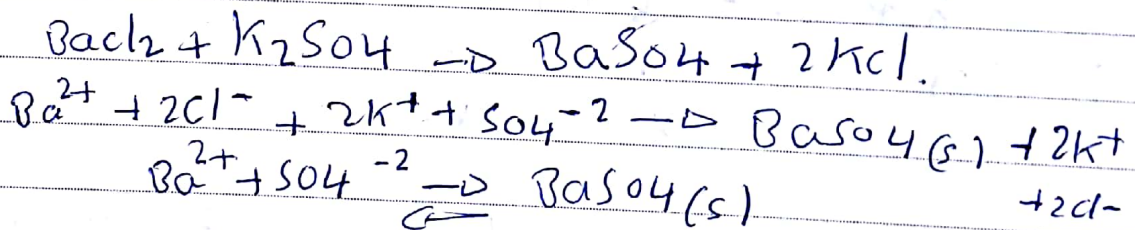
$$2.2 \times 10^{-20} = X (2X)^2$$

$$2.2 \times 10^{-20} = 4X^3$$

$$X = 1.8 \times 10^{-7}$$

$$\text{molar solubility} = 1.8 \times 10^{-7} \text{ mole/L}$$

Example if 200 mL  $\text{BaCl}_2$  ( $4.0 \times 10^{-3} \text{ M}$ )  
 is mixed with 600 mL of  $\text{K}_2\text{SO}_4$  ( $8.0 \times 10^{-3} \text{ M}$ )  
 solution.

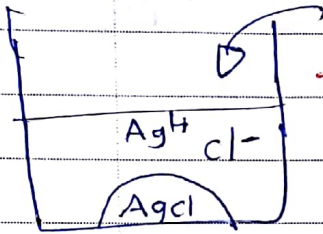


$$\begin{aligned} \text{new conc. of } \text{Ba}^{2+} &= 4.0 \times 10^{-3} \times \frac{200}{800} = 1 \times 10^{-3} \text{ M} \\ \text{SO}_4^{2-} &= 8.0 \times 10^{-3} \times \frac{600}{800} = 6 \times 10^{-3} \text{ M} \end{aligned}$$

$$Q = 1.0 \times 10^{-3} \times 6 \times 10^{-3} = 6 \times 10^{-6}$$

$Q > K_{sp}$  ppt will form

Common ion effect.

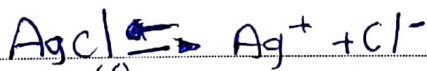


\* adding  $Cl^-$  will decreasing the solubility of  $AgCl$

\* Adding  $Ag^+$  will decreasing the solubility of  $AgCl$ .

in this case common ion  $Ag^+$  and  $Cl^-$

Example . calculate the solubility of  $AgCl$  in  $6.5 \times 10^{-3} M AgNO_3$  ( $K_{sp}(AgCl) = 1.6 \times 10^{-10}$ )

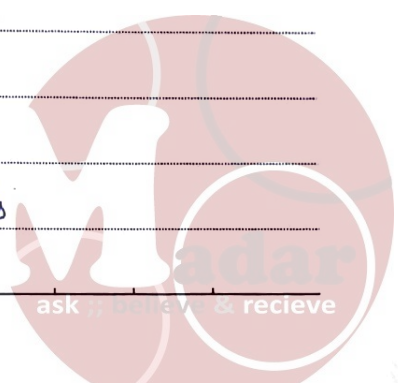


i	(s)	$6.5 \times 10^{-3}$	0
e	---	$6.5 \times 10^{-3} + x$	$x$

$$K_{sp} = [Ag^+][Cl^-]$$

$$1.6 \times 10^{-10} = (6.5 \times 10^{-3} + x)(x)$$

ممكن اننا  
نفتقر الى انقاص من  $AgCl$  قليل جداً





No.

$$1.6 \times 10^{-10} = (6.5 \times 10^{-3}) x$$

$$x = 2.5 \times 10^{-8} \text{ M} \Rightarrow \text{molar solubility}$$

$$\text{Solubility} = 2.5 \times 10^{-8} \times 143.4 = 3.6 \times 10^{-6} \text{ g/L}$$

$$\text{molar solubility without AgNO}_3 = \sqrt{K_{sp}}$$

$$= 1.3 \times 10^{-5}$$

$$\text{Solubility} = 1.3 \times 10^{-5} \times 143.4 = 1.8 \times 10^{-3} \text{ g/L}$$

## Chapter 18 Thermodynamics II

Spontaneous process  $\Rightarrow$  ① evaporation of water (endo)

nonspontaneous process ② Rusting (endo)

③ salt in water (exo)

④ waterfalls (exo)

⑤ ice melting (endo)

if  $T > 0$

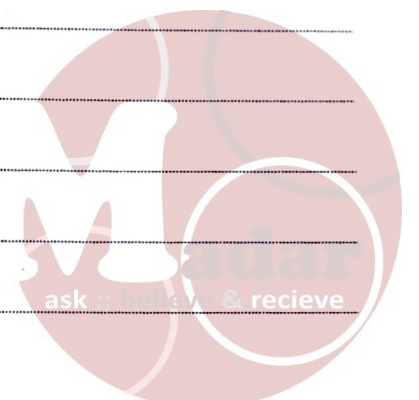
$\rightarrow$  there is no relation between enthalpy change ( $\Delta H$ ) with Spontaneity.

Entropy: \* is a measure of disorder.

\* is a measure of how energy is dispersed in different ways / states /

مقدار توزيع الطاقة \*  
زادت تزيد entropy

higher dispersion  $\rightarrow$  higher entropy.



Chapter 18 Thermodynamics II

- Spontaneous process  $\Rightarrow$  ① evaporation of water (endo)  
 nonspontaneous process ② Rusting (endo)  
 ③ salt in water (exo)  
 ④ waterfalls (exo)  
 ⑤ ice melting (endo)

$\rightarrow$  there is no relation between enthalpy change ( $\Delta H$ ) with Spontaneity, if  $T > 0$

Entropy: \* is a measured of disorder.  
 \* is a measured of how energy is dispersed in different ways / states /  $\text{مقدار توزيع الطاقة}$   
 \*  $\text{زادت تزايد}$  entropy

higher dispersion  $\rightarrow$  higher entropy.

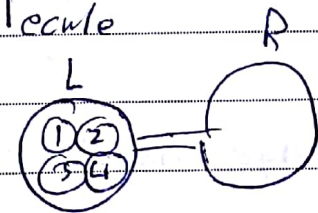
of states for transferring one molecule

L	B
2 3 4	1
1 3 4	2
1 2 4	3
1 2 3 4	4

L	R
1	2 3 4
2	1 3 4
3	1 2 4
4	1 2 3

4 molecu micro states      4 microstates.



$$S = k \ln w$$

entropy  $\downarrow$  Boltzmann Constant  $1.38 \times 10^{-23}$   
 $w$   $\rightarrow$  number of microstates.

$\Rightarrow$  what is important is change in entropy ( $\Delta S$ )

$$\Delta S = S_f - S_i$$

$$= k \ln w_f - k \ln w_i$$

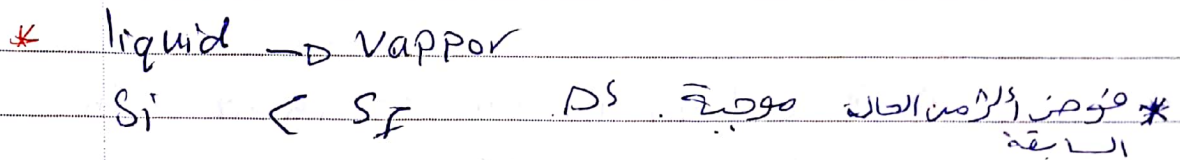
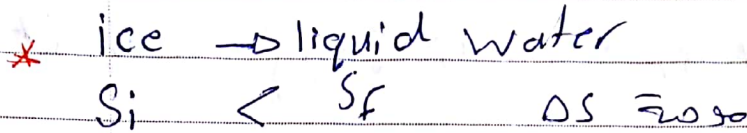
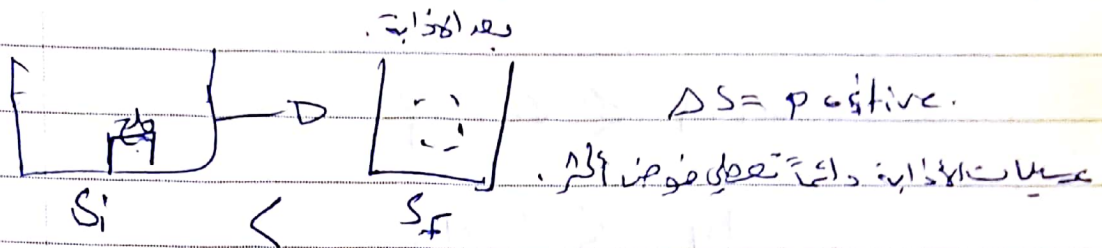
$$\Delta S = k \ln \frac{w_f}{w_i}$$

note:  $\Delta S$  can not be determined using  $w_f, w_i$  experiment (thermodynamix) enable us to determine  $\Delta S$

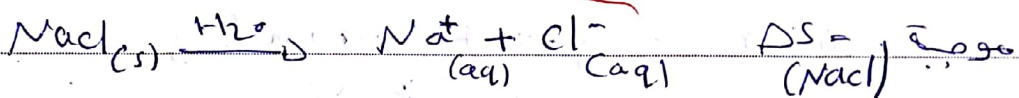
$$S = k \ln w$$

entropy ( $S$ ) can take the values  
 $(0 \rightarrow \infty)$  (positive value)

change in entropy ( $\Delta S$ ) can take negative and positive value.



entropy  $\Rightarrow$  Solid  $<$  liquid  $<<$  vapor.



$\Delta H(\text{H}_2\text{O}) = (-)$  due to hydration

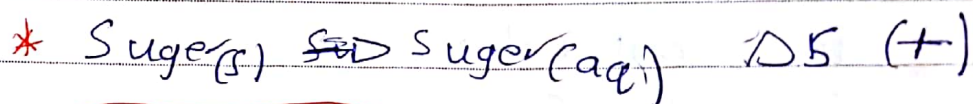
CE shells. كل جزيئة الماء من الماء تتحد مع NaCl أكثر من الترتيب الذي هو في  $(\text{H}_2\text{O})$  ذلك  $(\Delta S = \text{موجبة})$  لكل التفاعل.

### Standard entropy ( $\Delta S^\circ$ )

entropy (changes) at standard conditions.  
 1 atm, 25°C, 1 mol, 1 molarity.

example: which of the following has greater ( $S^\circ$ ) value.  
 graphite  $\rightarrow$  diamonds.

He  $<$  Ne      عدد إلكترونات أكثر



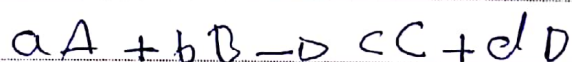
## 2nd law of Thermo

- \* The entropy of universe increases in
- \* Spontaneous changes
- \*  $\Delta S_{\text{univ}} = \text{Zero}$  in equilibrium change.

universe = System + Surrounding

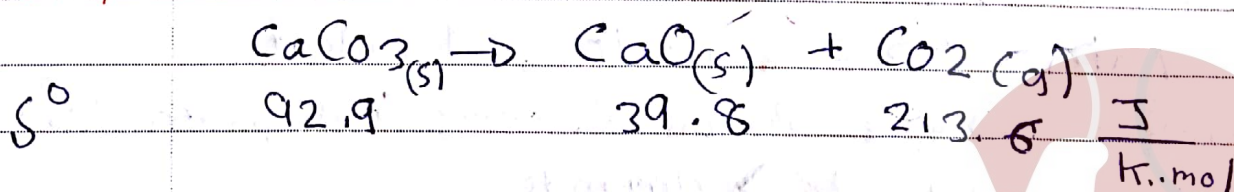
$$\Delta S_{\text{univ}} = \underbrace{\Delta S_{\text{sys}}}_{1^{\text{st}} \text{ case}} + \underbrace{\Delta S_{\text{surr}}}_{2^{\text{nd}} \text{ case}}$$

$$\Delta S_{\text{System}} = \sum n S_{\text{prod}} - \sum m S_{\text{reactant}}$$



$$\Delta S_{\text{System}} = (c \cdot S_c + d \cdot S_d) - (a \cdot S_a + b \cdot S_b)$$

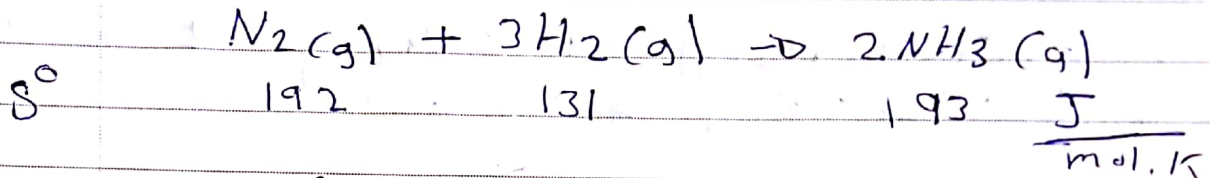
example



$$\Delta S_{rxn}^{\circ} = 1 \times 39.8 + 1 \times 213.6 - (1 \times 192.9)$$

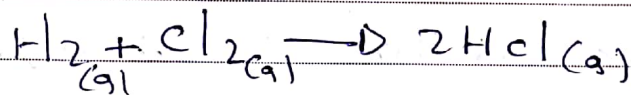
$$= 160.5 \frac{\text{J}}{\text{mol} \cdot \text{K}}$$

example.



$$\Delta S_{\text{system}}^{\circ} = (2 \times 193) - (1 \times 192 + 131 \times 3) = -199 \frac{\text{J}}{\text{mol} \cdot \text{K}}$$

example.



$$S^{\circ} = \begin{array}{ccc} 131 & 223 & 187 \\ & & \frac{\text{J}}{\text{K} \cdot \text{mol}} \end{array}$$

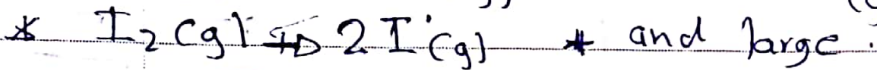
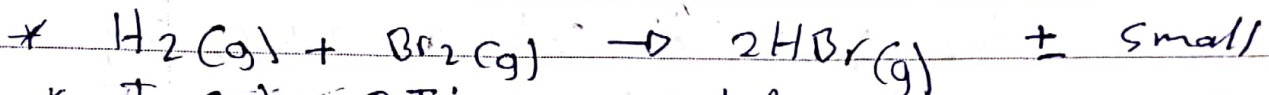
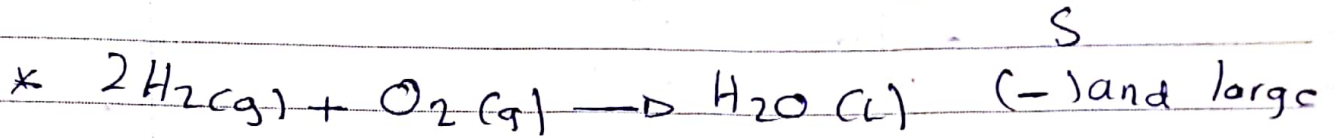
$$\Delta S_{\text{system}}^{\circ} = (2 \times 187) - (223 + 131) = +20 \frac{\text{J}}{\text{mol} \cdot \text{K}}$$

If a rxn produces gases the  $\Delta S^{\circ}$  will be large and positive

If a change consumes gases then  $\Delta S^{\circ}$  will be large and negative

If a change keeps the number of moles of gases, then  $\Delta S^{\circ}$  will be small and + or -

The main reasons for any high



entropy change for the surrounding

If we have an exothermic rxn / change.

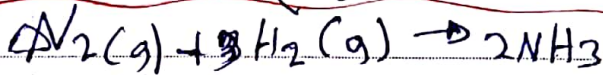
عند انتقال الحرارة من النظام إلى الوسط المحيط،  $\Delta H_{\text{sys}} \propto \Delta S_{\text{surr}}$  كلما زادت درجة الحرارة، قل تغير الإنتروبيا.

assume thermal equilibrium between sys and surr

$$\Delta S_{\text{surr}} \propto \frac{1}{T_{\text{surr}}} \quad \text{نفس } T_{\text{sys}}$$

$$\Delta S_{\text{surr}} \propto \frac{-\Delta H_{\text{sys}}}{T_{\text{sys}}}$$

$$\Delta S_{\text{univ}} = (\sum n S_{\text{prod}} - \sum m S_{\text{react}}) - \frac{\Delta H_{\text{system}}}{T_{\text{sys}}}$$



$$\Delta H_{\text{rxn}}^{\circ} = -96.6 \text{ kJ/mol}$$

$$\Delta S^{\circ} = -199 \text{ J/mol.K}$$

$$\Delta S^{\circ}_{\text{surr}} = \frac{-\Delta H}{T} = \frac{96.6 \times 10^3}{298} = 311 \frac{\text{J}}{\text{mol.K}}$$

$$\Delta S^{\circ}_{\text{univ}} = \Delta S_{\text{sys}} + \Delta S_{\text{surr}}$$

$$= -199 + 311 = 112$$



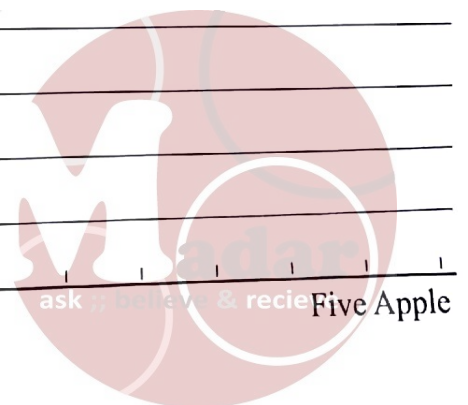
$$\Delta S_{\text{univ}}^{\circ} = \left( \sum n S_{\text{Prod}} - \sum m S_{\text{React}} \right) - \frac{\Delta H_{\text{sys}}}{T_{\text{sys}}}$$

3rd law of thermo.

\*  $S \propto$  number of microstates  $S = k \ln W$

\* for a perfect crystal at 0K then  $S = \text{zero}$   
as temp increase,  $S$  increases

For important crystal (contain impurities)  $S$   
will be greater than zero



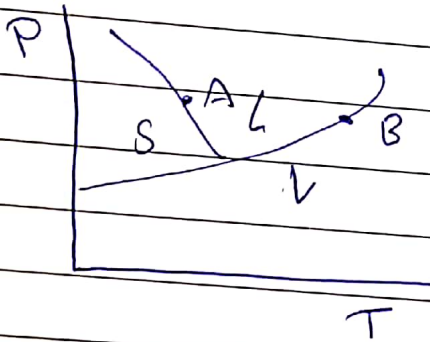
لحده الوجود والحد الاتزان تكون  $\Delta G_{rxn}^{\circ}$  مساوية للصفر

$$0 = \Delta H^{\circ}_{rxn} - T\Delta S^{\circ}_{rxn}$$

$$0 = 177.8 \times 10^3 - T(160.5)$$

$$T = 1108K \Rightarrow 835^{\circ}C$$

Phase transitions:



A: Solid-liquid equ

B: liq-vapor equ.

$$\Delta G = \Delta H - T\Delta S \Rightarrow$$

$$\Delta G^{\circ} = \Delta H^{\circ} - T\Delta S^{\circ}$$

at  $S \rightleftharpoons L$  equ

$$\Delta G = \Delta H - T\Delta S$$

$$0 = \Delta H - T\Delta S$$

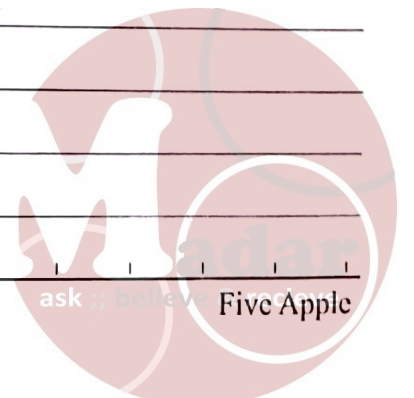
$$\Delta S_{\text{fuss}} = \frac{\Delta H_{\text{fuss}}}{T_{\text{fuss}}}, \quad \Delta S_{\text{vap}} = \frac{\Delta H_{\text{vap}}}{T_{\text{vap}}}$$

For point A

For point B

Calculate  $\Delta S_{\text{fuss}}$  if  $\Delta H_{\text{fuss}}(\text{H}_2\text{O}) = 6.0 \times 10^3 \text{ J/mol}$

$$\Delta S_{\text{fuss}} = \frac{6.0 \times 10^3}{273} = 22.0 \text{ J/mol}$$



$$\textcircled{2} \quad \Delta H_v = 40.7 \times 10^3 \text{ J/mol}$$

$$\Delta S_{\text{vap}} = \frac{40.7 \times 10^3}{3.73} = 10.91 \text{ J/mol}\cdot\text{K}$$

~~ΔG~~ Free energy and Equilibrium.

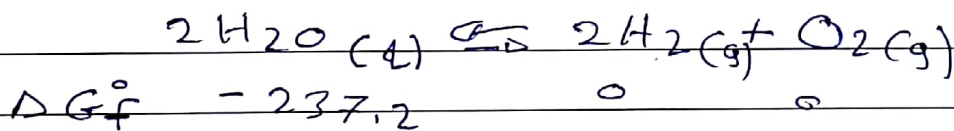
$$\Delta G = \Delta G^\circ + RT \ln Q$$

AT equilibrium  $\Rightarrow$

$$0 = \Delta G^\circ + RT \ln K$$

$$\Delta G^\circ = -RT \ln K$$

example. calc  $K$  for the rxn



$$\Delta G_{\text{rxn}}^\circ = -2 \times (-237.2) = 474.4 \text{ kJ/mol}$$

$$\Delta G^\circ = -RT \ln K$$

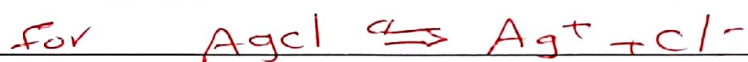
$$474.4 \times 10^3 = -(8.314) (298) (\ln K)$$

$$\ln K = \frac{-474.4 \times 10^3}{8.314 \times 298} = -191.5$$

$$K = e^{-191.5} = 7 \times 10^{-84}$$

example =

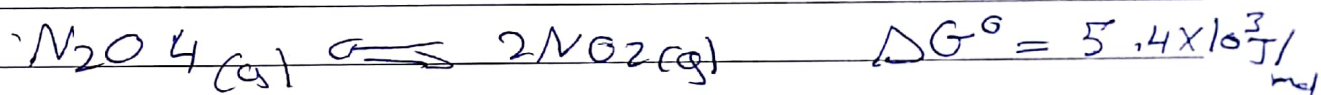
$$K_{sp}(\text{AgCl}) = 1.6 \times 10^{-10} \text{ calc. } \Delta G^\circ$$



$$\Delta G^\circ = -RT \ln K_{sp}$$

$$= -8.314 \times 298 \times \ln(1.6 \times 10^{-10})$$
$$= 56.1 \text{ kJ/mol}$$

Example.



if a mix of  $\text{N}_2\text{O}_4$  and  $\text{NO}_2$

$$K_p = 0.113 \text{ at } 25^\circ\text{C}$$

$$P = 0.122 \quad P = 0.453 \text{ atm}$$

Calc  $\Delta G$

using partial pressures

$$\Delta G = \Delta G^\circ + RT \ln Q$$

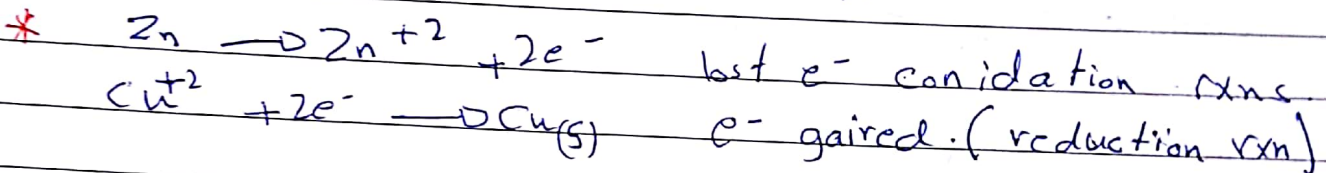
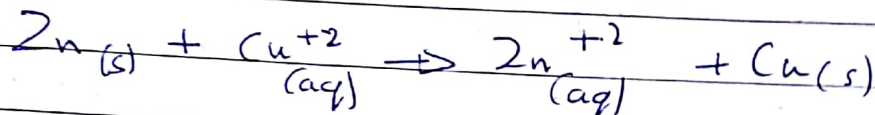
$$\Delta G = 5.4 \times 10^3 + 8.314 \times 298 \cdot \ln \left( \frac{0.453^2}{0.122} \right)$$
$$= (-) 3.06 \times 10^3 \text{ J/mol}$$

# Chapter 19

## electrochemical rxns.

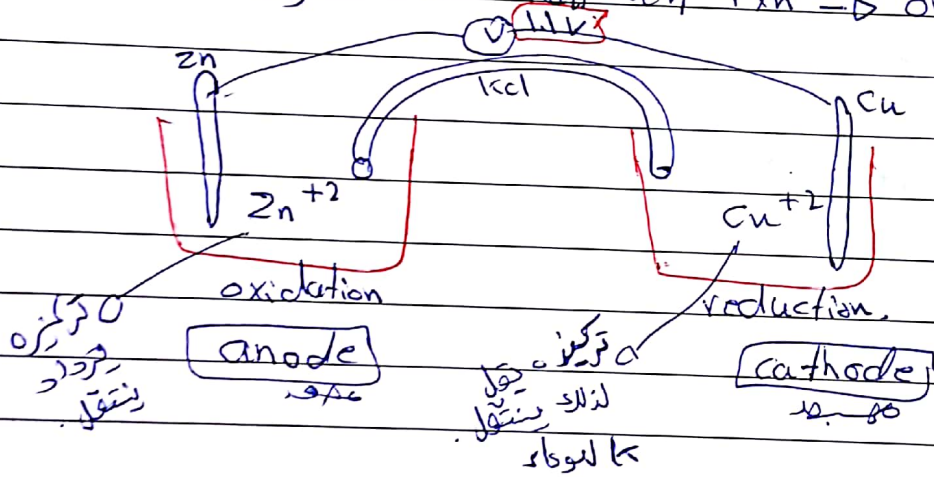
19.2

Galvanic cell  $\Rightarrow$  electro chemical cell that produces electricity spontaneously ( $\Delta G = -$ )



each reaction is called half cell rxn.

Combining the two half cell rxn  $\rightarrow$  over all rxn (Redox)

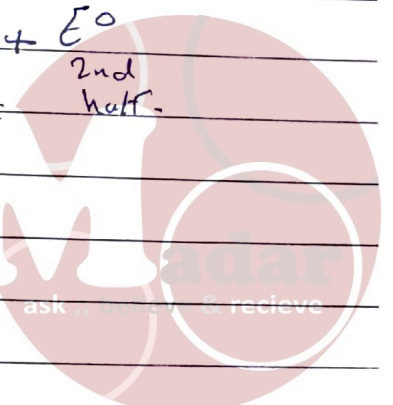


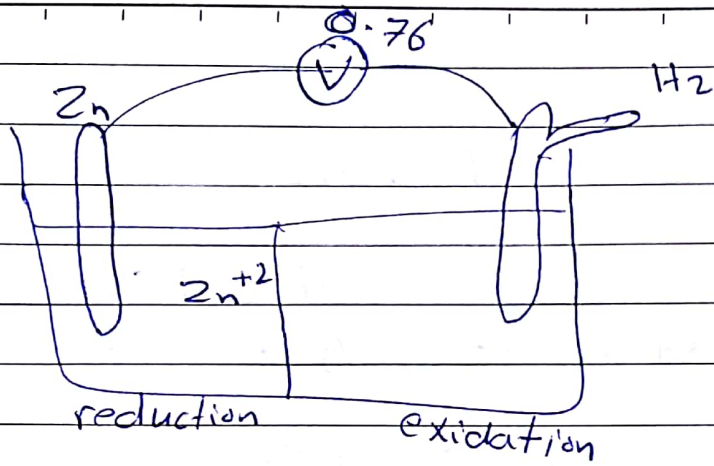
Daniell cell  
 Zn, Cu  
 الفرق بين هاتين ان  
 Galvanic.

measured voltage. (std) cell potential.

(std) electro motive force emf

$$E_{cell}^0 = E_{1st\ half}^0 + E_{2nd\ half}^0$$



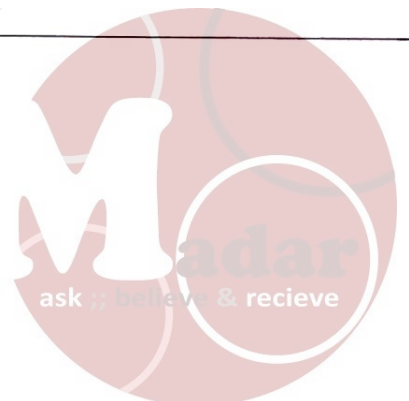
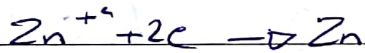
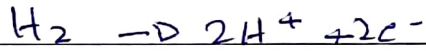


$E^{\circ}_{\text{anode}} = \text{zero}$   
 $\text{Cathode}$

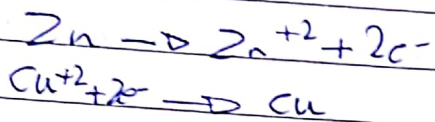
$$E_{\text{cell}} = E_{\text{cath}} - E_{\text{anode}}$$

$$0.76 = E_{\text{Zn}} - 0$$

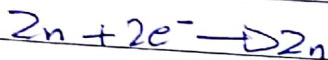
$$E_{\text{cath}} = 0.76 \text{ V}$$



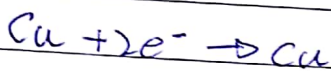
$$E^{\circ} = E^{\circ}_{\text{anode}} + E^{\circ}_{\text{cathode}}$$



$$E_{\text{a}} = \text{anode} = ??$$
$$E^{\circ} = \text{cathode} = ??$$



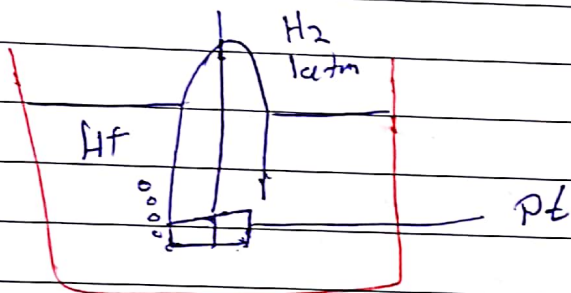
$$E_{\text{a}} \text{ anode} = -??$$



$$E_{\text{a}} \text{ cathode} = ??$$

$$E^{\circ}_{\text{cell}} = E^{\circ}_{\text{cathode}} - E^{\circ}_{\text{anode}}$$

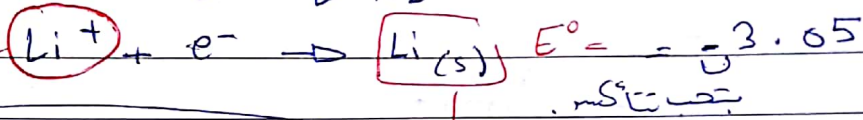
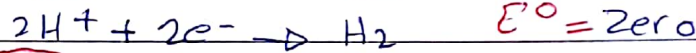
SHE



\*  $E^{\circ}_{\text{cell}} = E^{\circ}_{\text{cathode}} - E^{\circ}_{\text{anode}}$

=> all half cell rxns are written as a reduction rxns table (19.1) افترال

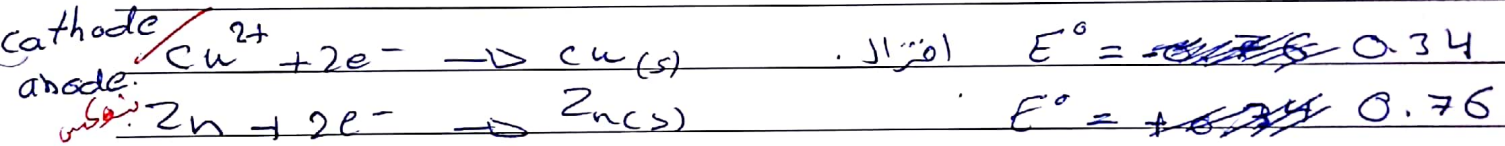
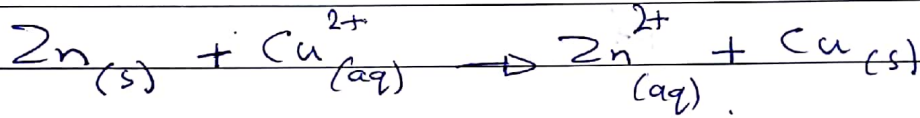
example.



$E^{\circ}$ ,  $\Delta G$  المسح

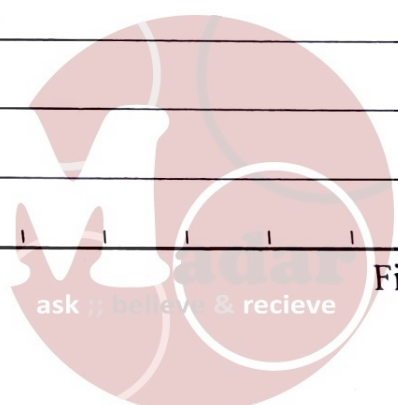
reduced form

oxidized form

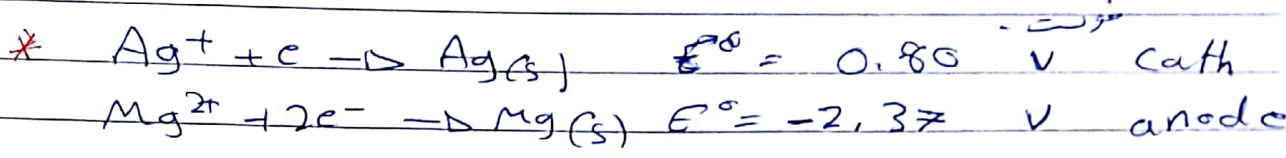


So { \* half cell with the most positive  $E^{\circ}$  will keep its reduction rxn, and the other will get oxidized (oxidation)

$E^{\circ}_{\text{cell}} = 0.34 - (-0.76) = 1.1\text{V}$





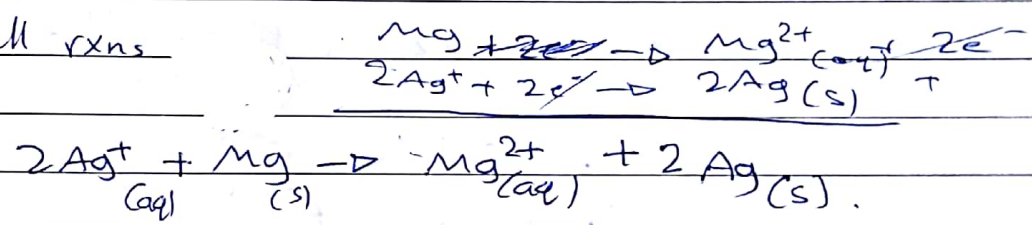


for this Galvanic cell, Calc.  $E^\circ_{\text{cell}} = ?$

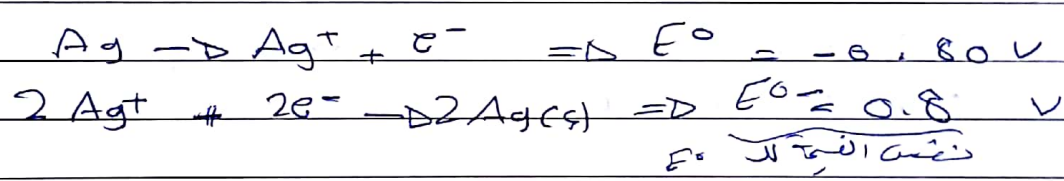
$$E^\circ_{\text{cell}} = E^\circ_{\text{cath}} - E^\circ_{\text{anode}}$$

$$= 0.8 - (-2.37) = 3.17 \text{ V}$$

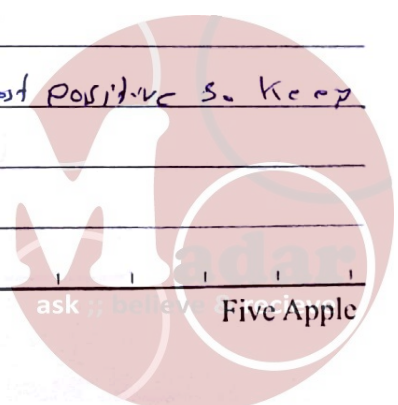
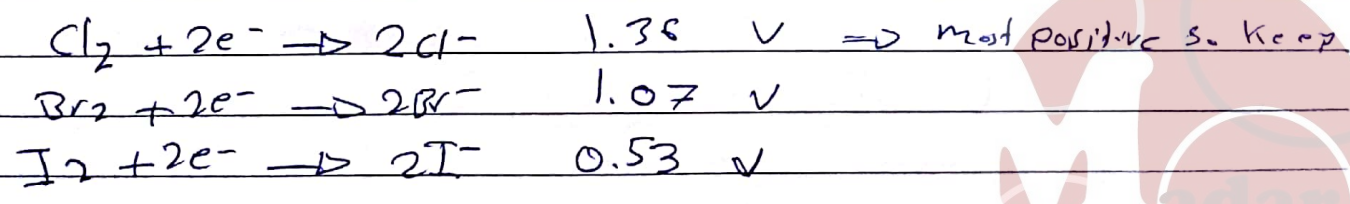
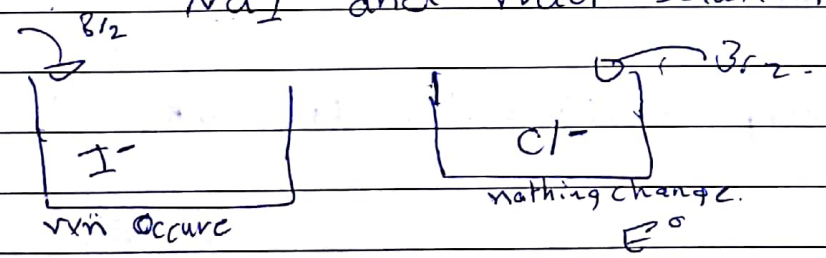
\* overall rxns



$E^\circ$  is intensive property.



what will happen if  $\text{Br}_2$  is added to  $\text{NaI}$  and  $\text{NaCl}$  solution.



\* How  $F^{\circ}$  is related to  $\Delta G$  and  $K$   
 thermodynamic.

For a Galvanic cell

total charge passed = number of  $e^-$   $\times$  charge of one  $e^-$

= moles of  $e^-$   $\times$  charge of one mole of  $e^-$

$$\text{Charge of mole of } e^- = 6.022^{23} \times 1.6 \times 10^{-19} \text{ C}$$

$$= 96485 \frac{\text{C}}{\text{mol}}$$

Faraday constant

$$\left( \text{total charge passed} = nF \right) \quad (F)$$

\*  $E^{\circ}_{\text{cell}}$  : max Voltage measured of a Galvanic cell, which is the work done by charged passed.

$$* E^{\circ}_{\text{cell}} = \frac{W_{\text{ele}}}{nF} \quad \text{because } W_{\text{ele}} \text{ done by charged}$$

$$W_{\text{ele}} = -(nF)(E^{\circ}_{\text{cell}})$$

$\Rightarrow$  Gibbs energy : energy available to do work.

$$\Delta G^{\circ} = W_{\text{ele}}$$

$$\Delta G = -nF(E^{\circ}_{\text{cell}})$$

From chapter 18  $\Delta G^\circ = -RT \ln K$

$$RT \ln K = nFE^\circ$$

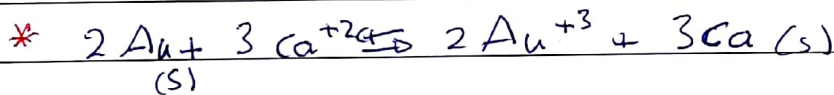
$$E^\circ = \frac{RT \ln K}{nF}$$

$$E^\circ_{\text{cell}} = E^\circ_{\text{cathode}} - E^\circ_{\text{anode}}$$

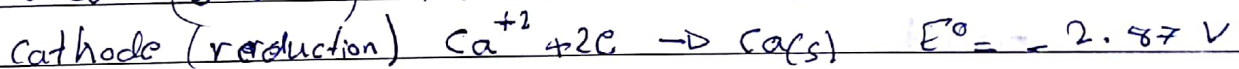
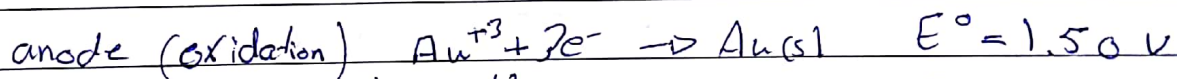
$$\Delta G^\circ = -nFE^\circ$$

$$\Delta G = -nFE$$

$$E^\circ = \frac{RT \ln K}{nF}$$



Calc  $\Delta G^\circ$  and  $K$



$$E^\circ_{\text{cell}} = -2.87 - 1.5 = -4.37 \text{ V}$$

منه

$$\Delta G^\circ = -nFE^\circ$$

$$= -6 \times 96485 \times -4.37 = 253 \text{ kJ/mol}$$

$\Delta G^\circ \times 10^3$

نه (منه)

$$\Delta G = \Delta G^\circ + RT \ln Q$$

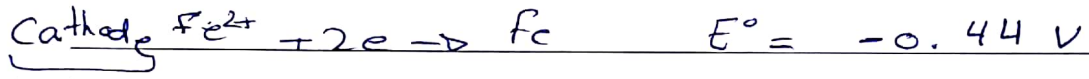
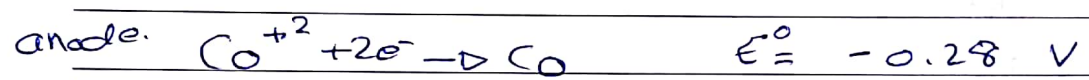
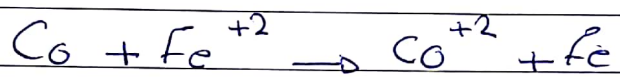
$$-nFE = -nFE^\circ + RT \ln Q \rightarrow$$

بالقوس  
-nF

$$E = E^\circ - \frac{RT}{nF} \ln Q$$

عاشق  
5/22

Example.



استعملنا

$$E_{cell}^\circ = -0.44 - (-0.28) = -0.16 V$$

non-spontaneous

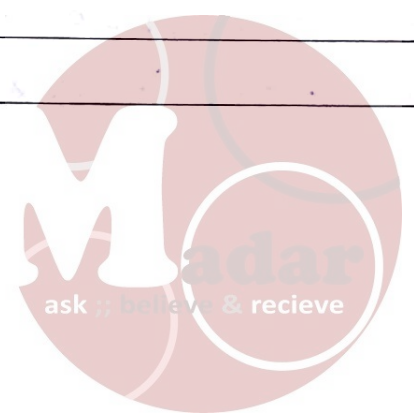
If  $[Co^{+2}] = 0.25 M$ ,  $[Fe^{+2}] = 0.94 M$

calc  $E_{cell}$   $25^\circ C \rightarrow 298$

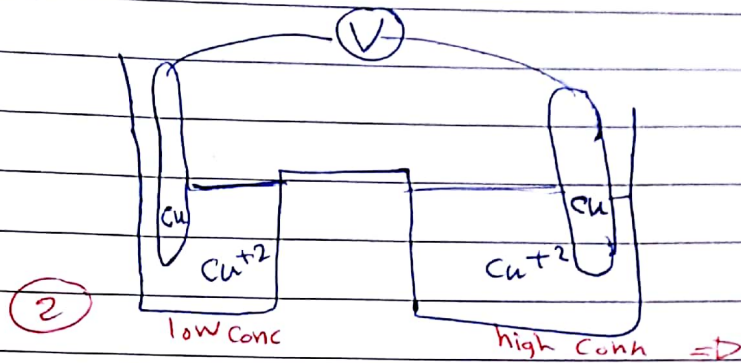
$$E = -0.16 - \frac{8.314 \times 298}{2 \times 96485} \ln \frac{0.25}{0.94}$$

$$E = -0.14$$

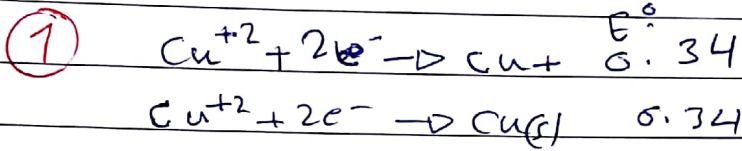
$E^\circ$  is die base (K) ...



63,64,77,81,82



تصل إلى أعلى  
بنت التراكيز  
فإنواعها ذات لولا  
يصبح تفاعل.



قسطالة الظروف المعيارية لا يوجد  
شيار

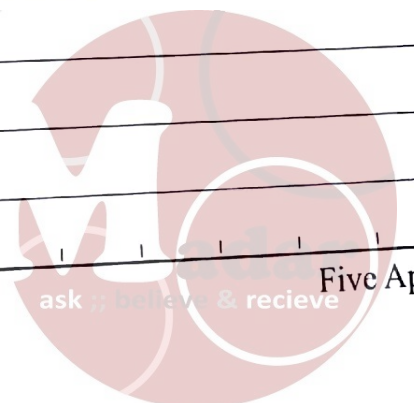
$E^0 = 0.34 - 0.34 = \underline{\underline{Zero}}$

②      low conc.                      high conc.  
           oxidation                      reduction.  
           anode                              cathode.

$E = E^0 - \frac{RT}{nF} \ln Q$

$E = 0 - \frac{RT}{2 \cdot F} \ln \frac{low}{high}$

\* لأن تكون فيه النسبة  
 low / high  
 مع النسبة يكونا  
 تصبح القيمة (E) موجبة  
 إذا سيكون التفاعل تلقائياً وهو كذلك.

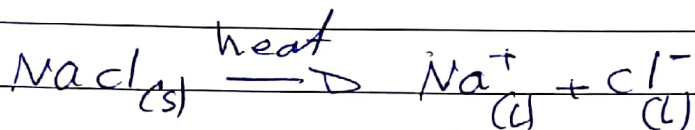


# Electrolysis .

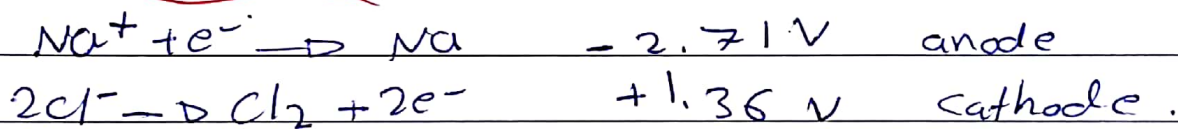
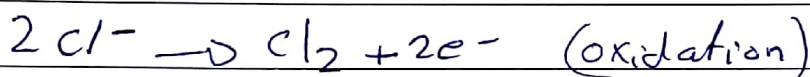
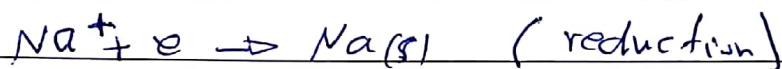
التحليل الكهربائي .

- ①  $\text{NaCl (l)}$       ②  $\text{H}_2\text{O (l)}$       ③  $\text{NaCl (aq)}$

## ① $\text{NaCl (l)}$

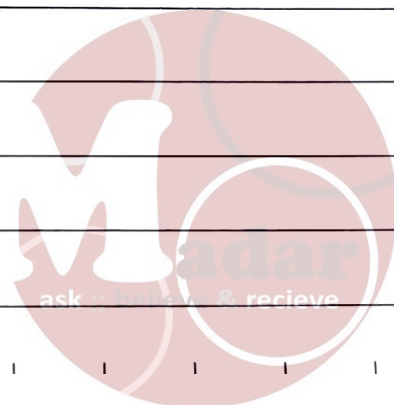


Two rxn :

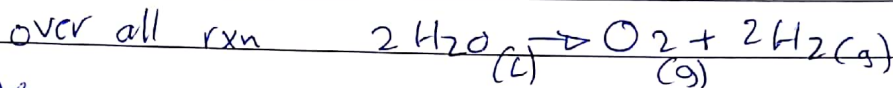


$$E^\circ_{\text{cell}} = 1.36 - (-2.71) = 4.07 \text{ V}$$

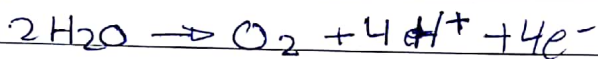
↳ to electrolyze  $\text{NaCl (l)}$  4.07 V must be applied to have the rxn to go.



## ② electrolysis of H<sub>2</sub>O

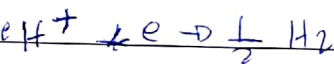


anode



$$E^\circ = 1.23 \text{ V} \quad \text{أكسدة}$$

cathode



$$E^\circ = \text{zero} \quad \text{اختزال}$$

$$E^\circ_{\text{cell}} = -1.23$$

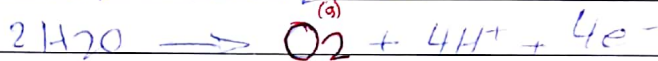
تعزيز تركيز أيونات (H<sup>+</sup>) في الأقطاب

## ③ electrolysis of NaCl solution

Two oxidation rxn



$$E^\circ_{\text{red}} 1.36 \text{ V}$$



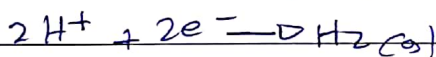
$$E^\circ_{\text{red}} 1.23 \text{ V}$$

تطلق الأقطاب O<sub>2</sub> بدلاً من Cl<sub>2</sub> لأن جهد O<sub>2</sub> أقل

less positive or لأن جهد الاختزال أكسدة هو أقل

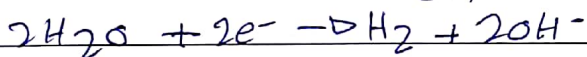
Theoretically this rxn will occur.

Three reduction rxn



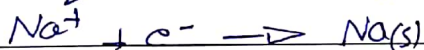
$$E^\circ = \text{zero}$$

①



$$E^\circ = -0.83$$

②



$$E^\circ = -2.71$$

③

بالتجربة التفاعل الثالث هو الذي يحدث.

$$* V = \frac{I R}{\square \square}$$

المقاومة التيار

$$* \text{Charge passed} = \text{current} \times \text{time}$$

بوحدة الكولوم (C)

A × second.

أصغر

\* Number of electrons =  $\frac{\text{charge passed}}{\text{charge on } e^-}$

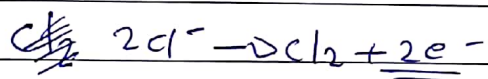
\* charge of 1 mole of  $e^- = 6.022 \times 10^{23} \times 1.6 \times 10^{-19} \text{ C}$   
 $= (96485 \text{ C/mol})$   
 is  
 Faraday constant.

\* number of mol of  $e^- = \frac{\text{charge passed}}{F} = \frac{\text{current} \times \text{time}}{F}$

Example: electrolysis of  $\text{CaCl}_2(\text{aq})$ .

How much many grams of  $\text{Cl}_2$  produced if current = 0.452 A, time = 1.5 hour

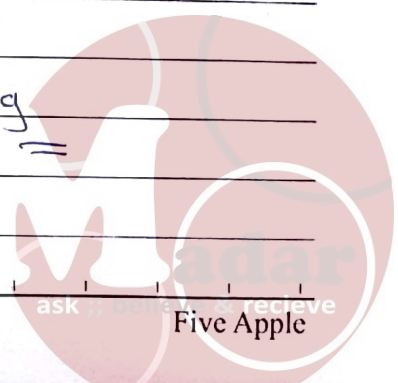
Solution :-



moles of  $e^- = \frac{0.452 \times (1.5 \times 60 \times 60)}{96485} = 0.0253 \text{ mol}$   
 (تحويل للساعات)

moles  $\text{Cl}_2 = \frac{0.0253}{2} = 0.0126 \text{ mol}$   
 من المولات  
 اعوزها

mass of  $\text{Cl}_2$  =  $0.0126 \times 71 = 0.896 \text{ g}$   
 $(\text{Cl}_2) \text{ 71g}$   
 $(\text{Cl}) \text{ 35.5g}$





(2) How much time is need to produce 7.0 g of  $\text{Cl}_2$  (g) .

Solution

$$\text{moles of } \text{Cl}_2 = \frac{7}{71} = 0.0986 \text{ mol}$$

$$\text{moles of } e^- = 0.0986 \times 2 = 0.1972 \text{ mol}$$

$$0.1972 = \frac{0.452 \times \text{time}}{96485}$$

$$\text{time} = \frac{5976.9 \text{ Sec}}{96485} = 1.6 \text{ hr}$$

